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CRI-528

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Adjustments to Model Predictions of Depth of Shower Maximum and Signals at Ground Level using Hybrid Events of the Pierre Auger Observatory

Jakub Vícha^a for the Pierre Auger Collaboration^b

^a Institute of Physics of the Czech Academy of Sciences, Prague

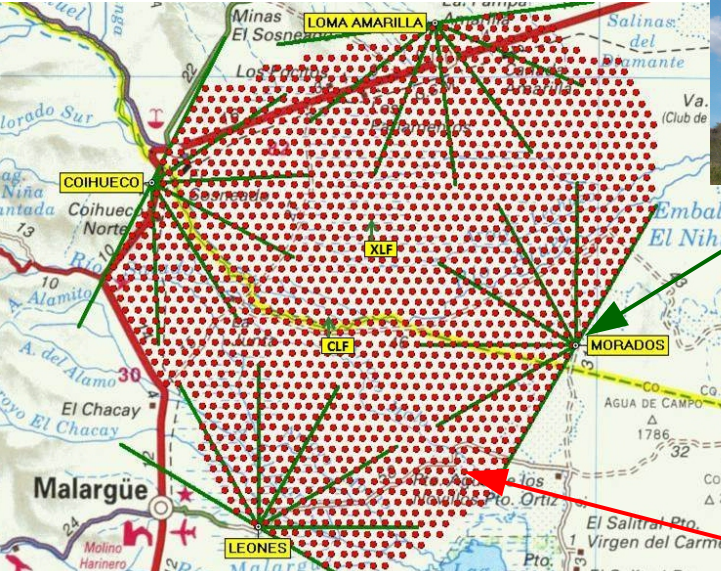
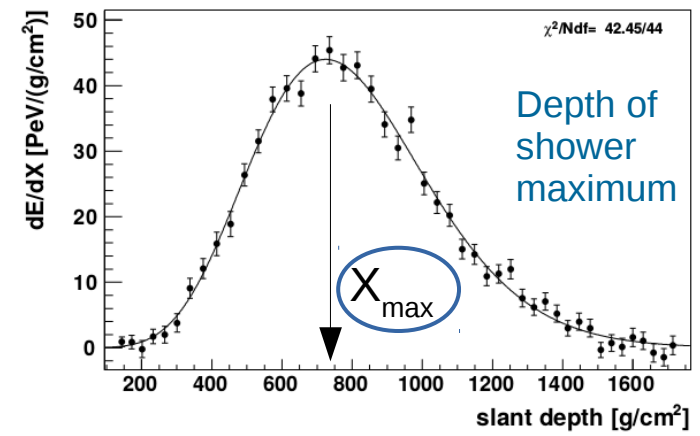
^b Observatorio Pierre Auger, Av. San Martín Norte 304, 5613 Malargüe, Argentina

vicha@fzu.cz

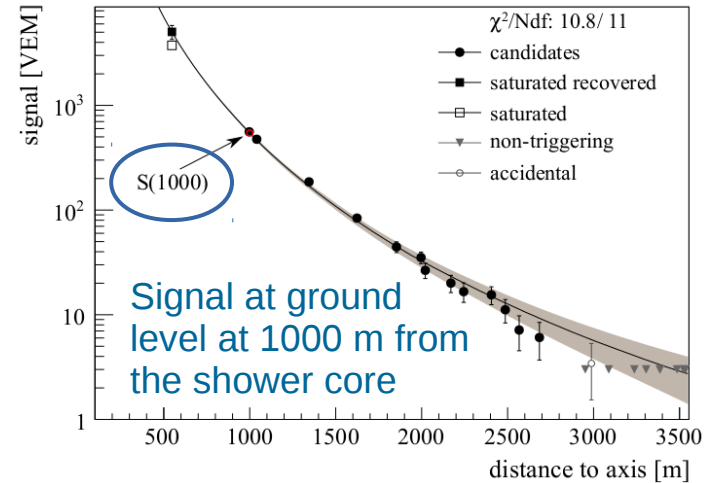
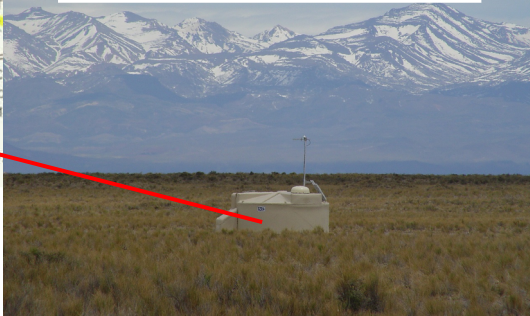
Hybrid detection at the Pierre Auger Observatory

[Nucl. Instrum. Meth. A 798 (2015) 172]

Fluorescence detector



Surface detector



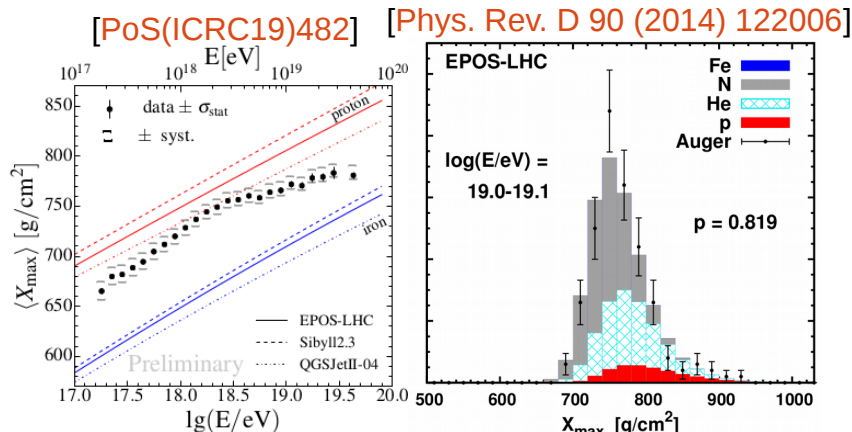
Mass composition & tests of hadronic interactions

Deficit of simulated muon signal: previous analyses in Auger

1) Mass composition is inferred from X_{\max}

measurements using the nominal X_{\max}

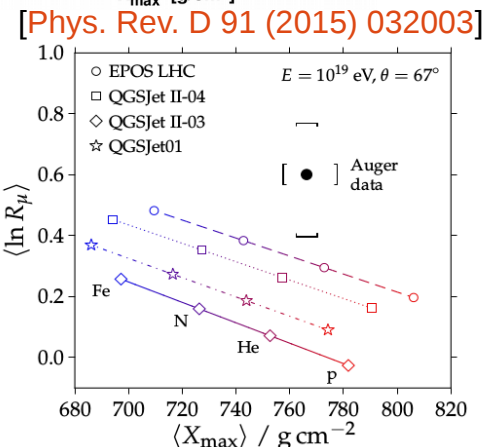
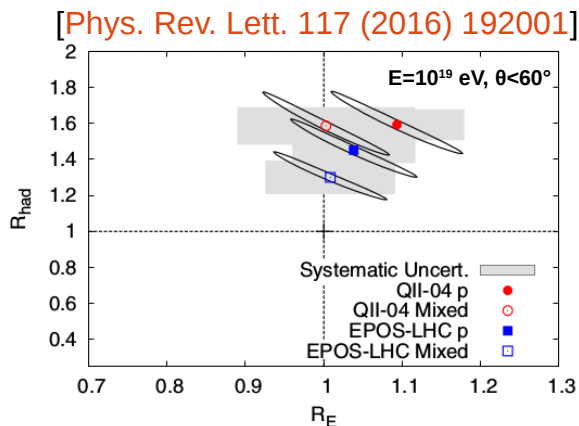
predictions of hadronic interaction models



2) Discrepancy in muon content at ground

between simulations and data is evaluated using the inferences on the mass composition

from the X_{\max} analysis



This work

Global fit of observed $[X_{\max}, S(1000)]$ distributions with free mass composition and adjustments of MC predictions **not only to hadronic signal but also to X_{\max}**

Motivations for adjustments of MC predictions

- Properties of **4-component shower universality**:

[Astropart. Phys. 87 (2017) 23, Astropart. Phys. 88 (2017) 46]

- $S(1000) = S_{\text{Had}} + S_{\text{em}}$

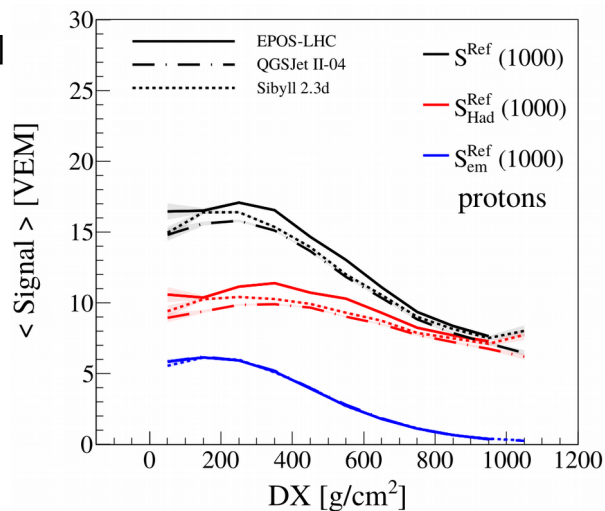
- S_{em} very universal

- Scale of $\langle X_{\text{max}} \rangle$ and $S_{\text{Had}}(\theta)$

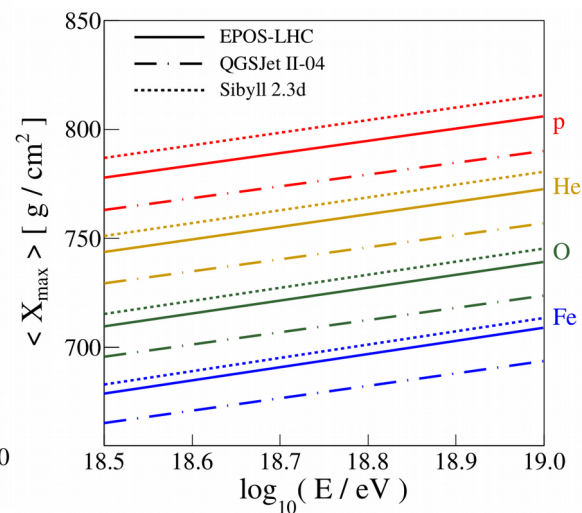
(normalization and attenuation of S_{Had}) are the

main differences between model predictions

that are roughly primary and energy independent



$$DX = 880 \text{ g/cm}^2 / \cos(\theta) - X_{\text{max}}$$



- Not-accounted **higher-order model differences**:

- fluctuations of X_{max} and $S(1000)$

- mass dependence of $R_{\text{Had}}(\theta)$, ΔX_{max}

- etc.

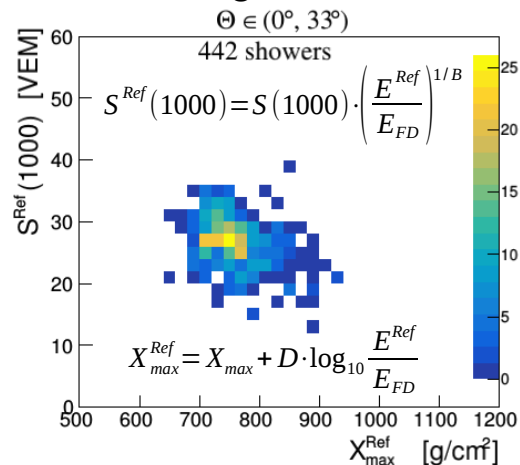
ad-hoc adjustments

$$X_{\text{max}} \rightarrow X_{\text{max}} + \Delta X_{\text{max}}$$

$$S_{\text{Had}}(\theta) \rightarrow S_{\text{Had}}(\theta) \cdot R_{\text{Had}}(\theta)$$

Global fit method

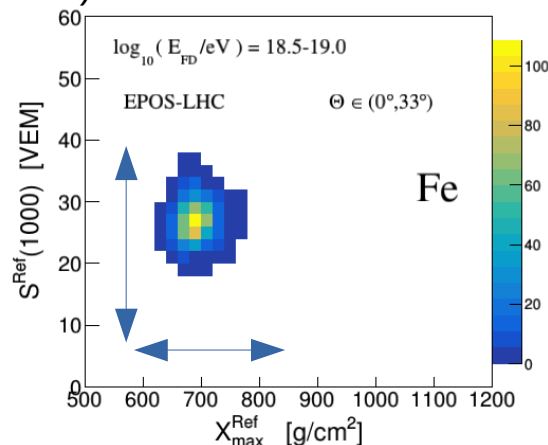
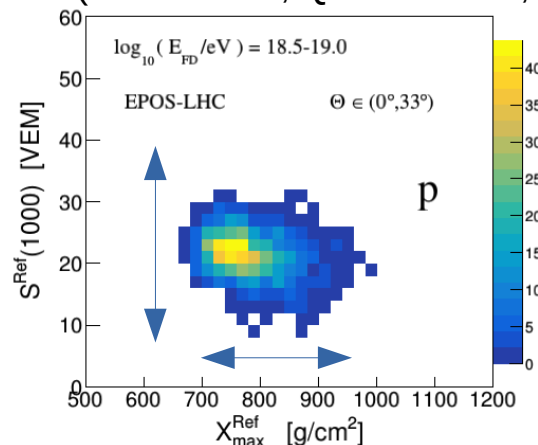
Auger data



Simultaneous likelihood ratio fit of **two-dimensional distributions** of X_{max} and $S(1000)$ in 5 zenith-angle bins with **MC templates** for combinations of four primary nuclei (p, He, O, Fe)

- **Freedom** in X_{max} (ΔX_{max}) and $S(1000)$ ($R_{\text{Had}}(\theta)$) and **primary fractions**
- Change of S_{Had} and S_{em} due to ΔX_{max} incorporated
- **Degeneracy** between mass composition and ΔX_{max} reduced due to the correlation between $S(1000)$ and X_{max}

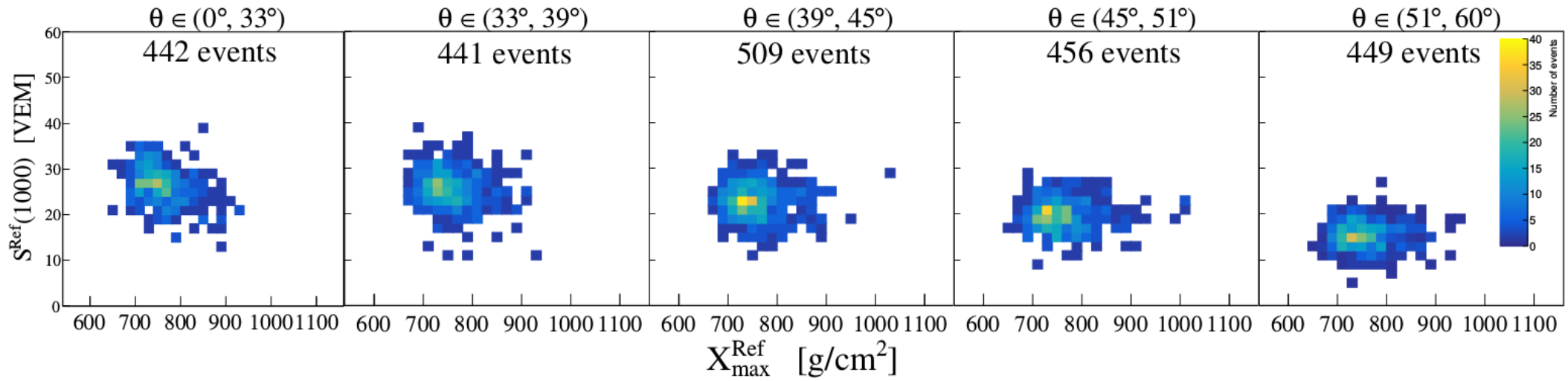
MC templates: from ~15k showers per primary and model (EPOS-LHC, QGSJet II-04, Sibyll 2.3d)



[Phys.Lett. B762 (2016) 288]

Measured data

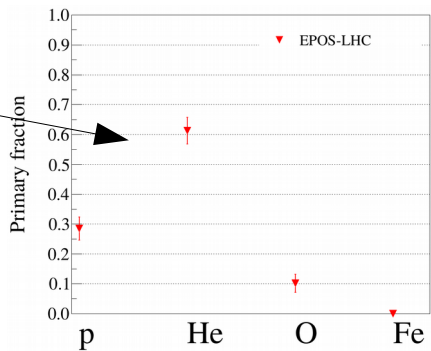
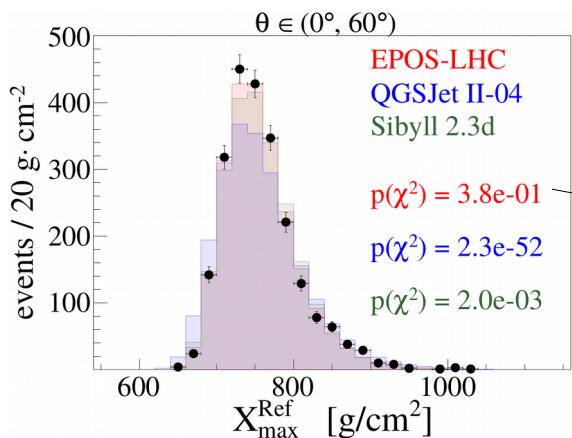
2297 high-quality showers for $\log_{10}(E_{\text{FD}} [\text{eV}]) = 18.5-19.0$, $\theta < 60^\circ$



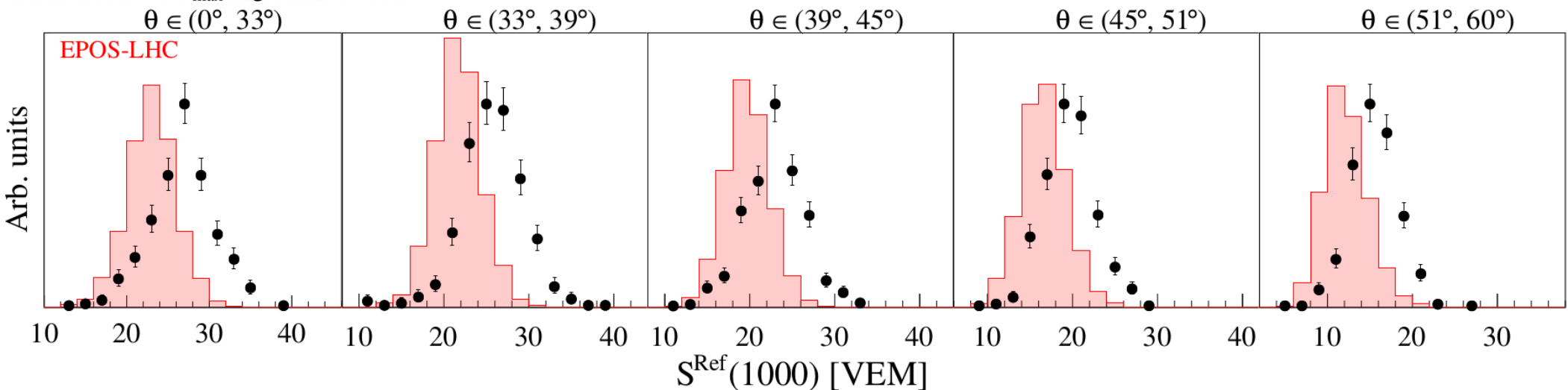
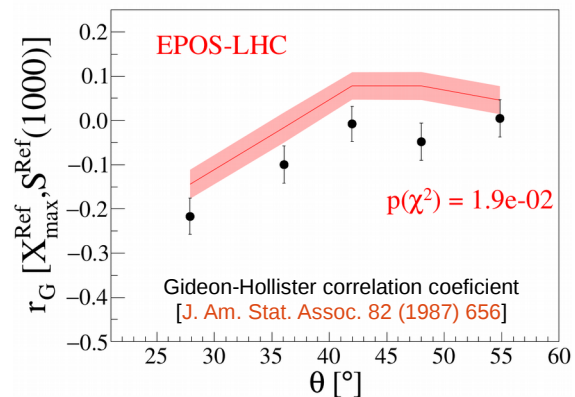
Event selection according to [Phys. Rev. D 90 (2014) 122005, PoS(ICRC19)482] and [Phys. Rev. D 102 (2020) 062005]

EPOS-LHC without any adjustment to MC predictions

Fit X_{\max} distribution to obtain primary fractions

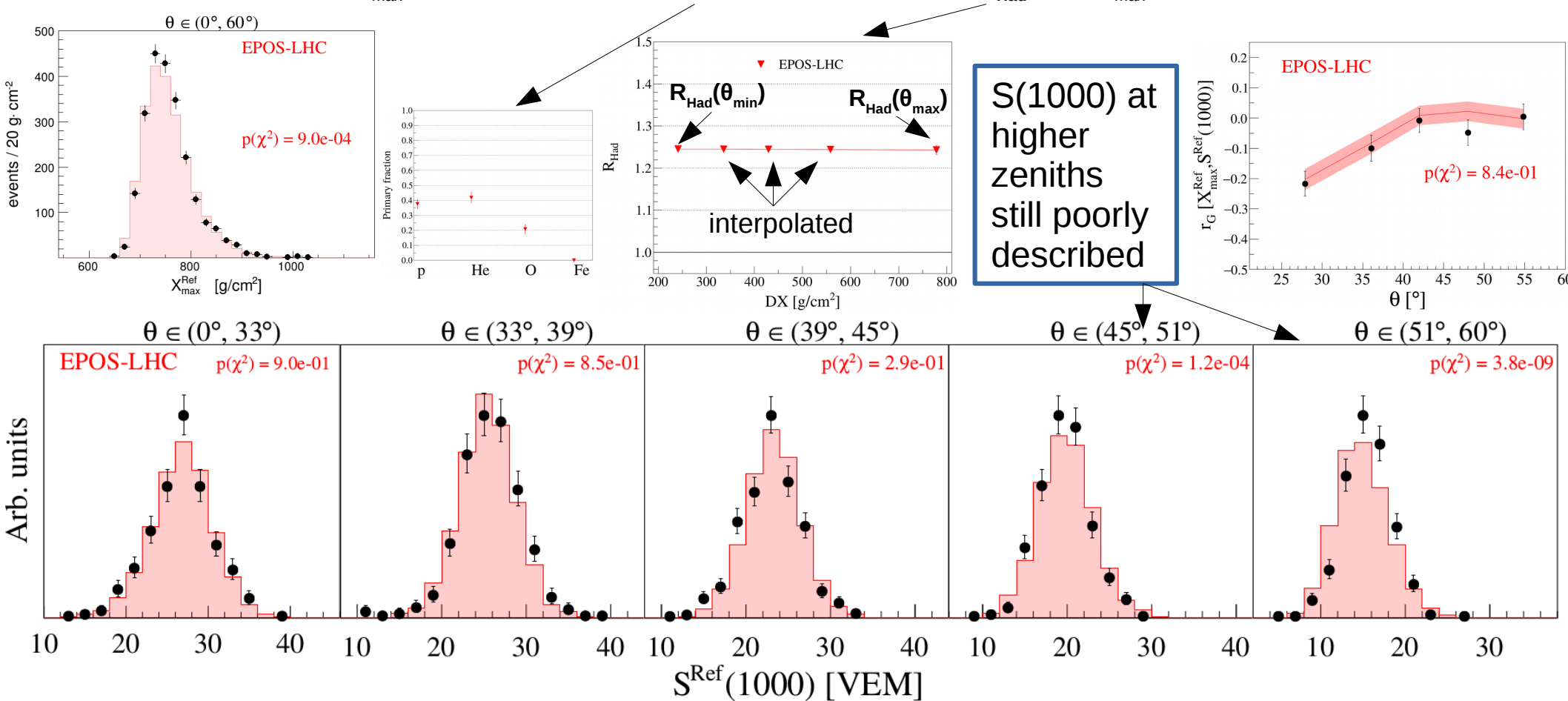


Reasonable fit to X_{\max} using EPOS-LHC, but poor description of $S(1000)$ and correlation of $[S(1000), X_{\max}]$



EPOS-LHC predictions adjusted for $R_{\text{Had}}(\theta)$

One global fit of $[S(1000), X_{\text{max}}]$ distributions with free primary fractions and $R_{\text{Had}}(\theta)$ (ΔX_{max} is fixed to zero)

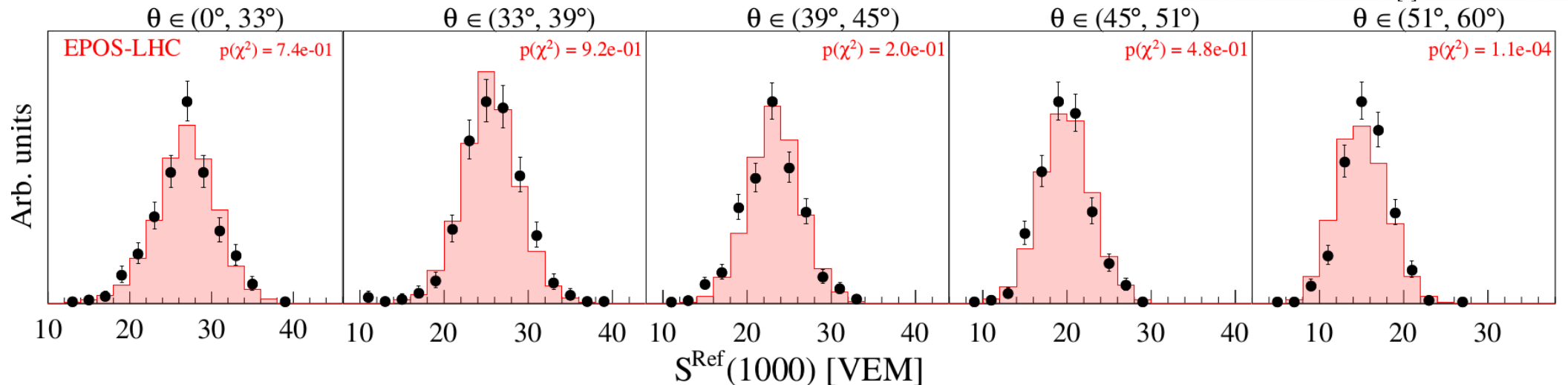
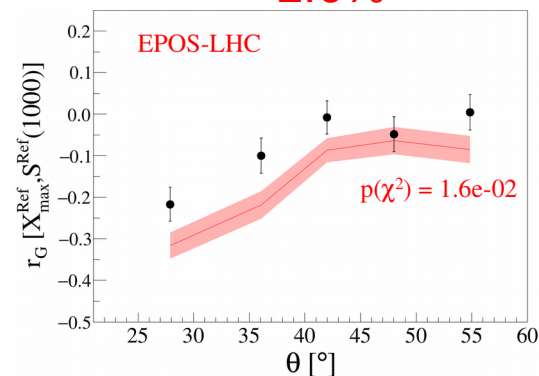
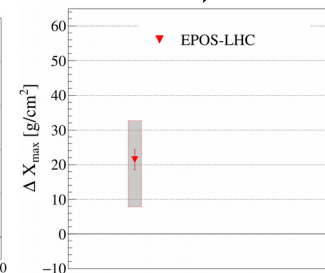
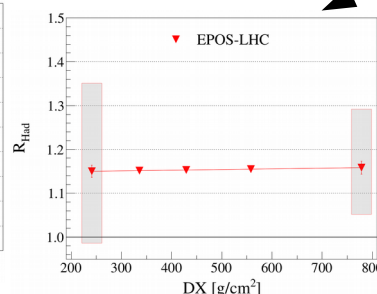
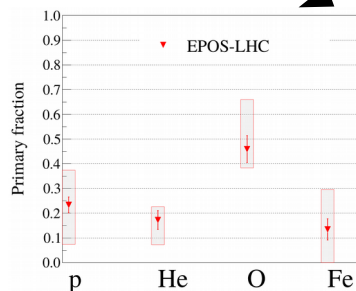
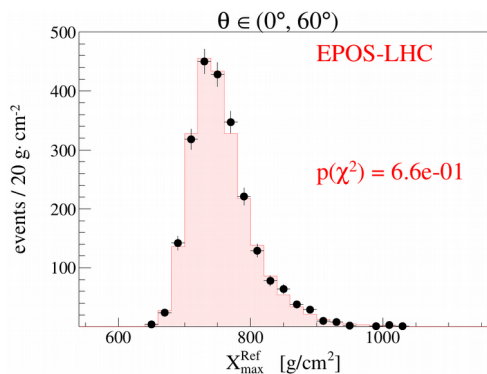


EPOS-LHC predictions adjusted for $R_{\text{Had}}(\theta)$ and ΔX_{max}

One global fit of $[S(1000), X_{\text{max}}]$ distributions with free primary fractions, $R_{\text{Had}}(\theta)$, ΔX_{max}

p-value of global fit:

$\sim 2.6\%$



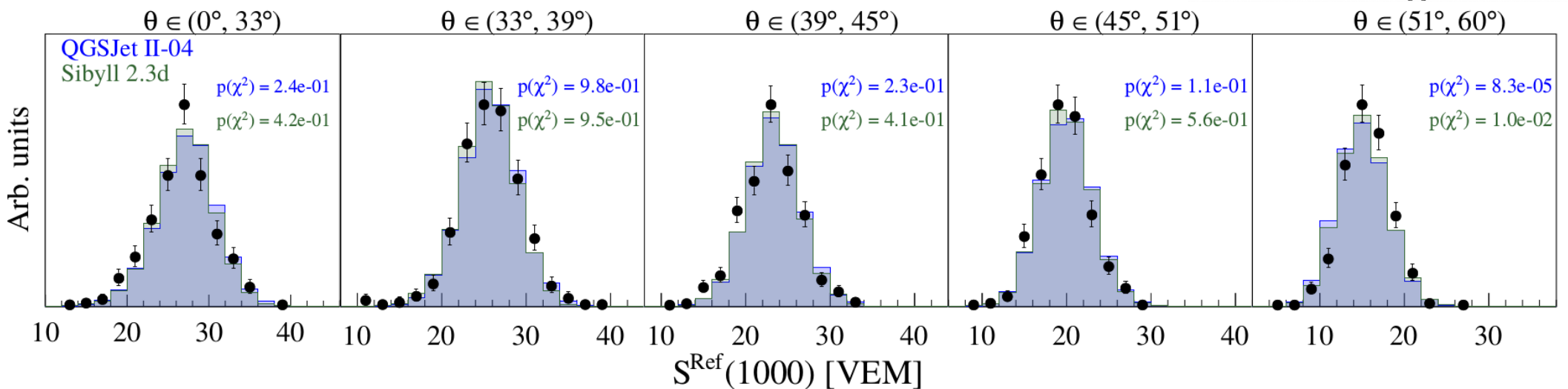
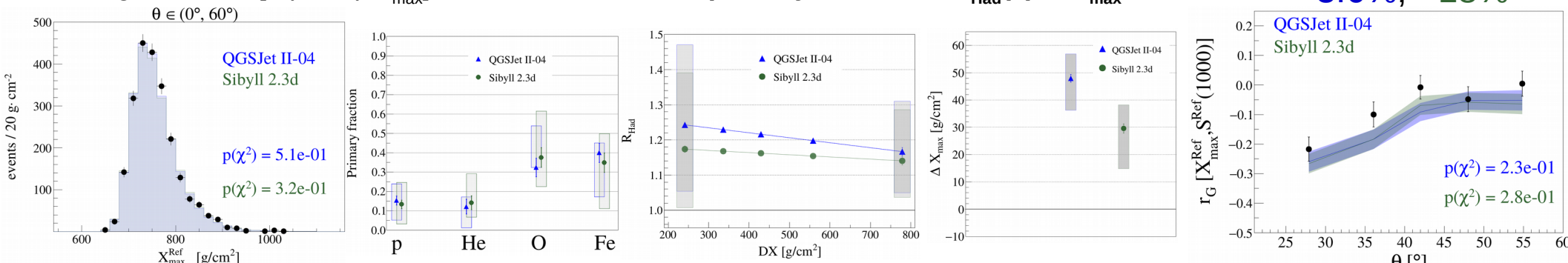
QGSJet II-04 and Sibyll 2.3d predictions adjusted for $R_{\text{Had}}(\theta)$ and ΔX_{max}



One global fit of $[S(1000), X_{\text{max}}^{\text{Ref}}]$ distributions with free primary fractions, $R_{\text{Had}}(\theta)$, ΔX_{max}

p-values of global fit:

$\sim 3.6\%$, $\sim 18\%$

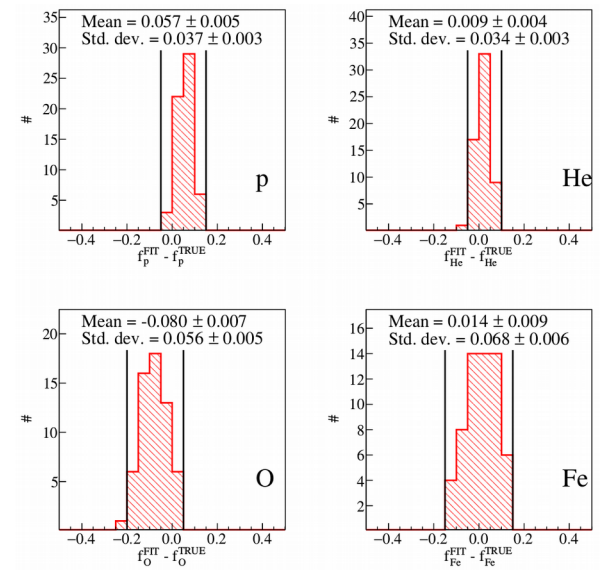


Systematic uncertainties

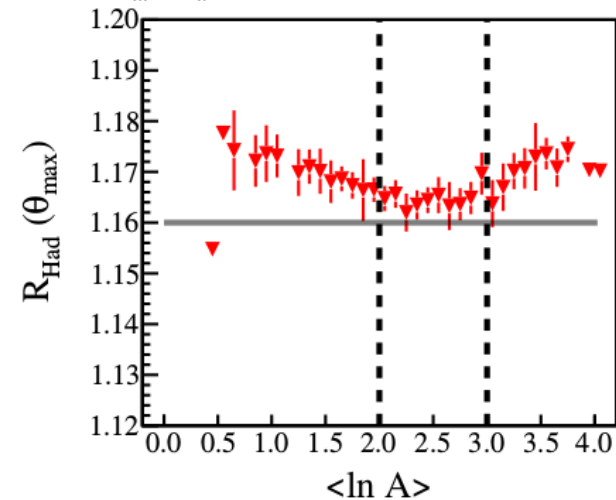
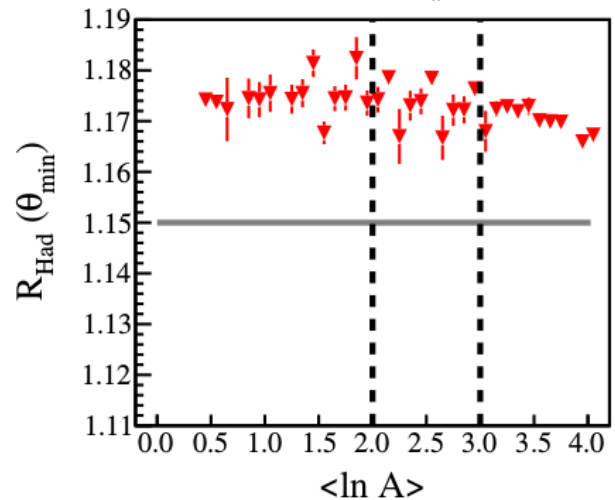
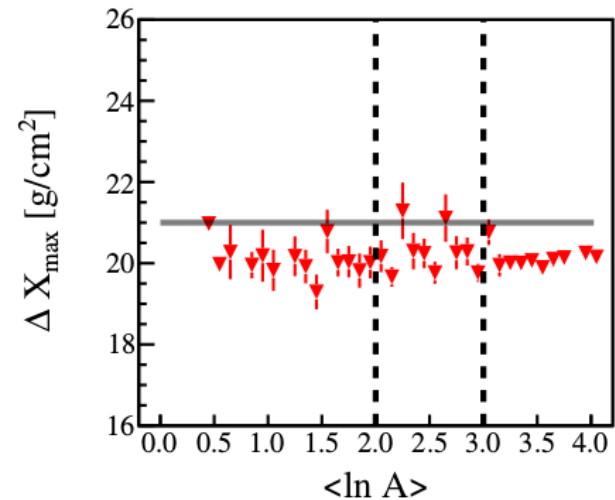
- Experimental
 - 1) Energy scale $\pm 14\%$
 - 2) X_{\max} measurement $+8, -9 \text{ g/cm}^2$
 - 3) S(1000) measurement $\pm 5\%$
- Method
 - 4) Biases from MC-MC tests for each model

All four contributions summed in quadrature

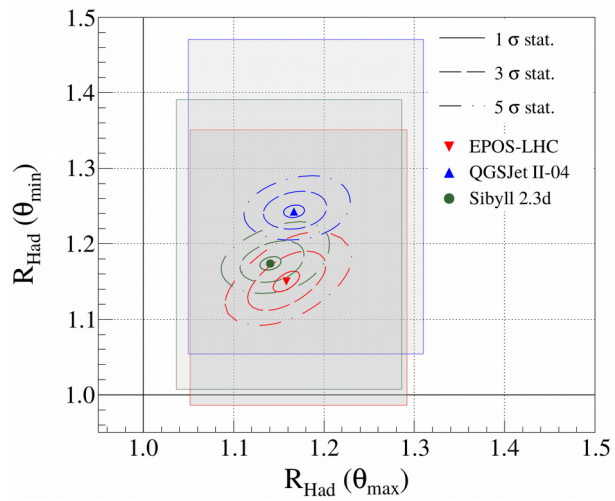
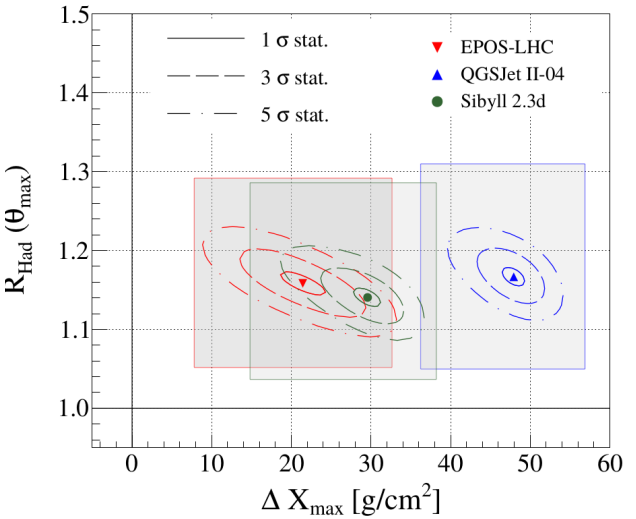
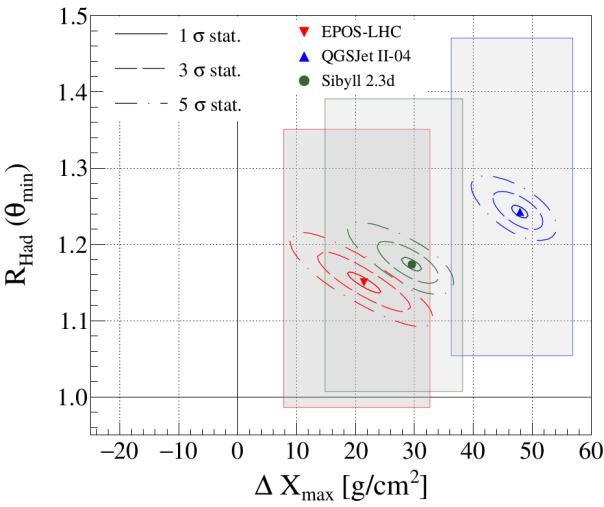
Method works within $\sim 5 \text{ g/cm}^2$ for ΔX_{\max} and few percent for R_{Had}



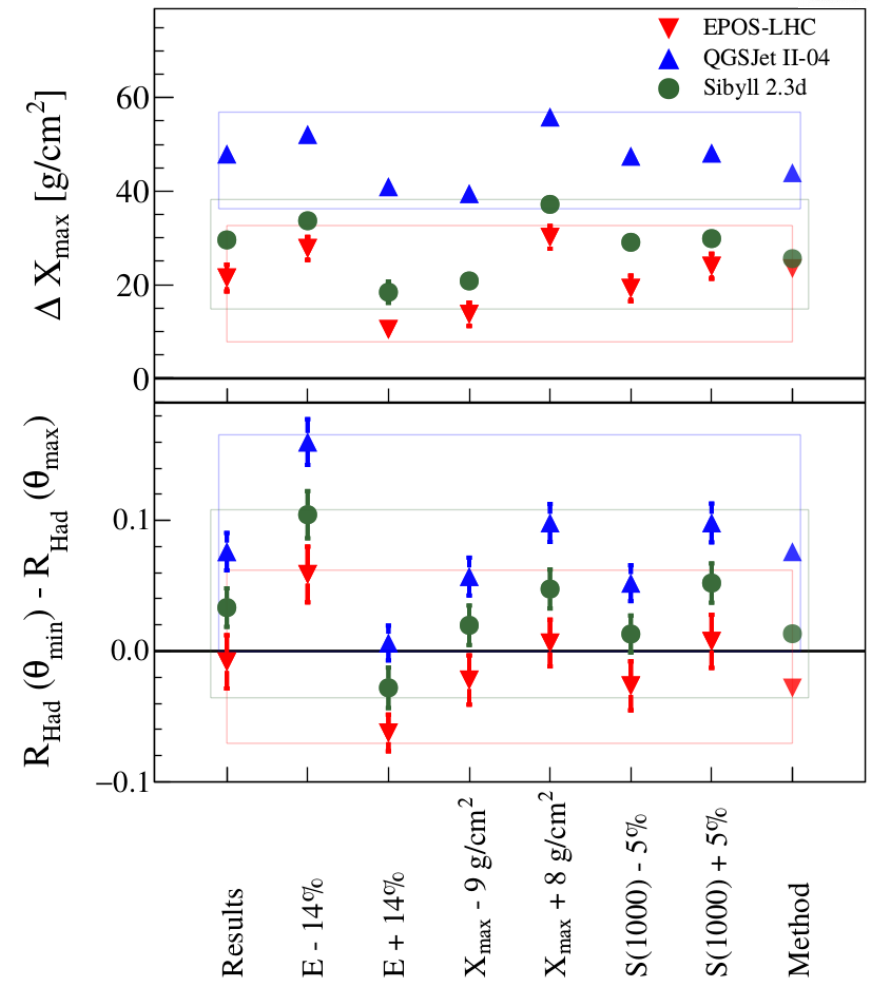
MC-MC test using EPOS-LHC with artificial changes in $\Delta X_{\max}=21 \text{ g/cm}^2$, $R_{\text{Had}}(\theta_{\min})=1.15$, $R_{\text{Had}}(\theta_{\max})=1.16$



Results of the analysis

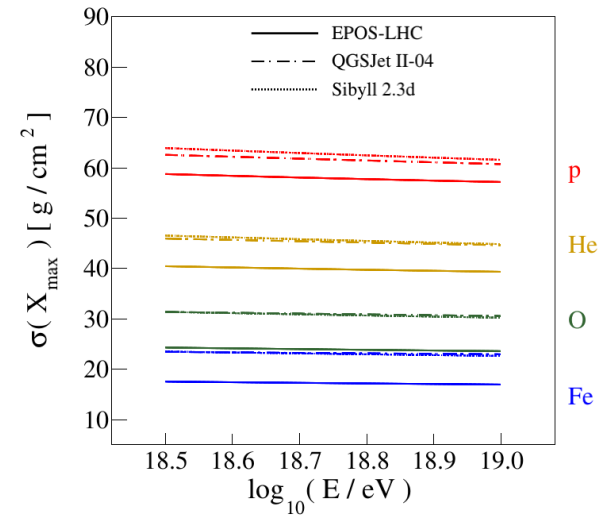
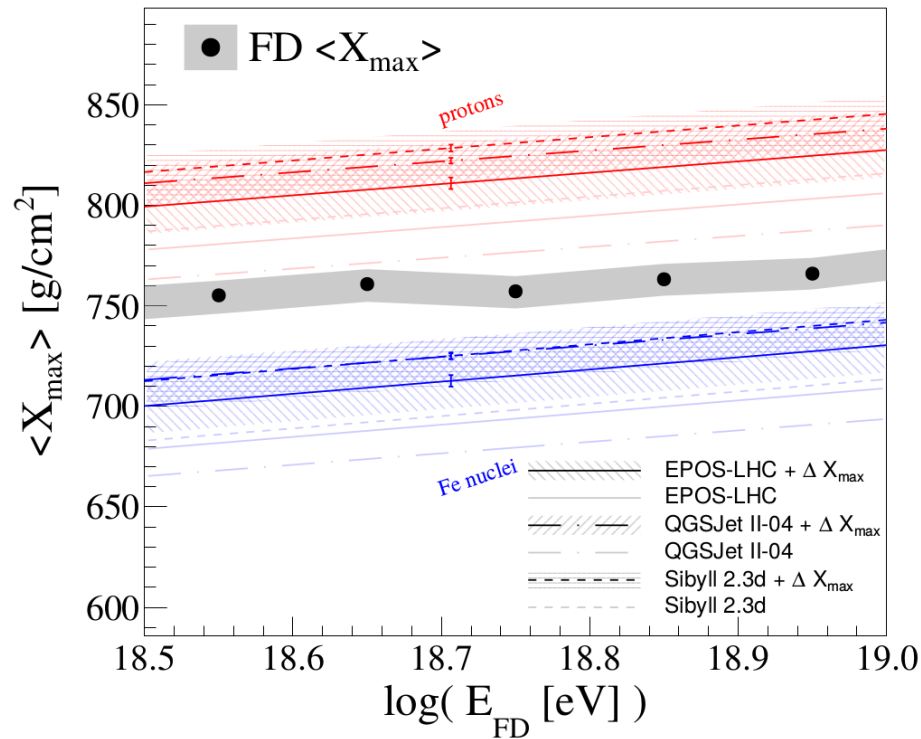
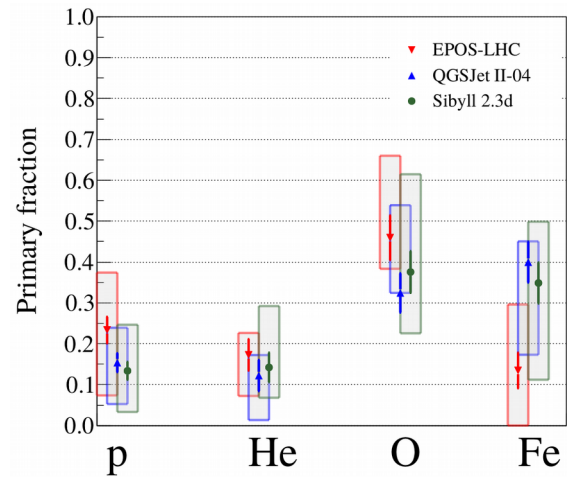


R_{Had} attenuation
is correlated
with the energy
scale



Less model-dependent mass composition

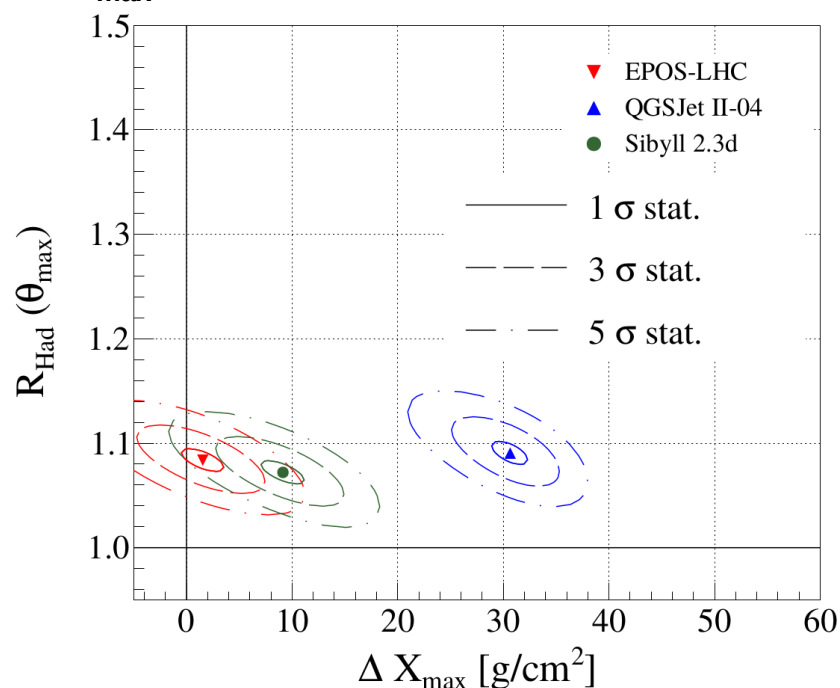
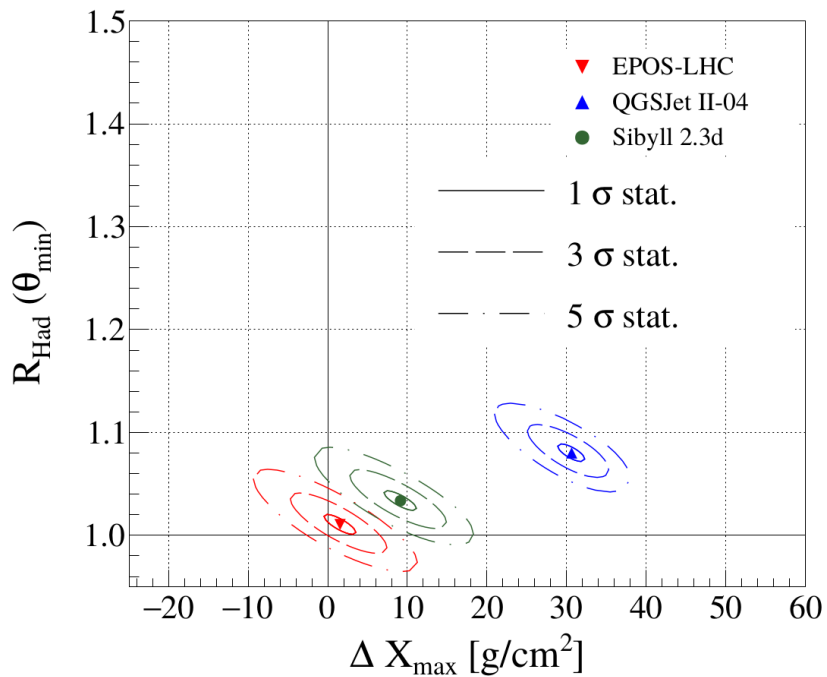
$\langle X_{\max} \rangle$ MC scale found lower by $\sim 10 \text{ g/cm}^2$ for EPOS-LHC mainly due to lower $\sigma(X_{\max})$, checked by artificially smeared X_{\max}



Significance of MC adjustments

Most favorable direction for models in combinations of $1\sigma_{\text{sys}}$ experimental systematics:

Energy + 14% & X_{max} - 9 g/cm²



The discrepancy with the data is larger than $5\sigma_{\text{stat}}$

Summary

- Two-dimensional distributions of $[X_{\max}, S(1000)]$ for energies $10^{18.5} - 10^{19.0}$ eV and zenith angles $< 60^\circ$, measured by the Pierre Auger Observatory, were fitted allowing for ad-hoc adjustments of the simulated X_{\max} and hadronic signals at different zenith angles for EPOS-LHC, Sibyll 2.3d and QGSJet II-04
- For all three hadronic interaction models, the **improved description of the data** is achieved, if in the simulations:
 - **X_{\max} is shifted towards deeper values**
 - **Hadronic signal is increased by $\sim 15\text{-}25\%$**
- The statistical significance of the adjustments is greater than $5\sigma_{\text{stat}}$ even for the combination of experimental systematic shifts within $1\sigma_{\text{sys}}$ that are the most favorable for the models

Backup slides

Fitting procedure

$$\forall n_{jz} > 0 : \mathcal{L} = \sum_z \sum_j \left(C_{jz} - n_{jz} + n_{jz} \cdot \ln \frac{n_{jz}}{C_{jz}} \right), \quad \forall n_{jz} = 0 : \mathcal{L} = \sum_z \sum_j C_{jz}$$

zenith bins
MC
data
2D bins
↓
↓

$$S(1000)(\theta) \cdot \left(\frac{E^{Ref}}{E_{FD}} \right)^{1/B} \cdot f_{SD}(\theta) = R_{Had}(\theta) \cdot g_{Had}(\theta, \Delta X_{max}, R_{Had}(\theta)) \cdot S_{Had}(\theta) \cdot \left(\frac{R_E \cdot E^{Ref}}{E_{FD}} \right)^\beta + R_{em} \cdot g_{em}(\theta, \Delta X_{max}) S_{em}(\theta) \cdot \left(\frac{R_E \cdot E^{Ref}}{E_{FD}} \right), \quad E^{Ref} = 10^{18.7} \text{ eV}$$

$$f_{SD}(\theta) = R_{Had}(\theta) \cdot R_E^\beta \cdot \left(\frac{E^{Ref}}{E_{FD}} \right)^{\beta-1/B} \cdot g_{Had}(\theta, \Delta X_{max}, R_{Had}(\theta)) \cdot f_{Had}(\theta) + R_{em} \cdot R_E \cdot \left(\frac{E^{Ref}}{E_{FD}} \right)^{1-1/B} \cdot g_{em}(\theta, \Delta X_{max}) \cdot (1 - f_{Had}(\theta)), \quad f_{Had}(\theta) = \frac{S_{Had}(\theta)}{S(1000)(\theta)}$$

$$\Rightarrow \langle f_{SD} \rangle_z = R_{Had}^z \cdot R_E^\beta \cdot \left(\frac{(E^{Ref})^{\beta-1/B}}{\langle E_{FD}^{\beta-1/B} \rangle_z} \right) \cdot g_{Had}^z(\Delta X_{max}, R_{Had}^z) \cdot \langle f_{Had} \rangle_z + R_{em} \cdot R_E \cdot \left(\frac{(E^{Ref})^{1-1/B}}{\langle E_{FD}^{1-1/B} \rangle_z} \right) \cdot g_{em}^z(\Delta X_{max}) \cdot (1 - \langle f_{Had} \rangle_z)$$

$$R_{em} = R_E = 1$$

$$\Rightarrow \langle f_{SD} \rangle_z = R_{Had}^z \cdot \left(\frac{(E^{Ref})^{\beta-1/B}}{\langle E_{FD}^{\beta-1/B} \rangle_z} \right) \cdot g_{Had}^z(\Delta X_{max}, R_{Had}^z) \cdot \langle f_{Had} \rangle_z + \left(\frac{(E^{Ref})^{1-1/B}}{\langle E_{FD}^{1-1/B} \rangle_z} \right) \cdot g_{em}^z(\Delta X_{max}) \cdot (1 - \langle f_{Had} \rangle_z)$$

$$X_{max}^{Ref} + \Delta X_{max}$$