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"An expanding hadronic supercritical model for γ-ray burst emission"

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The GRB phenomenology



- Brief flashes of gamma rays
- Large amounts of energy E= 10⁵¹⁻⁵⁴ ergs
- Duration 0.01 sec-100 sec
- Highly variable light curves: (Usually) many pulses (~10-100) with typical width 10 msec-1 sec each
- Spectra with energy peaks ~100 keV-1 MeV







Feedback processes give rise to non linearity

What is hadronic supercriticality?

When relativistic protons reach a critical density they release all their energy with high radiative output in short timescales



Hadronic supercriticality has been already applied to GRBs

(Mastichiadis & Kazanas 2004, Petropoulou et al 2014, Petropoulou & Mastichiadis 2018)

Common assumption : Constant emitting region







The novelty of this project:

Expanding spherical volume with a constant expansion velocity

$$u_{\exp}\frac{\partial n_{j}}{\partial r} + u_{\exp}\frac{3n_{j}}{r} + \frac{n_{j}}{t_{\exp,j}} + \mathcal{L}_{j} = Q_{j}$$

Free parameters:

- 1. Initial Source Radius
- 2. Expansion velocity
- 3. Initial Magnetic field / Time Profile
- 4. Proton luminosity / Time Profile
- 5. Maximum proton energy
- 6. Proton Distribution/ Injection rate

$$\ell_{\rm p} = \frac{\sigma_{\rm T} L_{\rm p}}{4\pi r m_{\rm p} c^3} = \ell_{\rm p,in} \left(\frac{r}{r_{\rm in}}\right)^{s-1} \qquad \ell_{\gamma} = \frac{\sigma_{\rm T} L_{\gamma}}{4\pi r m_{\rm e} c^3}$$

We have developed a numerical code that solves the kinetic equations of particle populations inside an expanding volume taking into account all the radiative processes as well as adiabatic losses



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Constant B, adiabatic losses included

Florou, Mastichiadis, Petropoulou 2021 in prep.

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The role of expansion velocity in the manifestationof supercriticality $-\log l_{p,i} = -4.22, u_{exp} = 10^{-4}c$ $-\log l_{p,i} = -3.18, u_{exp} = 10^{-2}c$

As the expansion velocity is increased:

- → Lower radiative efficiencies
- → Broader light curves
- → Multiple bursts vanish



Energetics that fall in the case of GRBs



small values of proton energy preferable - $\gamma_{max}{\sim}10^4$ -10^5

R_{in}= 10¹¹ cm B_{in}=10⁴ G u_{exp}=10^{-2.5}c Magnetic field ~1/R Proton luminosity injected ~R Power law distribution p=2, Γ=100, z=2



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Florou, Mastichiadis, Petropoulou 2021 in prep.



Light curve construction

Parameters of the Gaussian Distributions

(comoving frame)

 $\begin{array}{l} B_{\rm in} = \! 10^{4.3} \ \text{G} \text{ , } \gamma_{\rm max} = \! 10^5 \\ \text{Lp}_{\rm in} = \! 10^{42.8} \ \text{erg/sec} \text{ , } \log \sigma \! = \! 0.2 \end{array}$

Assumptions

- 1. Equipartition between initial magnetic energy and proton luminosity injected, κ=80
- 2. Maximum proton energy : equation of the acceleration and synchrotron cooling timescale
- 3. Monte Carlo simulation- Random Select N=10



Results / Typical values of GRB phenomenology



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Conclusions

- Supercriticality is manifested even in expanding sources. There are initial parameters that can reproduce the GRB prompt emission
- Important!- low values of γ_{max} required in order to reproduce a GRB photon spectrum
 The resulting energetics and spectra of the "Blob Tracking Model" fall in the GRB case
- The produced neutrino spectra peak at lower energies compared to those of a standard neutrino internal shock model

