



# Studying High-Mass Microquasars with HAWC

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## HMMQ List and Basic Properties

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 Table 1. List of HMXB Microquasars in HAWC's FOV

Name	RA	DEC	$T_*$	$R_*$	$d_*$	Jet kinetic power $L_{\rm jet}$	Distance $D$
			$[10^4 \text{ K}]$	$[R_{\odot}]$	[AU]	$[\mathrm{ergs}^{-1}]$	[kpc]
LS $5039^a$	18:26:15.1	$-14^{\circ}50'54''$	3.9	9.3	0.1	$10^{36} e$	2.9
CYG X-1 <sup><math>b</math></sup>	19:58:21.7	$+35^{\circ}12'06"$	3.1	20	0.2	$(4-14) \times 10^{36}$	2.2
CYG X- $3^c$	20:32:26.5	$+40^{\circ}57'09"$	4-5	$<\!\!2$	0.02	$10^{38}$	7.0
SS $433^d$	19:11:49.6	$+04^{\circ}58'58''$	3.25	$5.5^{f}$	0.5	$10^{39}$	5.5

- HMMQs may have common multi-wavelength emission mechanism
- Study HMMQs as one type of species by applying stacked analysis
- Study each HMMQ individually (gamma-ray flux upper limits)

#### High Altitude Water Cherenkov Observatory

- Latitude of 19°N, altitude of 4,100m
- Pico de Orizaba near Puebla, Mexico
  - 300 WCDs geometrical area of 22,000m<sup>2</sup>
  - 2 sr F.o.V. and >95% duty cycle
- 300 GeV 100 TeV

## Dataset and Analysis Technique

- Used 1,523 days of HAWC data:
  - Fitting for the flux norm (point source; simple power law)

- Two main analysis techniques used:
  - Individual HMMQ fits uses four quasi-differential energy bins with spectral index fixed at -2.7.
  - For stacking analysis, fits at  $E_{piv} = 7$  TeV, scanning through spectral index between -2.0 and -3.0 (interval of 0.1)

## SED for HMMQs with 95% C.I. from HAWC



## SED for HMMQs with 95% C.I. from HAWC



Our upper credible intervals <  $2\sigma$  above expected HAWC limits -> no clear detection

## Two Scenarios for Stacked Analysis

- This analysis relies on stacked likelihood of many independent fits of numerous sources, comparing the same physics model to the data of multiple sources
- The contribution factor decides how the fit to each source contributes to the total likelihood (model dependent)
- Scenario I:  $\gamma$ -ray luminosity is proportional to the kinetic power of the jets
- Scenario II:  $\gamma$ -rays are produced when relativistic electrons accelerated by the jets upscatter optical photons from the donor star

## Scenario I – jet powered

- We assume  $\gamma$ -ray luminosity proportional to jet power  $L_{\gamma} = \epsilon_{\gamma} L_{
  m jet}$
- $\gamma$ -ray flux for scenario I is given by

$$\Phi_{\gamma} = \frac{\epsilon_{\gamma} L_{\rm jet}}{4\pi D^2} K_p \left(\frac{E}{E_{\rm piv}}\right)^{-p}$$
 Contribution Factor

• The 95% credible interval of jet emission efficiency above 1 TeV is

$$\epsilon_{\gamma}^{\rm UL} = 5.4 \times 10^{-6}$$

with a best fit spectral index of p = 2.2

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## Scenario II – powered by magnetic field

• The inverse-Compton and synchrotron fluxes are connected by energy densities of magnetic field and radiation field of donor star.

$$\frac{F_{\rm syn}}{F_{\rm IC}} \approx \frac{u_B}{u_0 f_{\rm KN}}$$

•  $\gamma$ -ray flux for scenario II is given by

Contribution Factor 
$$\Phi_{\gamma} = \frac{F_{\text{syn}} u_0 f_{\text{KN}}}{u_B} K_p \left(\frac{E}{E_{\text{piv}}}\right)^{-p}$$

## Scenario II – powered by magnetic field

• Lower limit on the magnetic field strength is derived to be

$$B^{\rm LL} = 22 \, \left(\frac{\epsilon_{\rm syn}}{10\,\%}\right)^{1/2} \, \mathrm{G}$$

 $\epsilon_{
m syn}=$  fraction of observed X-ray and MeV gamma-ray flux due to synchrotron emission

 Strong B field found by our stacking analysis suggests that the X-ray to MeV gamma-ray flux is not dominated by synchrotron radiation of VHE electrons.

## **Time Dependent Analysis**

#### LS 5039 – 3.9 days



Cyg X-1 – 5.6 days



Cyg X-3 – 0.2 days



Periodogram not useful since period < 1 day

SS 433 – 13.1 days





- No significant TeV  $\gamma$ -ray emission detected from the known HMMQs but most stringent limits are provided for > 10 TeV
- Derived upper limit on the γ-ray emission efficiency above 1 TeV, which also constrains the HE neutrino emission efficiency; implies that neutrino detection challenging for current neutrino detectors

 $\epsilon_{\nu} \approx 3\epsilon_{\gamma}/2$ 

- Constrained contribution of synchrotron emission by relativistic electrons between 10 keV and 10 MeV for the four HMMQs
- No orbital modulation in flux observed with HAWC daily maps

# Back Up

### High-Mass Microquasar (HMMQ)



## Contribution Factor for Stacked Analysis

• This analysis relies on stacked likelihood of many independent fits of numerous sources.

$$\ln L\left(N_{obs}^{j,B}\middle|\Theta\right) = \sum_{B=1}^{9} \sum_{j=1}^{m} \ln P\left(N_{obs}^{j,B}\middle|\Theta\right)$$

- Flux norm (A) will be set as a free parameter.  $\frac{dN}{dE} = A \left(\frac{E}{E_{res}}\right)^{-\alpha}$
- Since all independent sources are stacked, we find and apply a suitable contribution factor based on a physics model.
- Spectrum: power law \* step function \* constant (contribution factor)

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## Quasi-differential Energy Bins

Table 2. Quasi-differential energy bins

Energy Bin	Energy Range	Pivot Energy	
	[TeV]	[TeV]	
1	1.0-3.2	1.8	
2	3.2 - 10.0	5.6	
3	10.0-31.6	17.8	
4	31.6 - 100.0	56.2	

## Significance Maps – RHMXBs







SS 433



## Significance Maps (Residual) – RHMXBs



No complex modelling. Used 3HWC catalog to fit and subtract sources

Note: Gaussian morphology used to fit extended sources by default University of Seoul

### Source Properties for Scenario II

#### **Table 4.** Derived Source Properties.

Name	$u_0$	$F_{\rm KN}$ at $E_{e,{ m bk}}$	$E_{\rm syn,bk}$	$E_{\rm e,bk}$
	$[\mathrm{erg}\mathrm{cm}^{-3}]$		$[\mathrm{keV}]$	$[\mathrm{TeV}]$
LS 5039	820	$4.9 \times 10^{-5}$	2100	6.9
CYG X-1	380	$1.1 \times 10^{-4}$	1400	5.6
CYG X-3	2560	$1.55 \times 10^{-5}$	4620	10.2
SS 433	5.5	$7.2 \times 10^{-3}$	6.2	0.4

\*Derived assuming B = 1 G

## **Other Studies**

- Log parabola model used to test that  $\gamma$  -ray spectrum may not follow a power law

$$\Phi_{\gamma} = \frac{F_{\rm syn} \, u_0 \, f_{\rm KN}}{u_B} \, K_l \, \left(\frac{E}{E_{\rm piv}}\right)^{-\alpha_l - \beta_l \, \log(E/E_{\rm piv})}$$

•  $\gamma\gamma$  pair production absorption is negligible for tail-on interaction (at < 100 TeV) and we predict a factor of unity attenuation overall  $\frac{10^2}{-\frac{\text{Hed-on interaction }(\mu = -1)}{\frac{10^2}{-\frac{10^2}$ 

