Reaching the EeV frontier of neutrino-nucleon cross section

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VILLUM FONDEN



MAIN OBJECTIVES

- Our main goal is to prepare the most detailed prediction of the measurement capabilities of the neutrino-nucleon cross section at the ~EeV scale with the next generation of neutrino telescopes
- We assume the flux is known and present our results for 3 benchmark scenarios: cosmogenic, astrophysical source, extrapolation of IceCube flux



Why should we measure νN cross sections $(\sigma_{\nu N})$?



Where do ultra-high-energy (UHE) neutrinos come from?



Rodrigues, Heinze, Palladino, van Vliet, Winter, 2003.08392 Heinze, Fedynitch, Boncioli, Winter, *Apj 2019* POEMMA, 2012.07945 RNO-G, *JINST 2021* IceCube-Gen2, *J. Phys. G 2021* GRAND, *Sci. China Phys. Mech. Astron. 2020*

UHE neutrinos = EeV-scale neutrinos (EeV = 10^9 GeV)

How to extract $\sigma_{\nu N}$ from UHE neutrinos?

At high neutrino energies the **Earth is opaque** to neutrino nucleon (vN) interactions (N = p,n)Attenuation factor: $e^{-\tau_{\nu N}} \rightarrow \tau_{\nu N}(E_{\nu}, \theta_z)$ = Distance traveled in the Earth(θ)/Interaction length($\theta, \sigma_{\nu N}$) Rate of detected neutrinos at IceCube-Gen2: $N \sim T \Phi_{\nu} \sigma_{\nu N} e^{-\tau_{\nu N}(E_{\nu}, \theta_z)}$ Opaque **Transparent** Upgoing (N^{in}) (GeV) .10⁷ GeV^{/1} 0.9 ν -0.5energy $\log_{10}(E_v/$ $\sigma_{\nu N} = \sigma_{\nu N,SM}$ -1.0Transmission $\log_{10}(N_{E>3}^{out})$ Horizon Transmission $\log_{10}(N)$ -1.5-1.5Earth-skimming -2.0-2.0IceCube-Gen2 Neutrino -2.5 -2.5 7.5 -3.0 -3.0 7.0 - 0.87.0 - 0.8-0.6-0.4-0.20.0 -0.6-0.4-0.20.0 Downgoing Arrival direction $\cos \theta_z$ Arrival direction $\cos \theta_z$ Victor B. Valera - ICRC 2021

NuPropEarth: an in-Earth neutrino propagation tool

- Monte Carlo in-Earth neutrino propagation tool
- Leading interaction DIS + subleading contributions
- Most updated σ_{vN} predictions
- Earth density: PREM model
- Tau neutrino regeneration
- Propagates each *v* state separately



Garcia et. al., JCAP 2020



Higher injected neutrino energy

But, what if $\sigma \neq \sigma_{\rm SM}$?

- BSM physics might manifest as a deviation of the predicted value of the σ_{SM} (*e.g.*, *v*NSI)
- In that case the attenuation profiles might be modified \rightarrow signature of BSM physics



Flux propagation from precomputed tables

Flux propagation:

We sum the transmission histograms for every energy weighted by the value of the flux at each energy

The result:

Propagated neutrino flux for each flavor at different directions

8



Predicted event rate at IceCube-Gen2 radio



* See backup for full computation

Predicted event rate at IceCube-Gen2 radio



How well can we measure $\sigma_{\nu N}$ in the next decade?

• We perform a Bayesian analysis with an unbinned Poissonian likelihood:

$$\mathcal{L}(f, N_{\text{obs}}) = \frac{e^{-[N(f)+N_{\text{bkg}}]}[N(f)+N_{\text{bkg}}]^{N_{\text{obs}}}}{N_{\text{obs}}!}$$

- Fix N_{obs} and maximize for $f = \sigma / \sigma_{SM}$
- Credible regions from the posterior assuming flat *f* prior

$$N_{obs}$$
 = Number of observed events by IC-Gen2
 N_{bkg} = Background events (atm muons)
 $N(f)$ = Predicted number of events



How well can we measure σ_{vN} in the next decade?



How well can we measure σ_{vN} in the next decade?



- The radio component of IceCube-Gen2 has good chances of finally observing the UHE neutrino flux
- UHE neutrinos represent an excellent window to explore new physics
- Measurements of σ_{vN} are possible at the EeV frontier is possible, if the UHEv flux is high (i.e., astrophysical)
- If the UHEv is low (predominantly cosmogenic), no measurement is possible
- With an astrophysical UHEv flux σ_{vN} can be measured within 15%

Backup slides

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Event rate full computation

Differential event rate per energy and arrival direction

$$rac{d^2 N_{
u_lpha}^{
m CC}}{dE_
u d\cos heta_z} = 2\pi T N_{
m Av}
ho_{
m ice} V_{
m eff,
u_lpha}^{
m CC}(E_
u) \sigma_{
uN}^{
m CC}(E_
u) \phi_{
u_lpha}^{
m det}(E_
u,\cos heta_z)$$

Diff. event rate in terms of deposited energy and reconstructed arrival direction

 $\frac{d^2 N_{\nu_{\alpha}}^{\rm CC}}{dE_{\rm dep} d\cos\theta_{z,\rm rec}} = \int_{-1}^{+1} d\cos\theta_z \int dE_{\nu} \int dE_{\rm true} \frac{d^2 N_{\nu_{\alpha}}^{\rm CC}}{dE_{\nu} d\cos\theta_z} R_{E_{\rm true}}(E_{\rm true}, E_{\nu}) R_{E_{\rm dep}}(E_{\rm dep}, E_{\rm true}, E_{\nu}) R_{\theta_z}(\cos\theta_{z,\rm rec}, \cos\theta_z)$

The total number of events is obtained from integration over deposited energy and reconstructed arrival direction