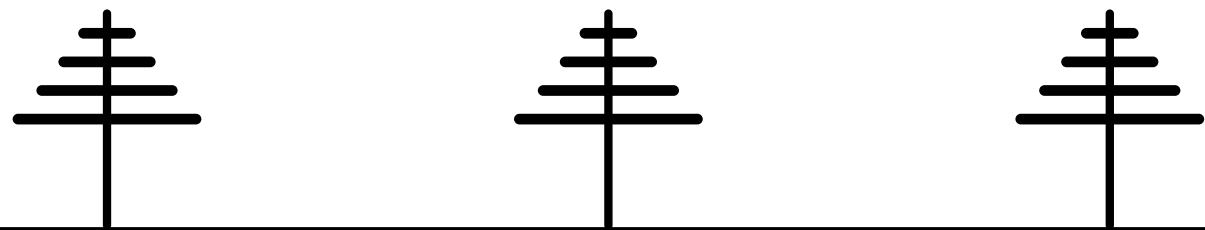




# Cross-calibrating the energy scales of cosmic-ray experiments using a portable radio array



A. Bonardi, S. Buitink, A. Corstanje, K. D. de Vries, H. Falcke, B. M. Hare, J. R. Hörandel, T. Huege, G. Krampah, P. Mitra, K. Mulrey\*, A. Nelles, H. Pandya, J. P. Rachen, E. Santiago, L. Rossetto, O. Scholten, R. Stanley, S. ter Veen, T. N. G. Trinh, T. Winchen

1



Radboud Universiteit Nijmegen

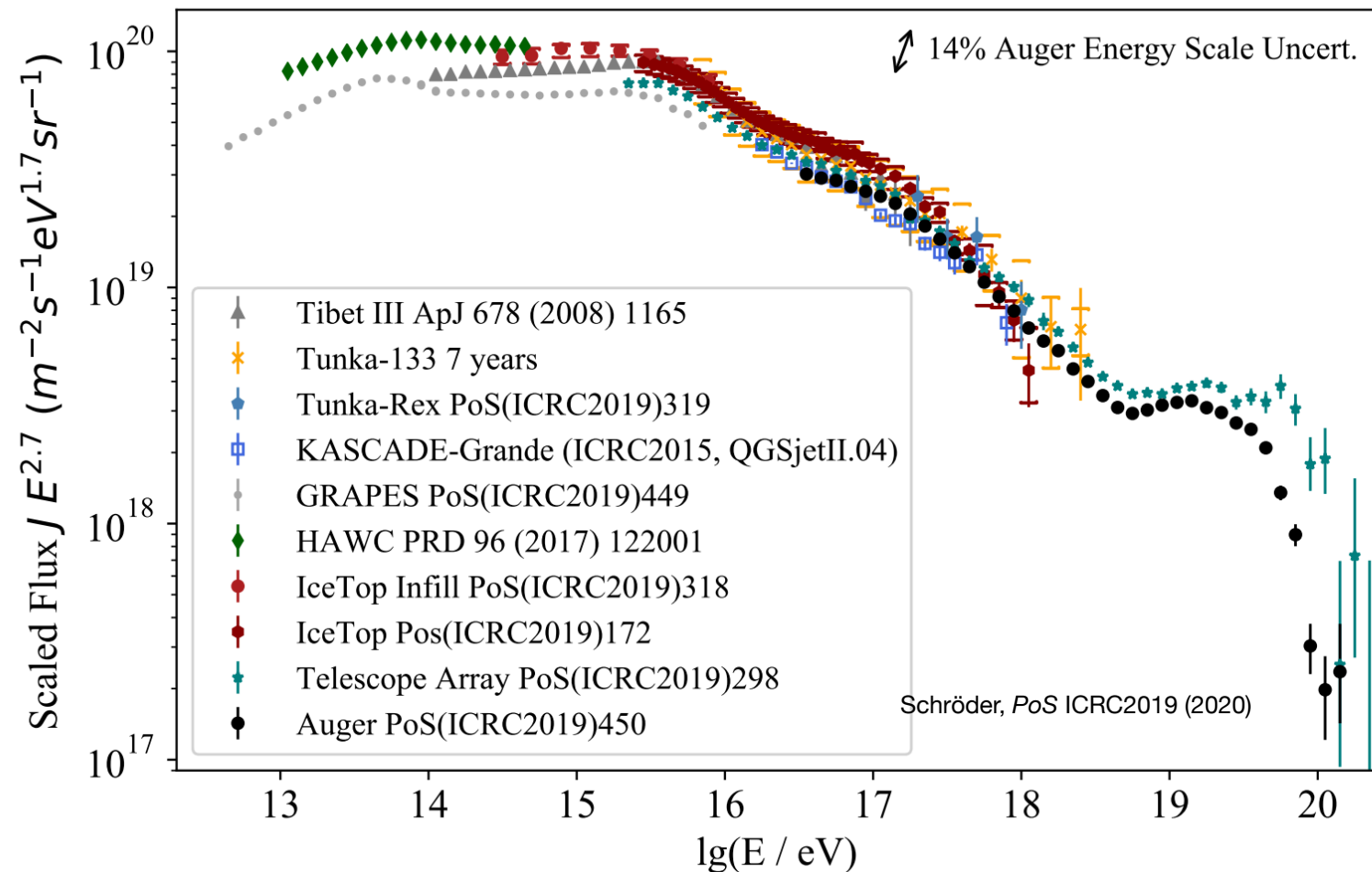


ASTRON



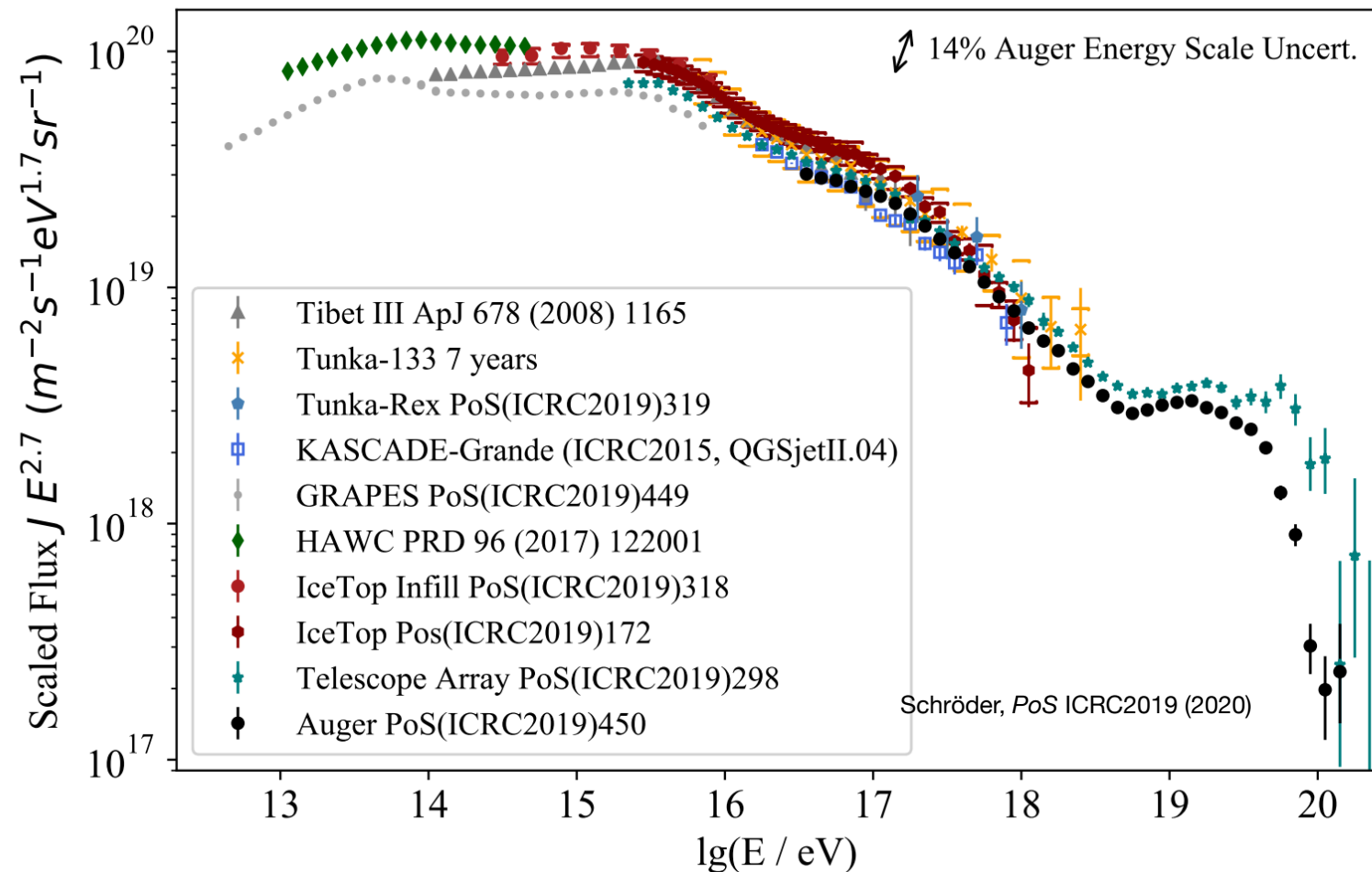
\*[kmulrey@vub.be](mailto:kmulrey@vub.be)

# Motivation



- Energy scales between different experiments differ, must be scaled in order to achieve a global spectrum
- Difficult to directly compare energy reconstruction (different detection methods, systematics, etc.) between experiments

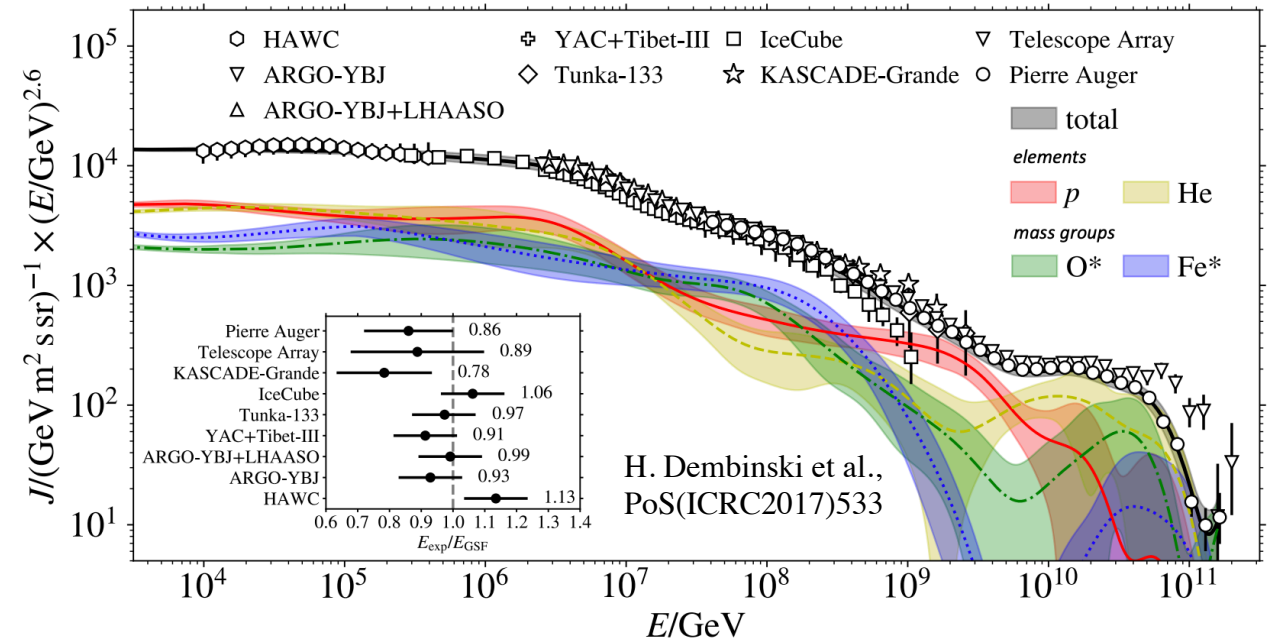
# Motivation



- Energy scales between different experiments differ, must be scaled in order to achieve a global spectrum
- Difficult to directly compare energy reconstruction (different detection methods, systematics, etc.) between experiments
- ***A universal energy scale is critical for understanding cosmic ray sources and acceleration***

# Motivation

A common energy scale has been derived using a data driven using a Global Spline fit (H. Dembinski et al., PoS(ICRC2017)533

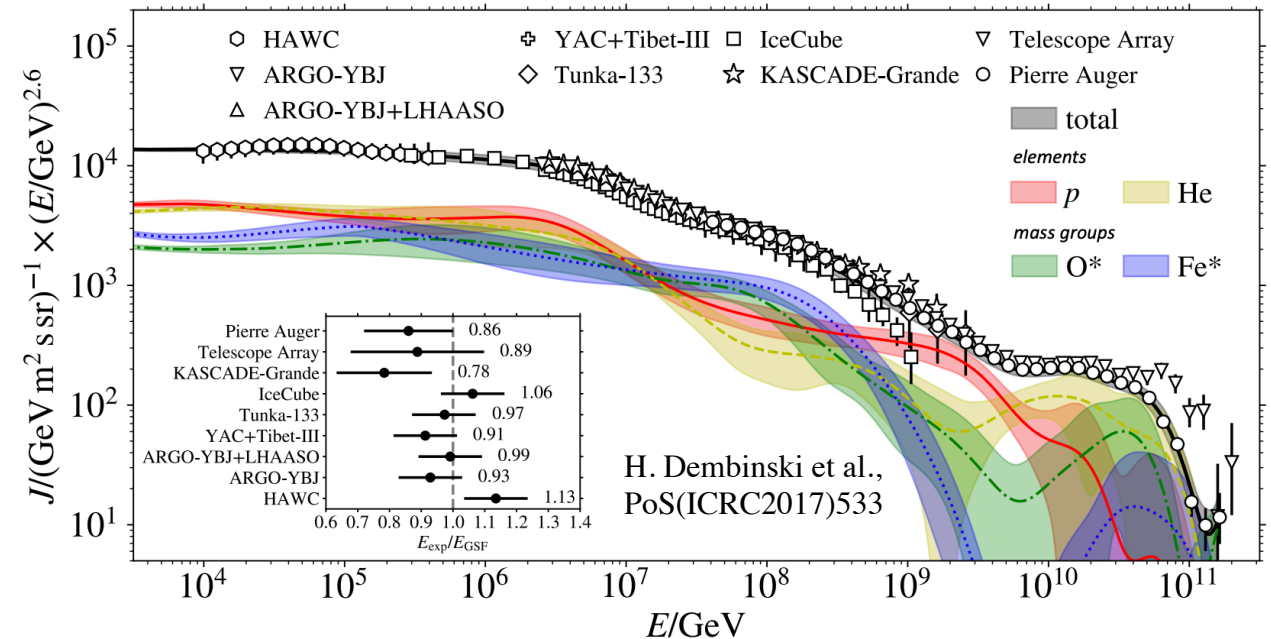


Can a global energy scale be determined experimentally?



# Motivation

A common energy scale has been derived using a data driven using a Global Spline fit (H. Dembinski et al., PoS(ICRC2017)533

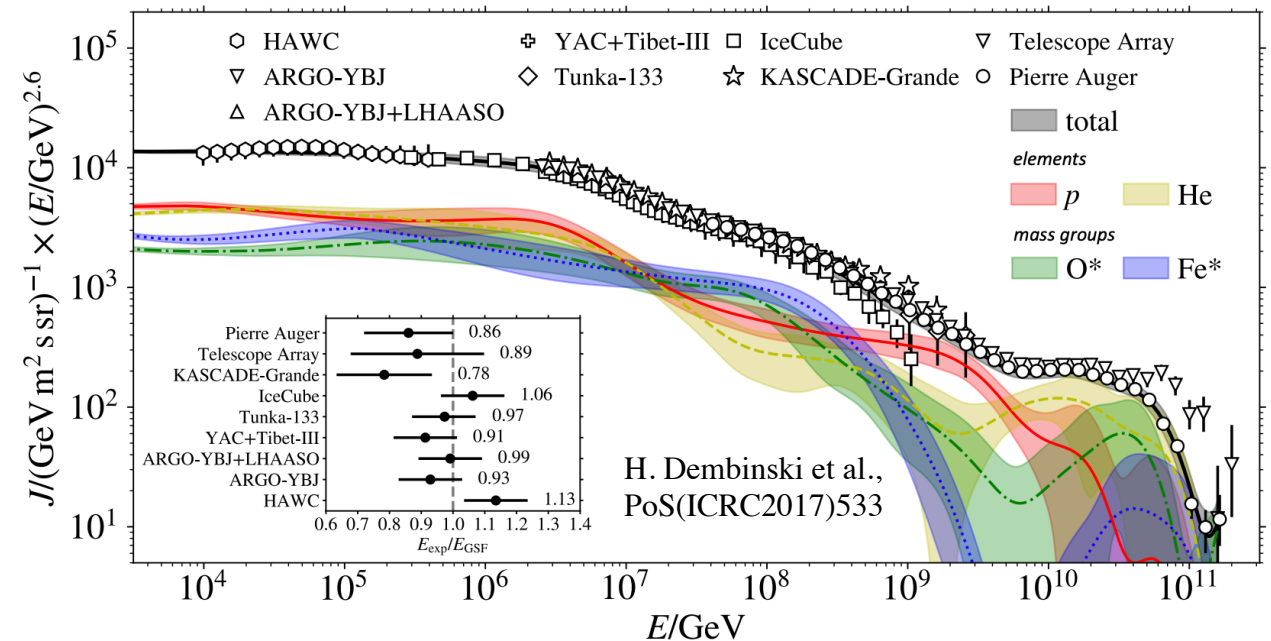


**Can a global energy scale be determined experimentally?**

**Cosmic-ray energy  
cross-calibration array**

# Motivation

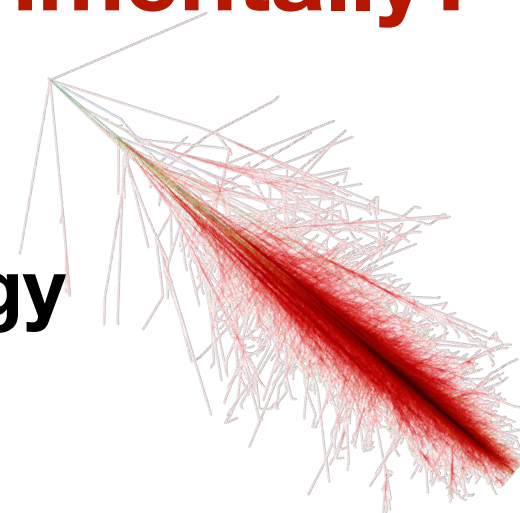
A common energy scale has been derived using a data driven using a Global Spline fit (H. Dembinski et al., PoS(ICRC2017)533



Can a global energy scale be determined experimentally?

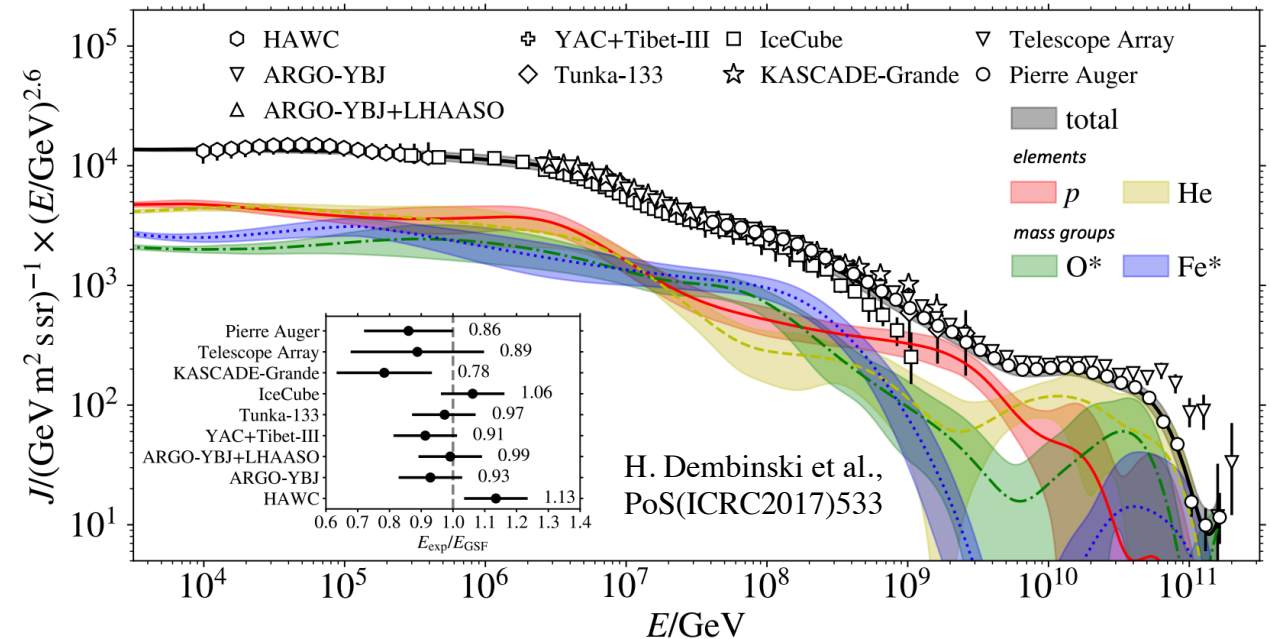
Cosmic-ray energy  
cross-calibration array

1. Radiation Energy  
*universal measurement*



# Motivation

A common energy scale has been derived using a data driven using a Global Spline fit (H. Dembinski et al., PoS(ICRC2017)533



Can a global energy scale be determined experimentally?

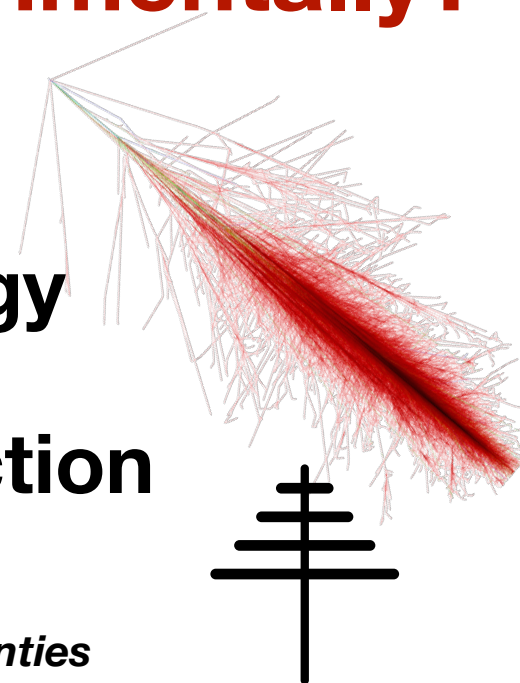
Cosmic-ray energy cross-calibration array

1. Radiation Energy

*universal measurement*

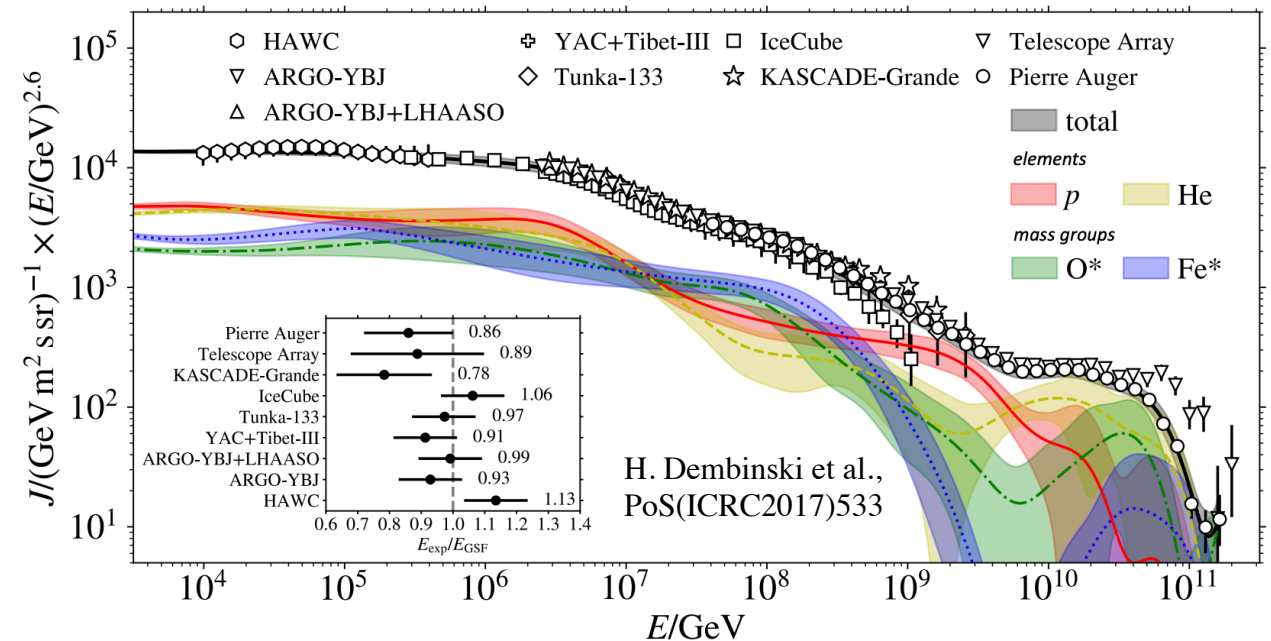
2. Common detection system

*minimal systematic uncertainties*



# Motivation

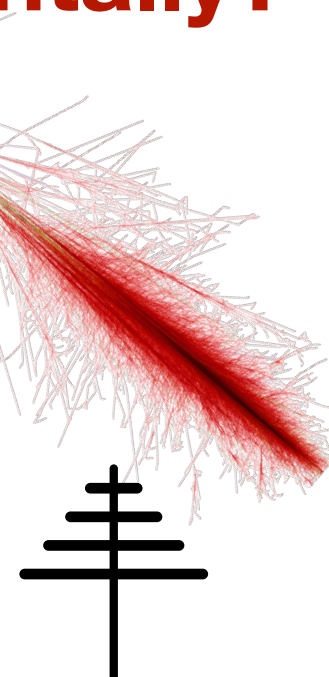
A common energy scale has been derived using a data driven using a Global Spline fit (H. Dembinski et al., PoS(ICRC2017)533



Can a global energy scale be determined experimentally?

Cosmic-ray energy  
cross-calibration array

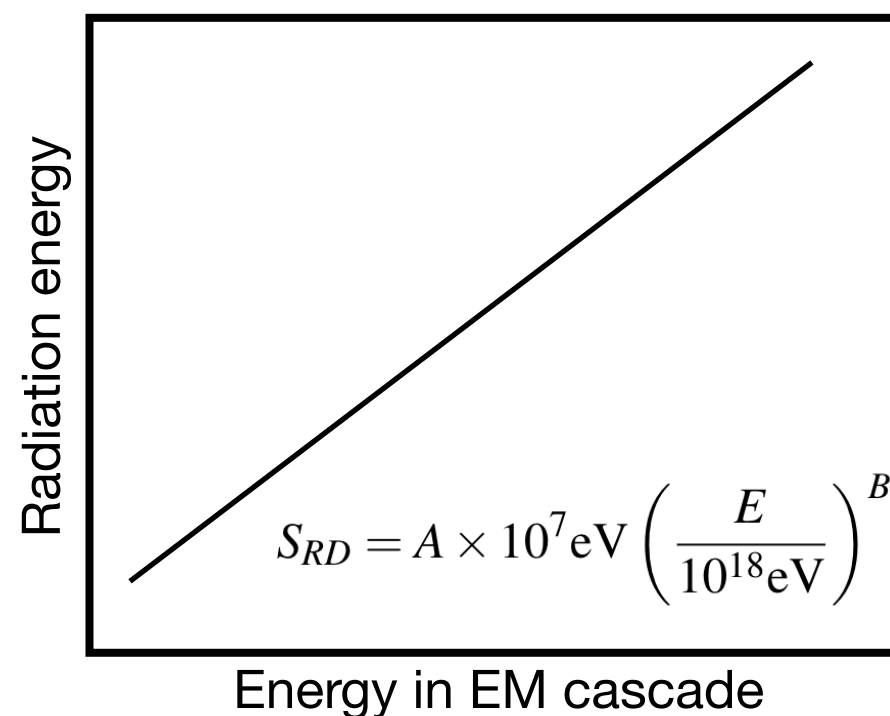
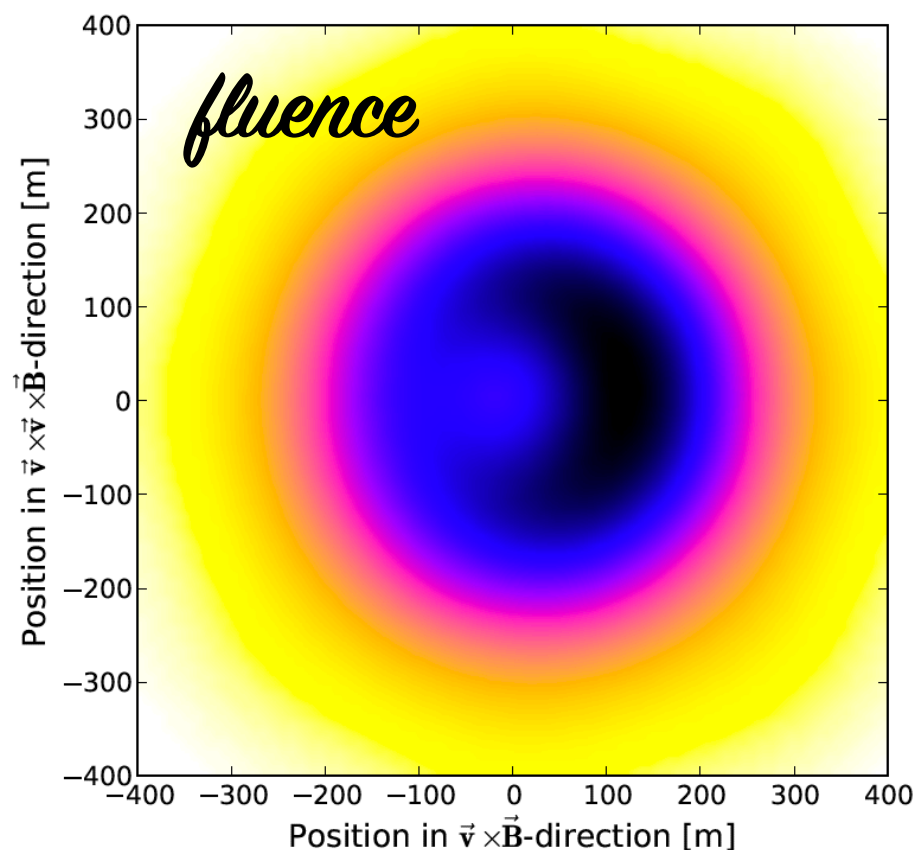
Quantify the  
differences between  
energy scales of  
different experiments



# Concept

## *Use radiation energy to compare energy scales*

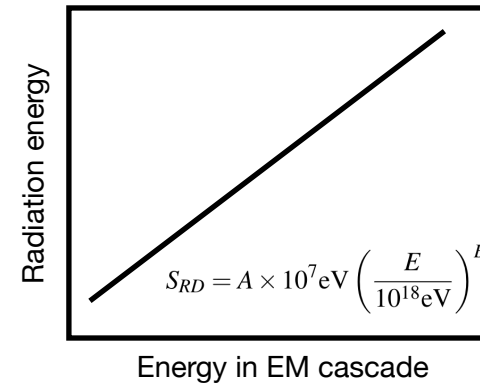
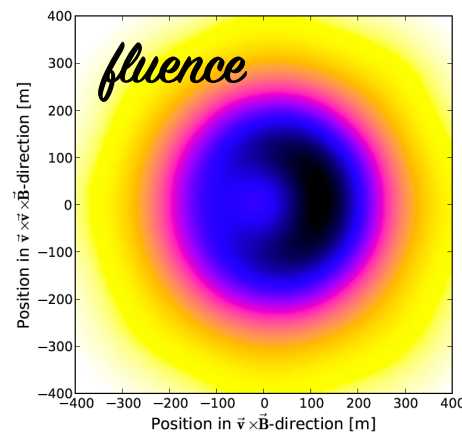
- energy emitted by the air shower in the form of radio waves
- integral of energy fluence on ground
- scales with energy in electromagnetic components of the air shower





# Concept

*Use radiation energy to compare energy scales*



**Make it universal...**

$$S_{RD} = \frac{E_{\text{rad}}}{(a'^2 + (1 - a'^2)) \sin^2 \alpha \left( \frac{B_{\text{Earth}}}{0.243 \text{G}} \right)^{1.8}}$$

The equation is enclosed in a black box. A blue arrow points from the text "corrected radiation energy" to  $S_{RD}$ . Another blue arrow points from the text "radiation energy" to  $E_{\text{rad}}$ .

$a$  = parametrization of the charge-excess fraction

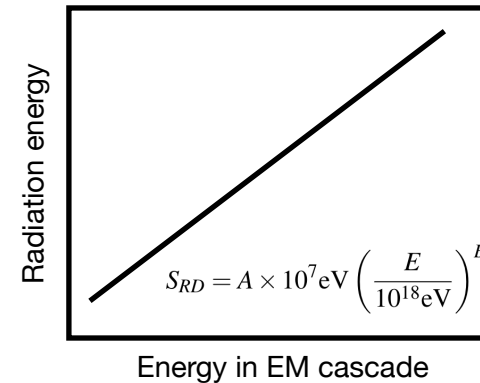
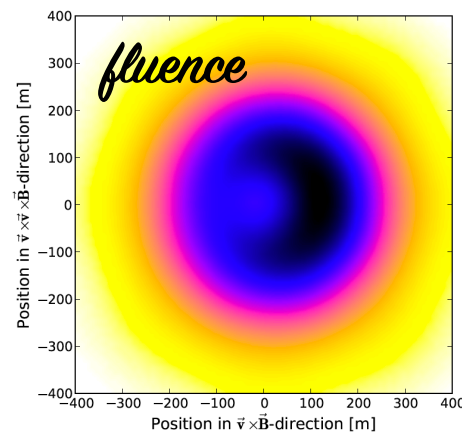
$B_{\text{Earth}}$  = local magnet field

$\alpha$  = angle between shower axis and  $B_{\text{Earth}}$  axis

Method from:  
*C. Glaser, et al. JCAP, 1609(09):024, 2016*

# Concept

*Use radiation energy to compare energy scales*



**Make it universal...**

corrected radiation energy  $\rightarrow$   $S_{RD} = \frac{E_{\text{rad}}}{(a'^2 + (1 - a'^2)) \sin^2 \alpha \left( \frac{B_{\text{Earth}}}{0.243 \text{G}} \right)^{1.8}}$   $\leftarrow$  radiation energy

$a$  = parametrization of the charge-excess fraction  
 $B_{\text{Earth}}$  = local magnet field  
 $\alpha$  = angle between shower axis and  $B_{\text{Earth}}$  axis

***Corrected radiation energy is a universal quantity that can be directly compared between experiments***

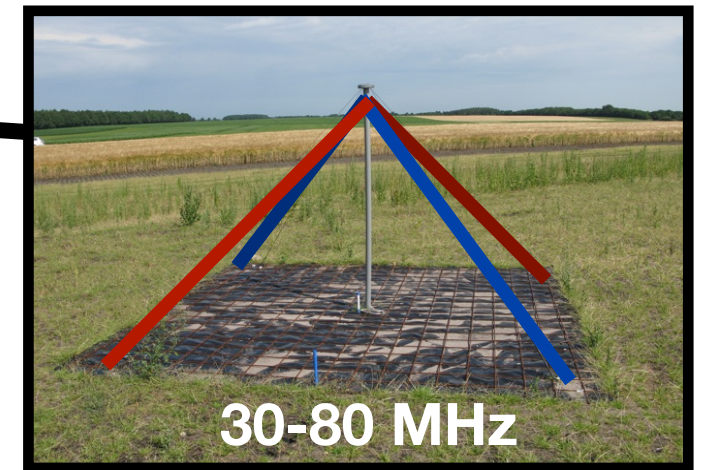
Method from:  
C. Glaser, et al. JCAP, 1609(09):024, 2016

# Example: LOFAR

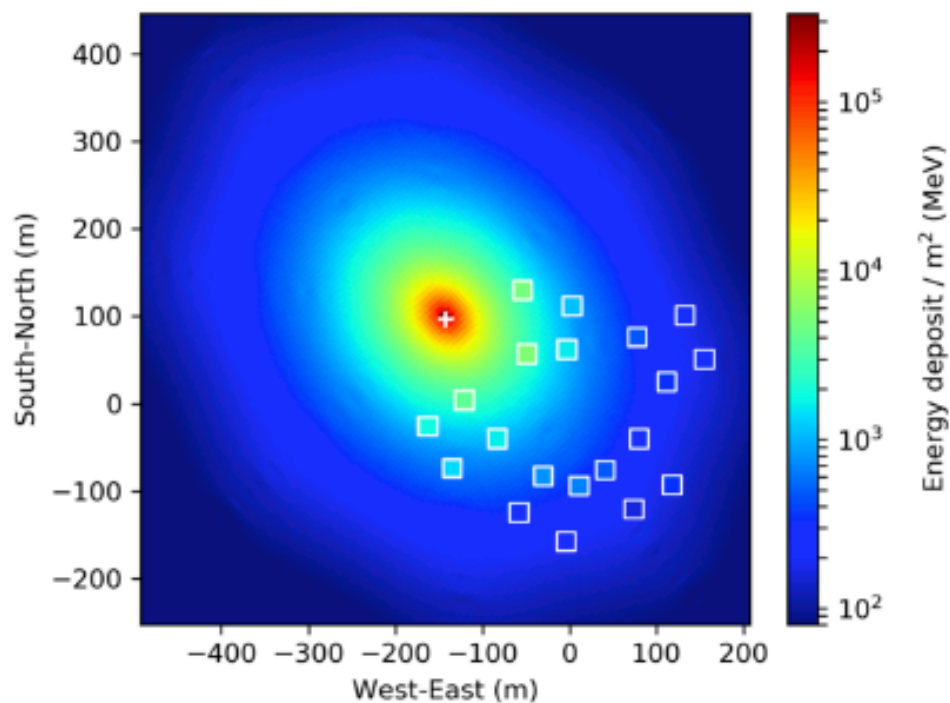
LOFAR Radboud air shower Array (LORA)



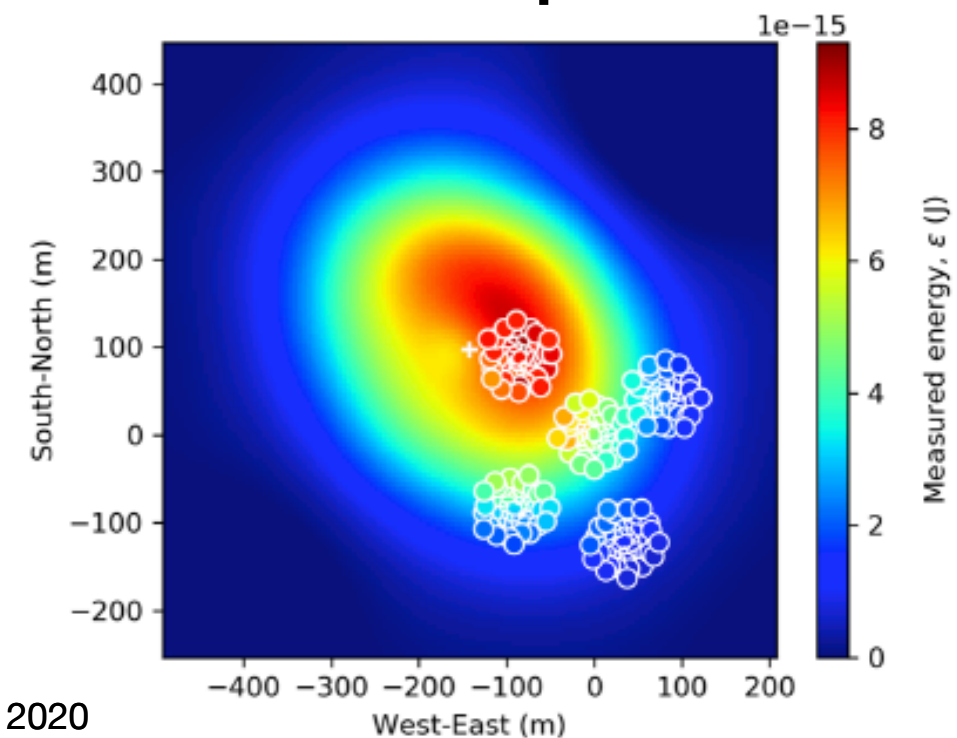
Low Frequency Array (LOFAR)



Particle footprint



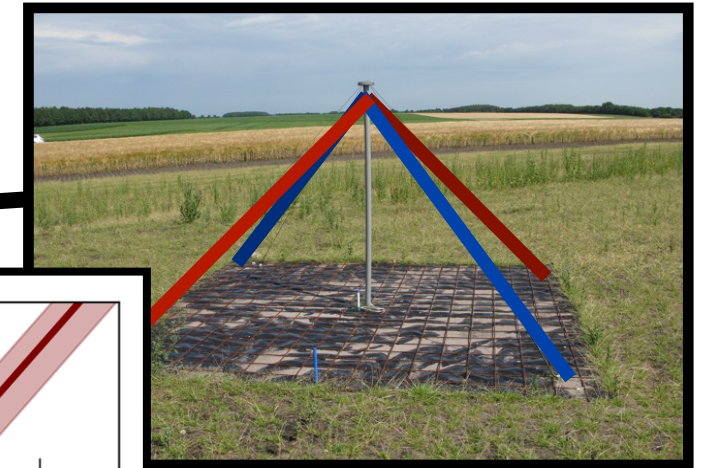
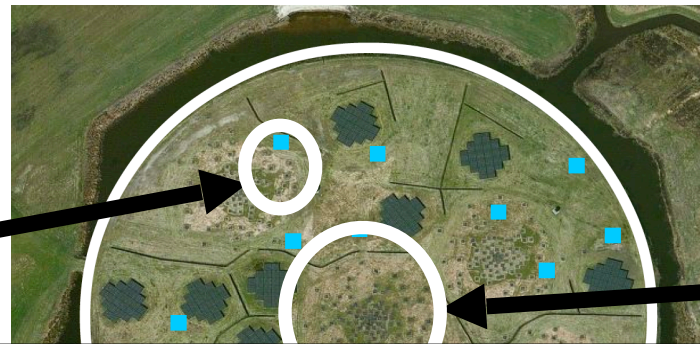
Radio footprint



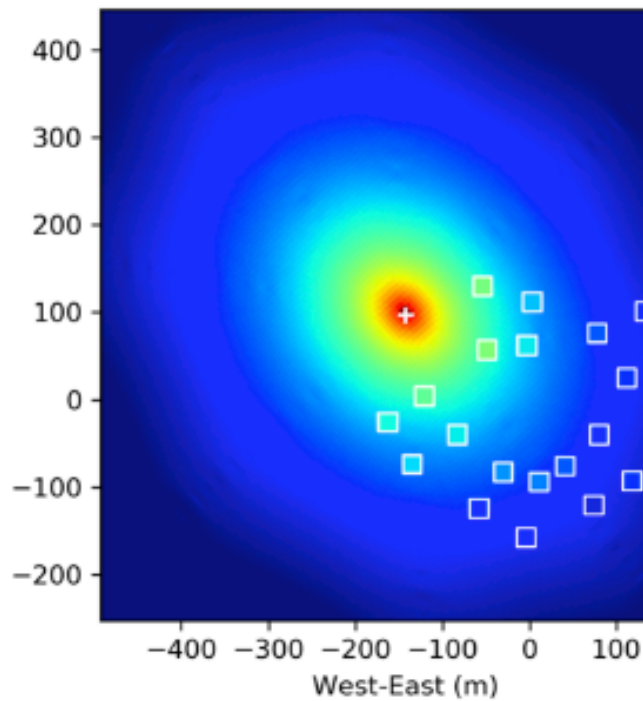
Mulrey et al. JCAP 2020



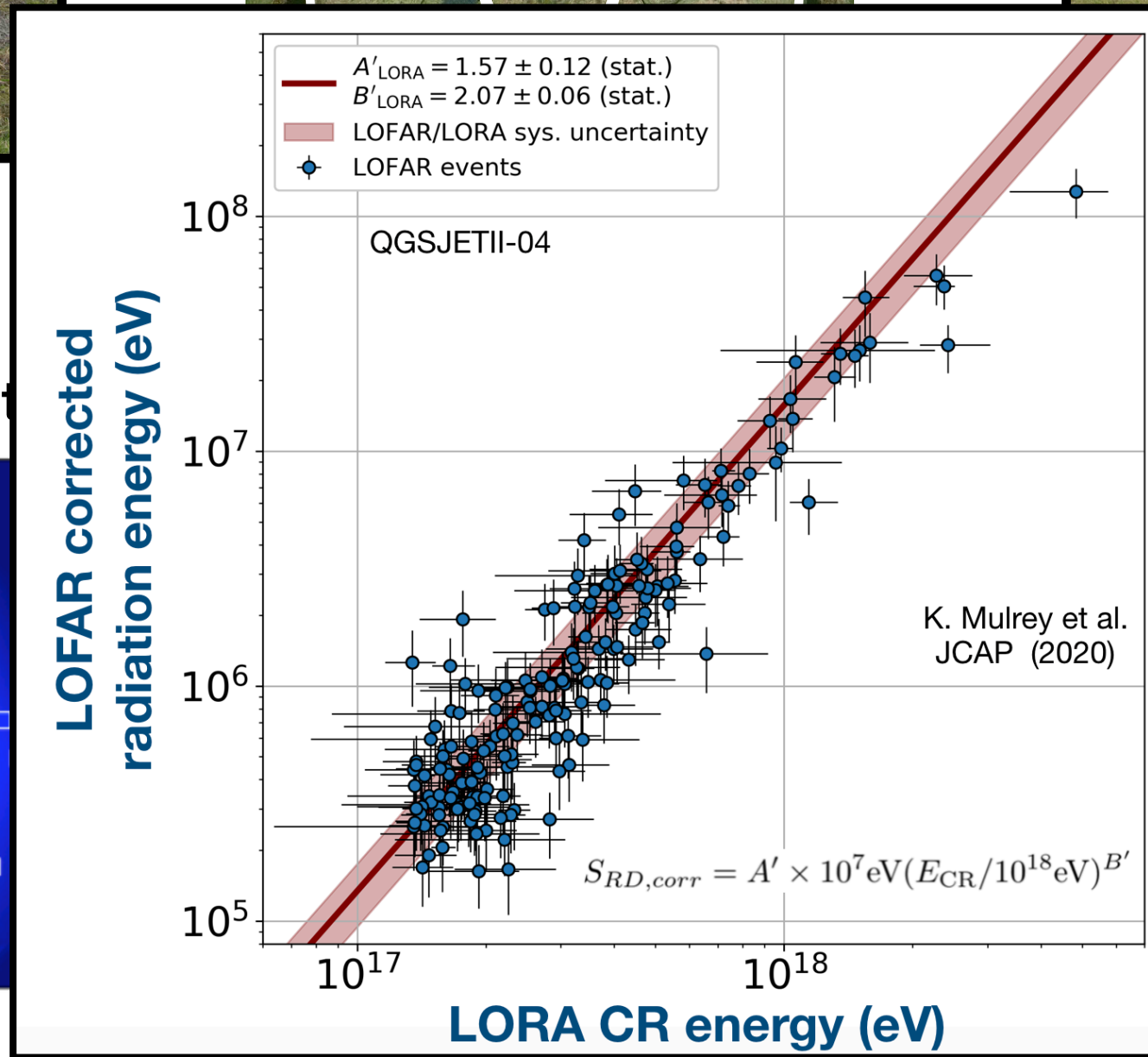
# Example: LOFAR



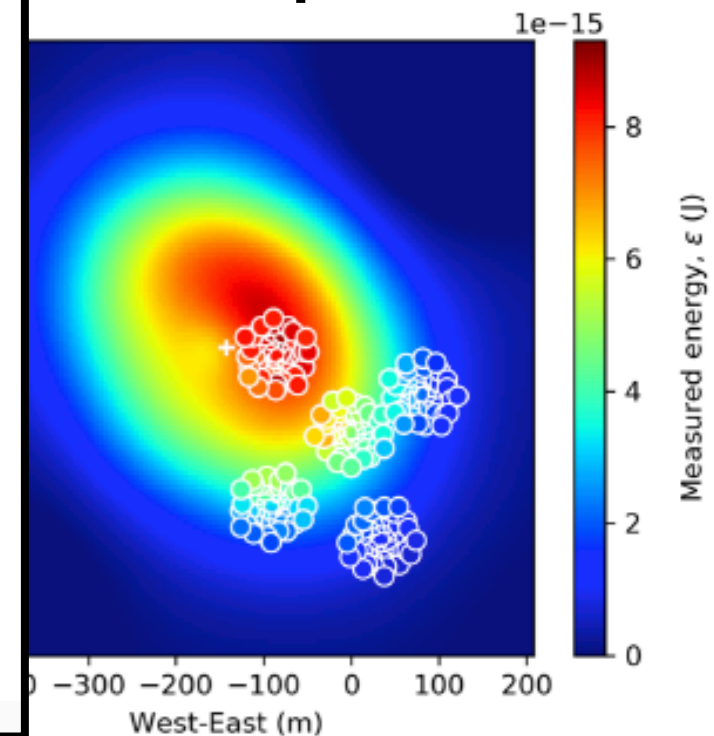
Particle footprint



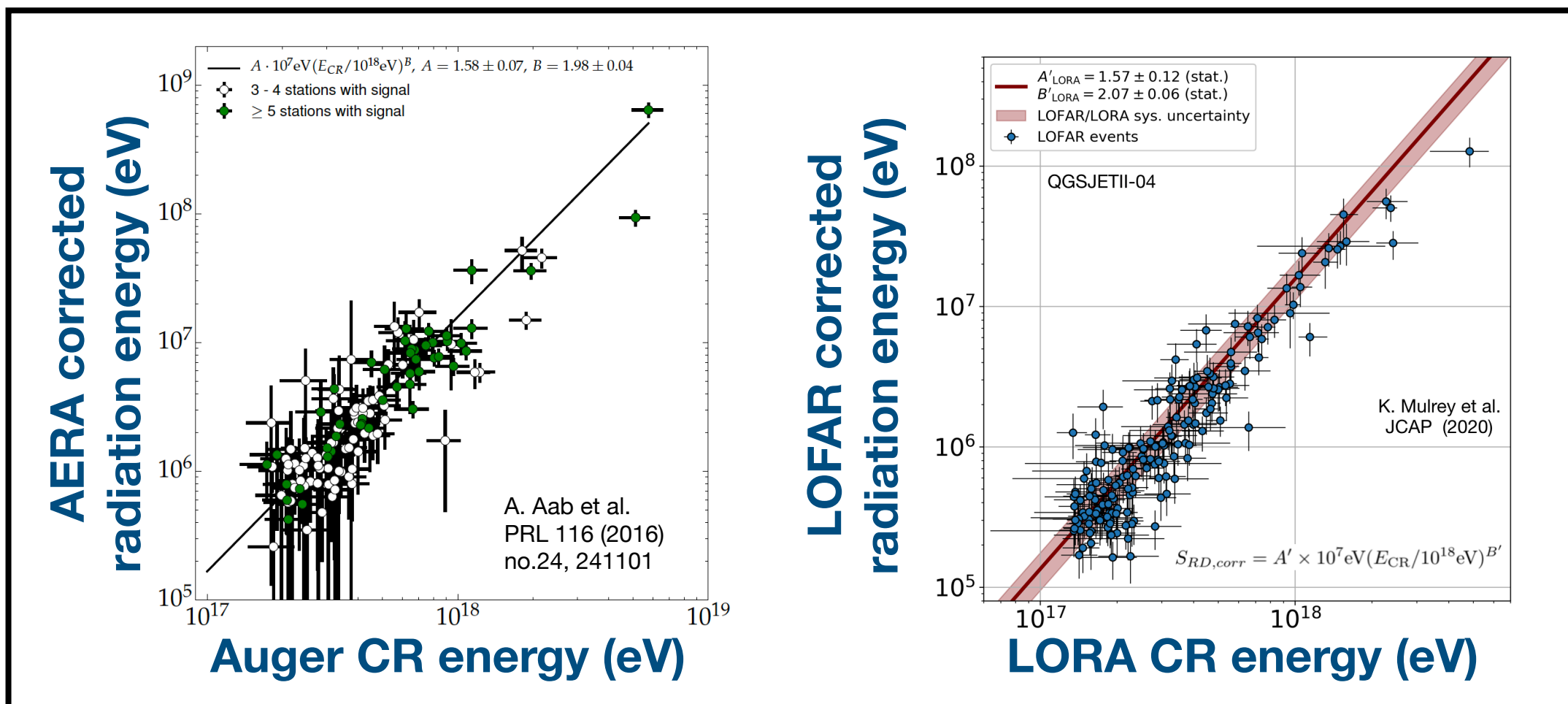
LOFAR corrected radiation energy (eV)



Radio footprint



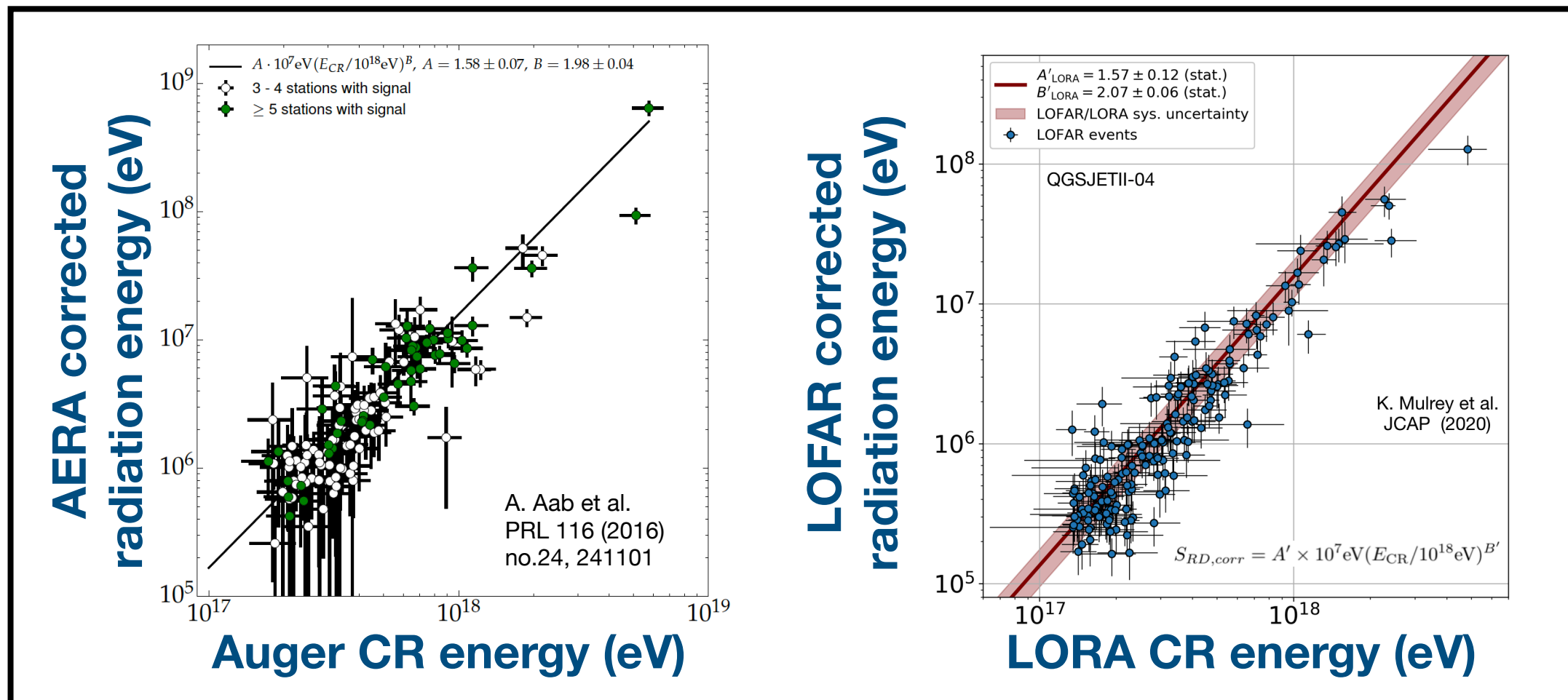
# Example: LOFAR + Auger



At a radiation energy of 1 MeV, the energy scales of Auger and LORA agree to within  $6 \pm 20$  %



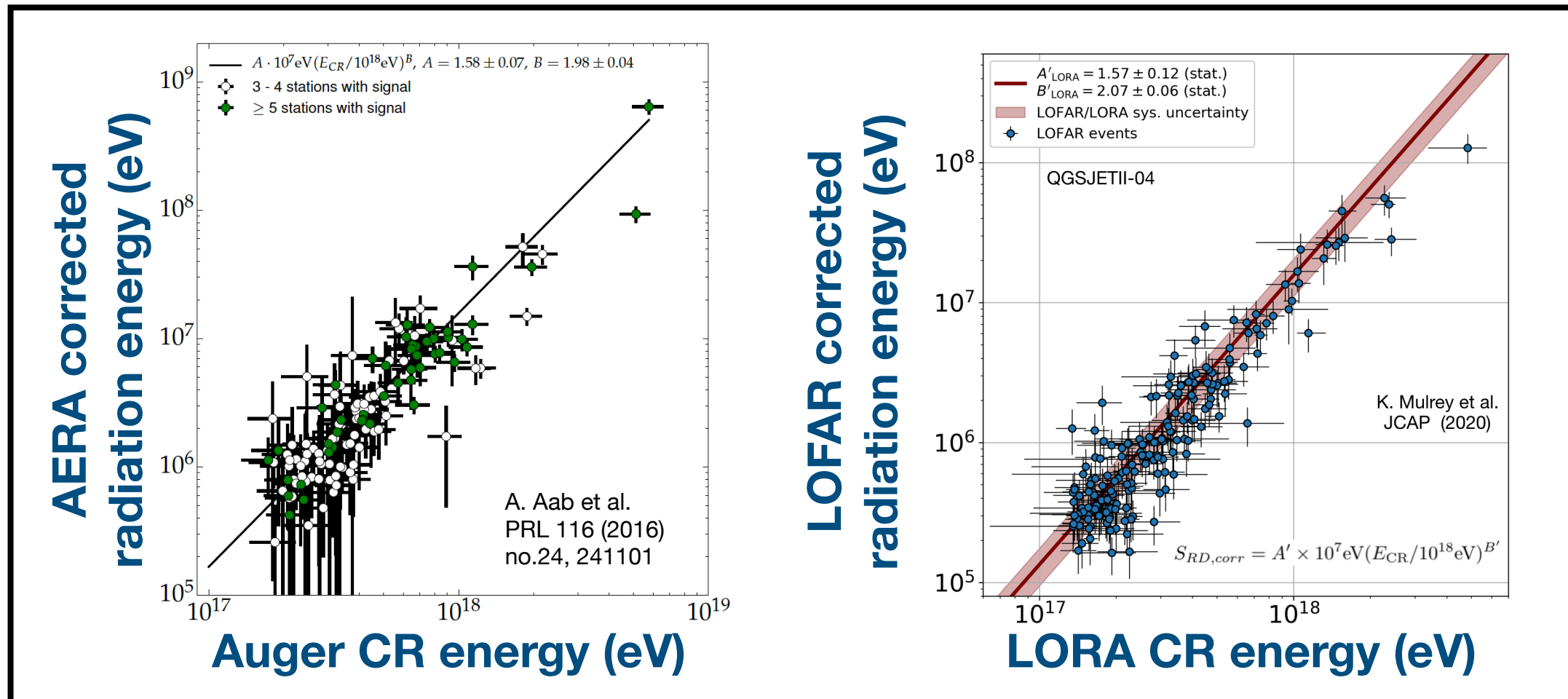
# Example: LOFAR + Auger



At a radiation energy of 1 MeV, the energy scales of Auger and LORA agree to within  $6 \pm 20\%$

How can we improve this?

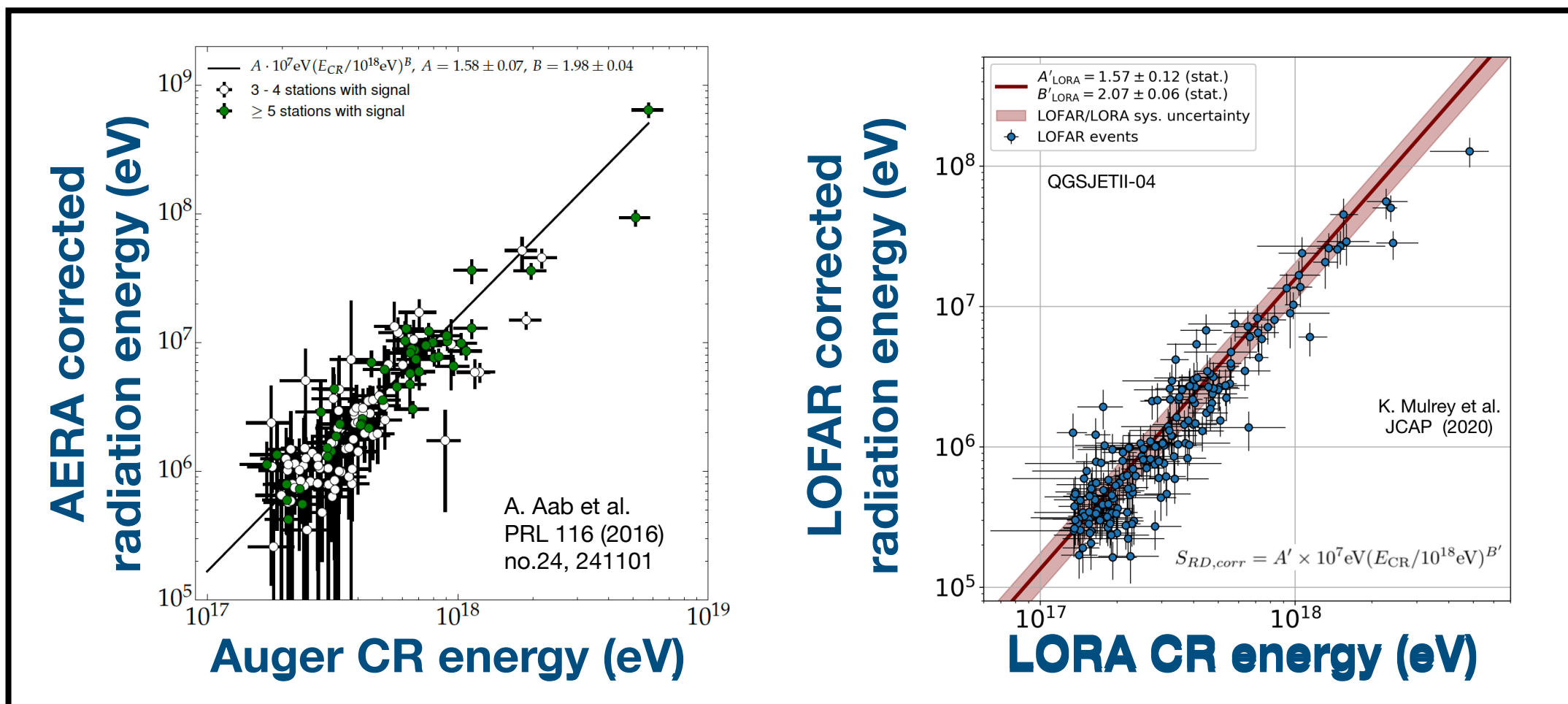
# Example: LOFAR + Auger



At a radiation energy of 1 MeV, the energy scales of Auger and LORA agree to within  $6 \pm 20\%$

- 14% uncertainty AERA antenna calibration
- 13.6% uncertainty LOFAR radiation energy (dominated by antenna calibration)

# Example: LOFAR + Auger



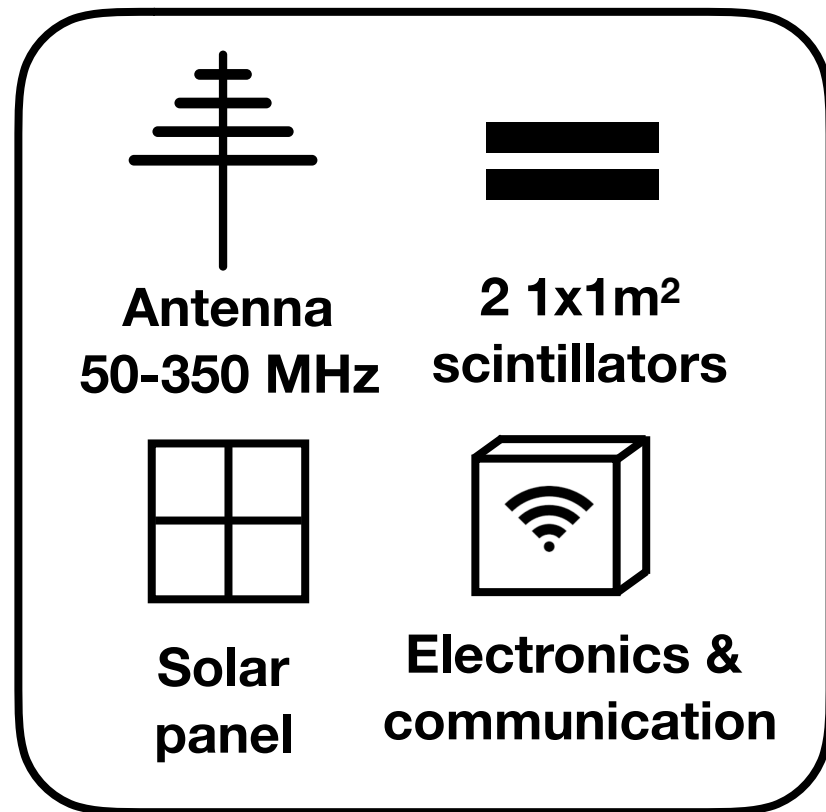
At a radiation energy of 1 MeV, the energy scales of Auger and LORA agree to within  $6 \pm 20\%$

- 14% uncertainty AERA antenna calibration
- 13.6% uncertainty LOFAR radiation energy (dominated by antenna calibration)

Measure the radiation energy with the same array!

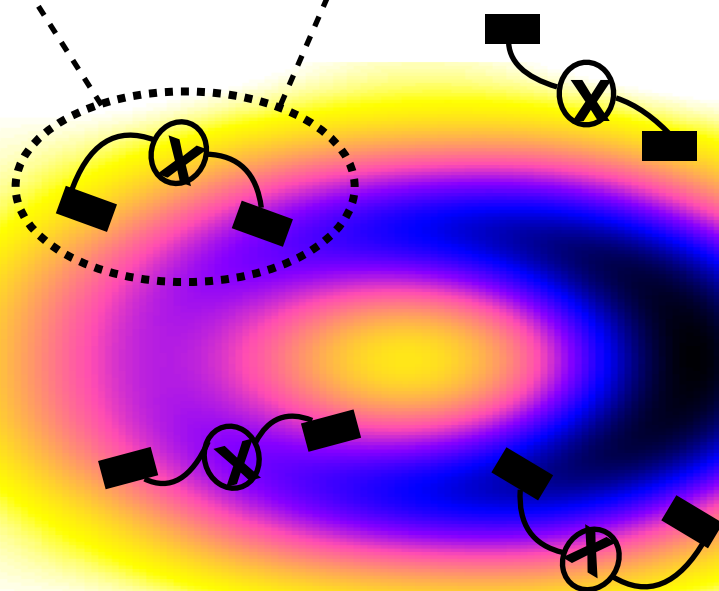


# Cross-calibration array



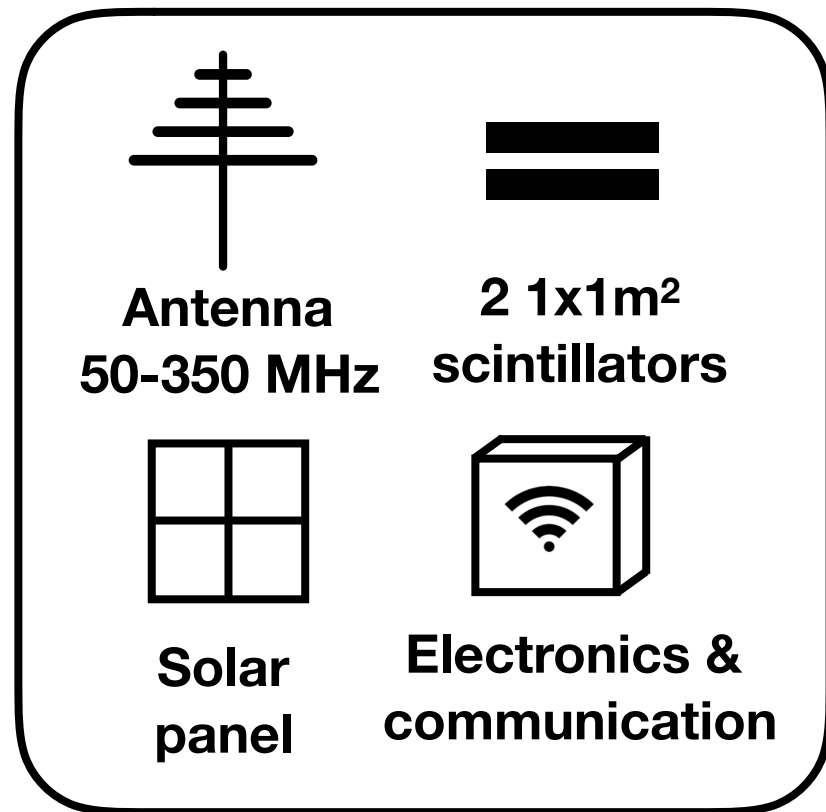
**Measure the radiation energy  
with the same array!**

Eliminate uncertainties on the comparison  
due to antenna calibration, system  
response, ...





# Cross-calibration array



## Measure the radiation energy with the same array!

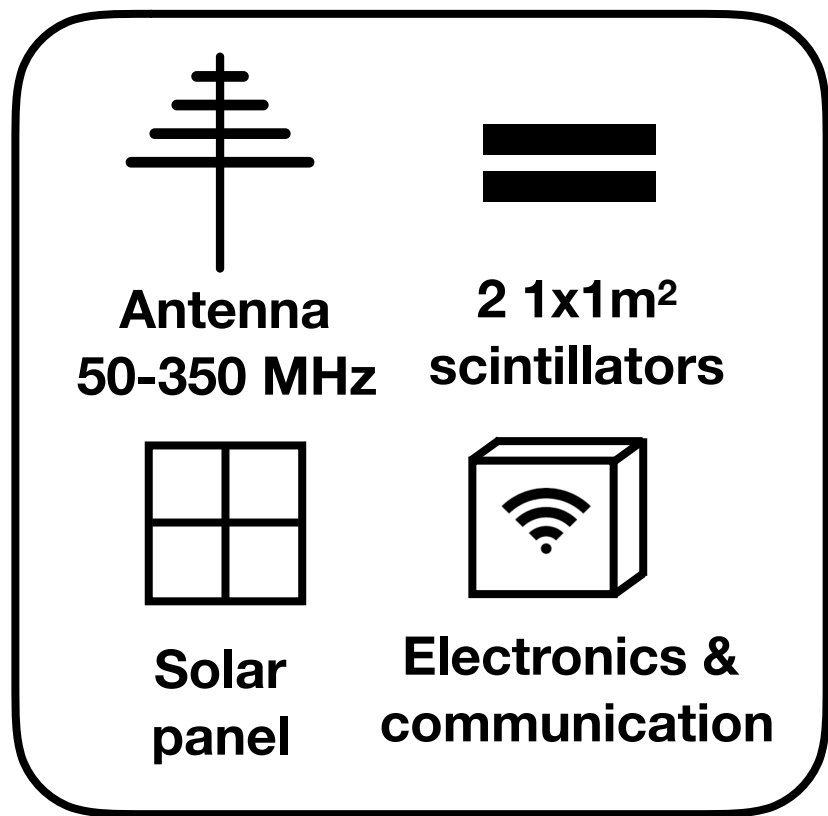
Eliminate uncertainties on the comparison  
due to antenna calibration, system  
response, ...

- **Autonomous:** self triggering, independent energy measurement, no/minimal interference with main experiment
- **Portable:** can be deployed at different sites, spacing can be adjusted to probe different energy regimes

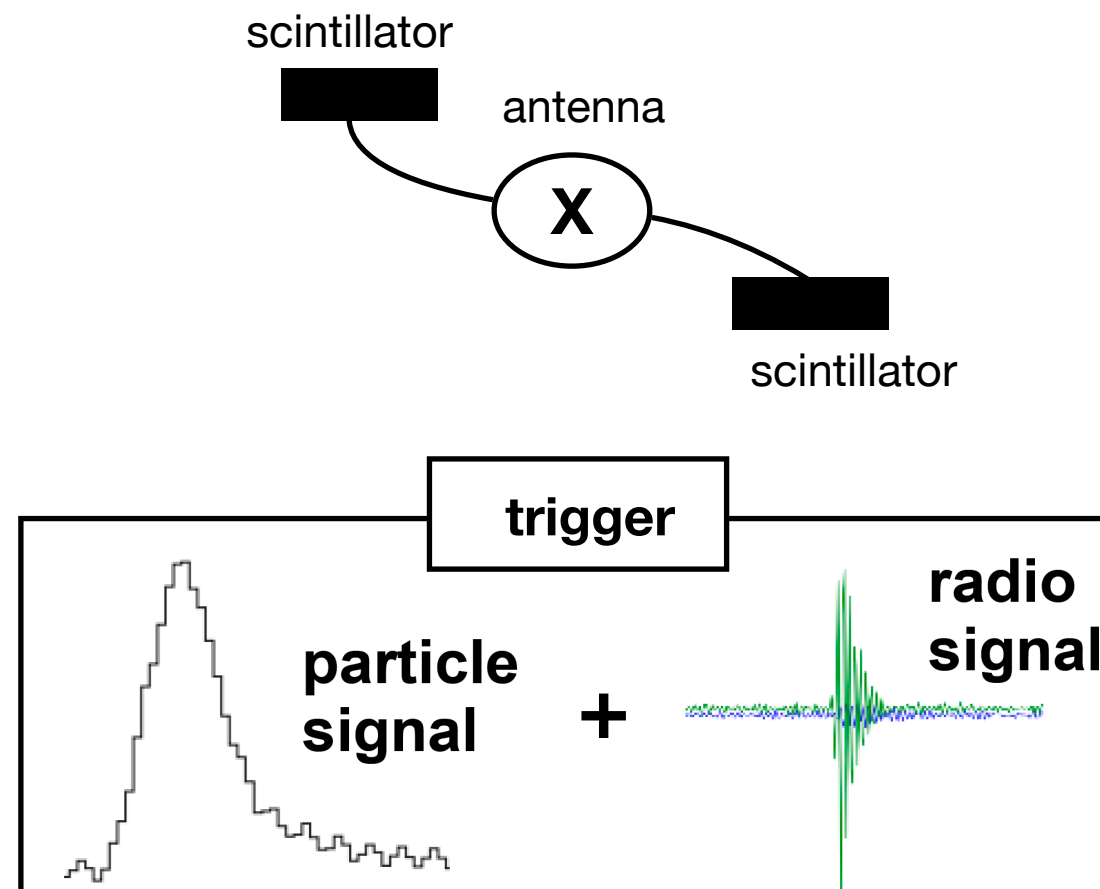




# Cross-calibration array



## Triggering: radio + particle

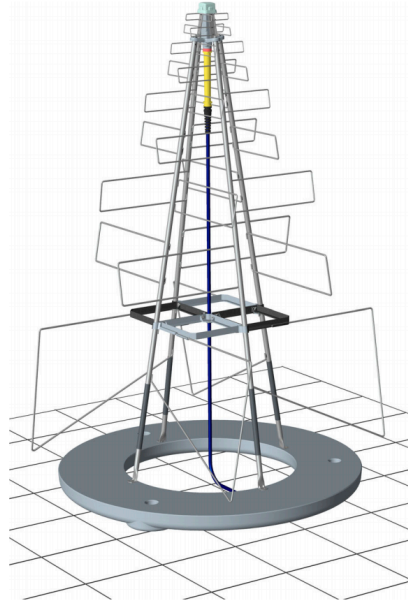


Particle: ensures a cosmic ray ✓

Radio: Strong radio signal / usable event ✓

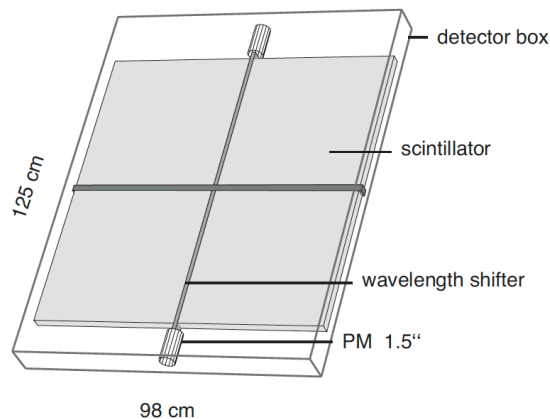


# Cross-calibration array



## Antenna: SKA log-periodic (v2)

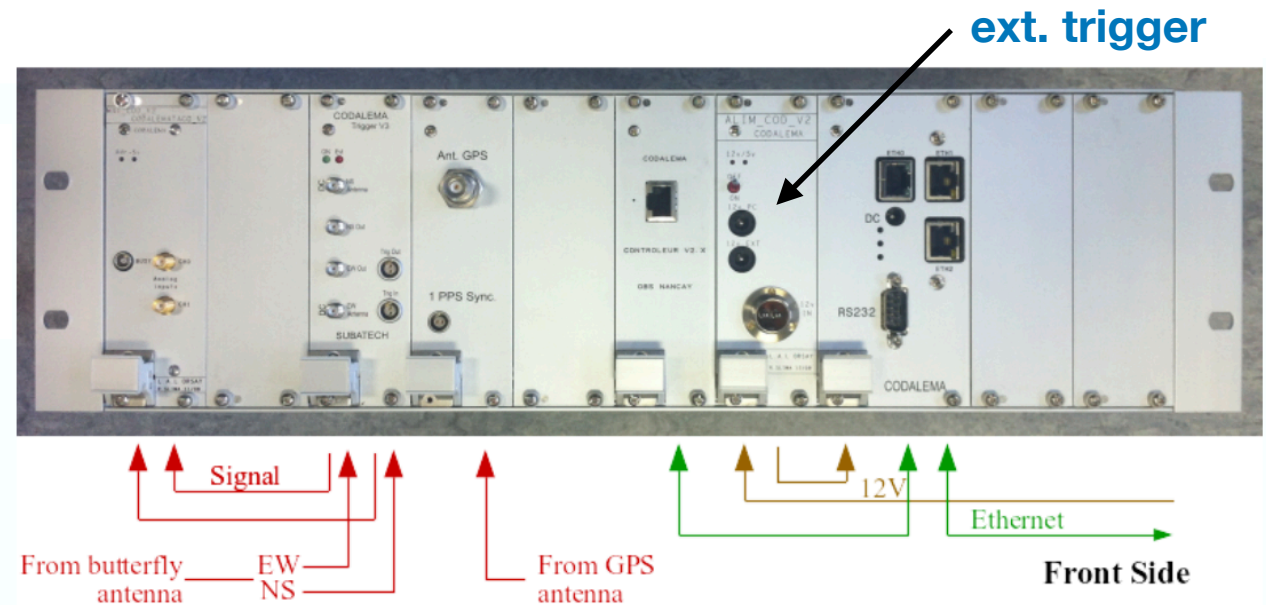
- High gain, smooth response up to 350 MHz
- Well modeled
- Used in SKA, IceTop radio



## Scintillators: KASCADE

- $\sim 1\text{m}^2$
- Well understood

## CODALEMA electronics

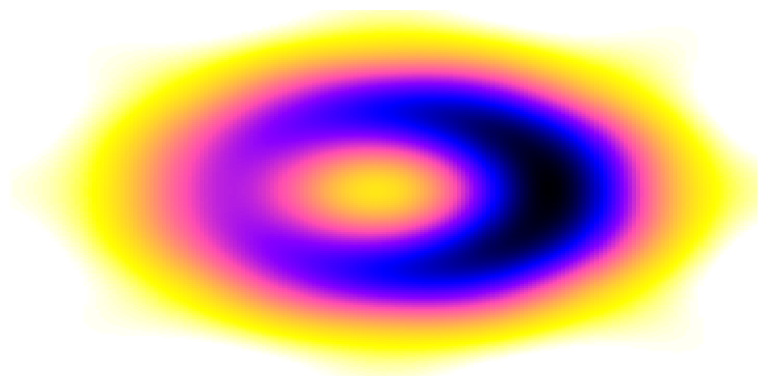


- 1 GS/s sampling
- 14 bit depth
- 2.56  $\mu\text{sec}$  traces
- 15 ns relative accuracy
- 20-25 W power
- External / logic triggering



# Radiation Energy Reconstruction

## 1. Integrate fluence to get radiation energy (2D LDF)

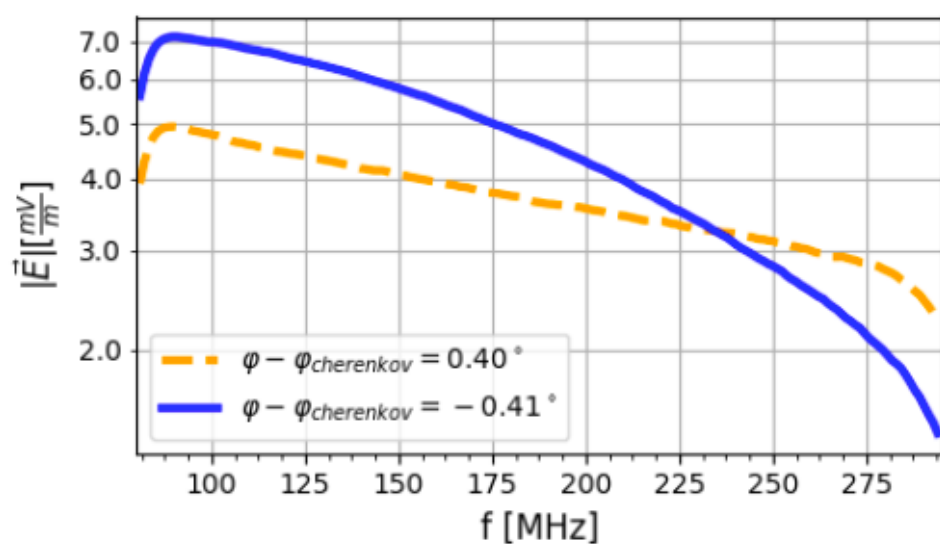


$$f = \epsilon_0 c \left( \Delta t \sum_{t_1}^{t_2} |\vec{E}(t_i)|^2 - \Delta t \frac{t_2 - t_1}{t_4 - t_3} \sum_{t_3}^{t_4} |\vec{E}(t_i)|^2 \right)$$

A. Aab et al.  
PRL 116 (2016)  
no.24, 241101

- Only 5 stations- use direction/core info from host experiment
- Develop model for 50-350 MHz footprint
- Resolution ~20% (30-80 MHz)

## 2. Use broadband spectral information (ARIANNA style)



$$\begin{pmatrix} \mathcal{E}_\theta \\ \mathcal{E}_\phi \end{pmatrix} = \begin{pmatrix} A_\theta \\ A_\phi \end{pmatrix} 10^{f \cdot m_f} \exp(\Delta j)$$

$$\frac{\sqrt{\Phi'_E}}{E_{shower}} = A \cdot \exp(-s \cdot (|m_f| \cdot \text{GHz})^{0.8})$$

Corrected radiation energy

Welling et al.  
JCAP 10 (2019) 075

- Make use of spectral information to determine where you are w.r.t the Cherenkov cone
- Single antenna reconstruction?
- Resolution ~15%



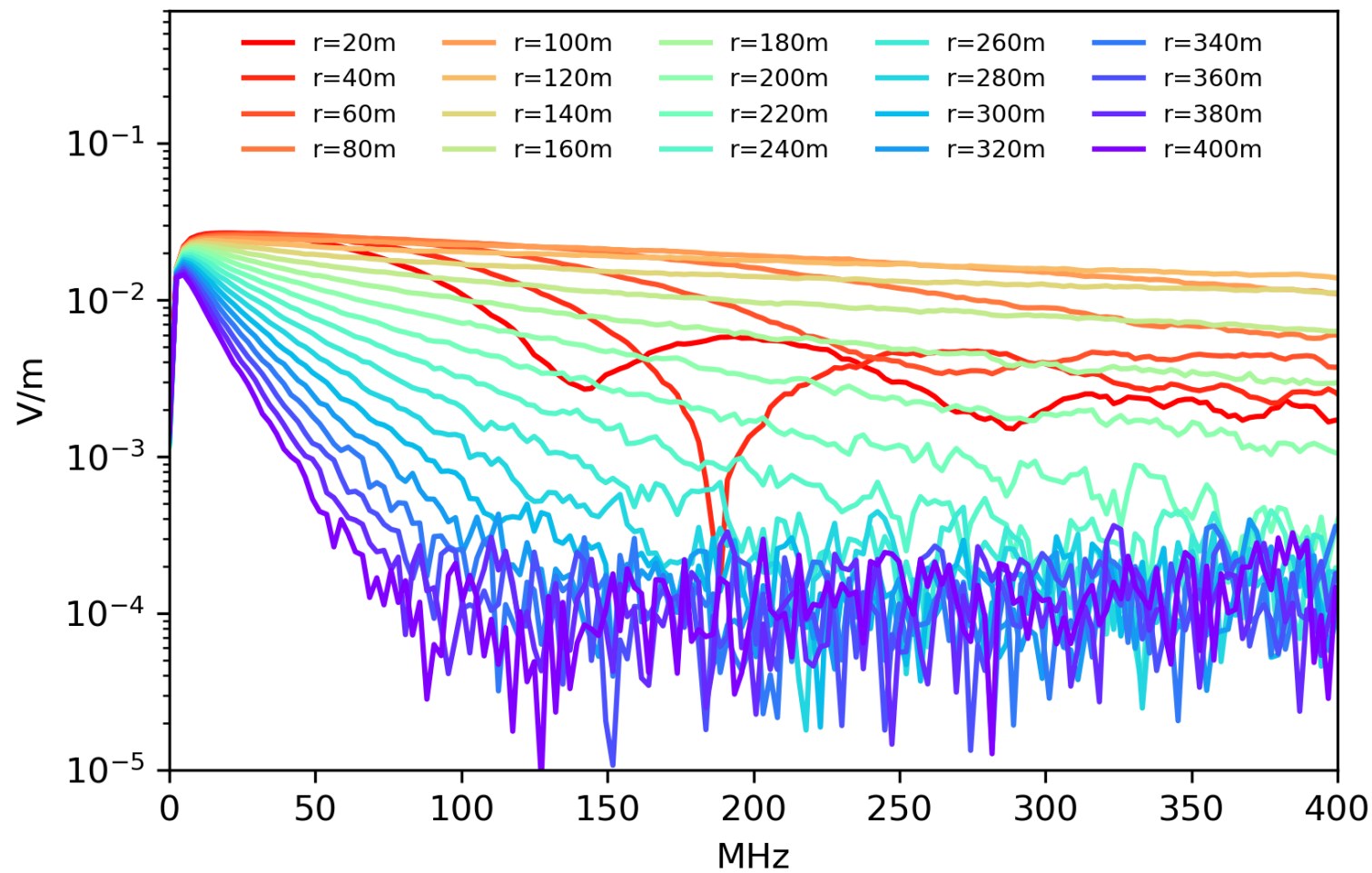
# Radiation Energy Reconstruction

Geomagnetic signal on vvxvB arm

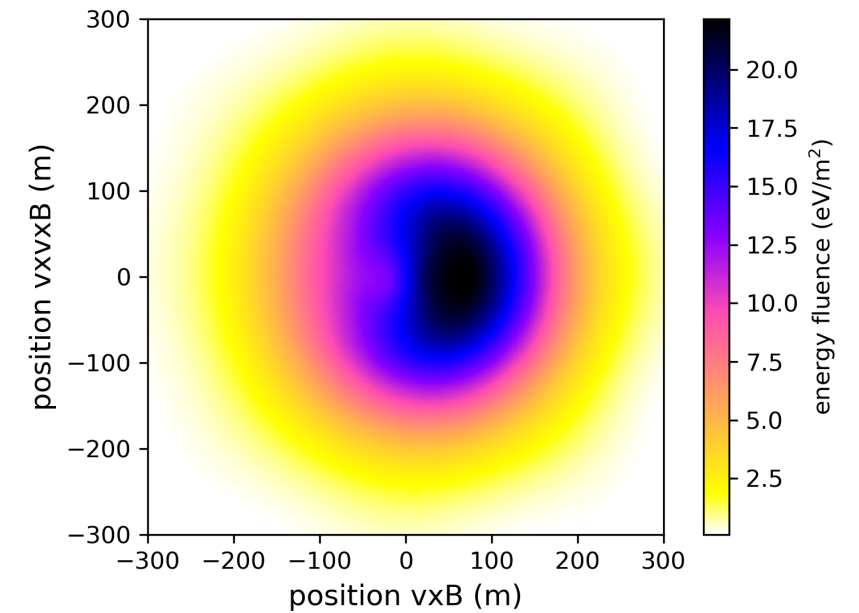
$E \sim 10^{17} \text{eV}$

$X_{\text{max}} = 640 \text{ g/cm}^2$

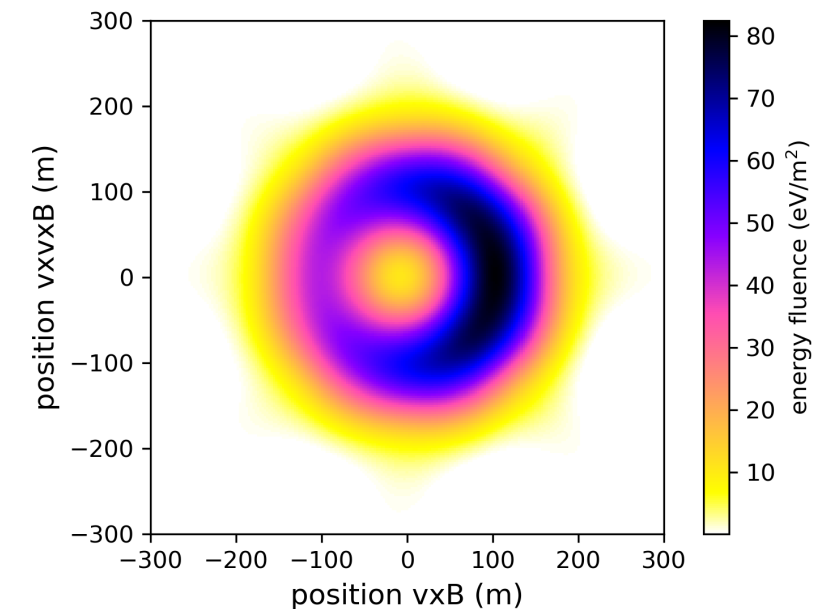
zenith =  $33^\circ$



**30-80 MHz**



**50-350 MHz**





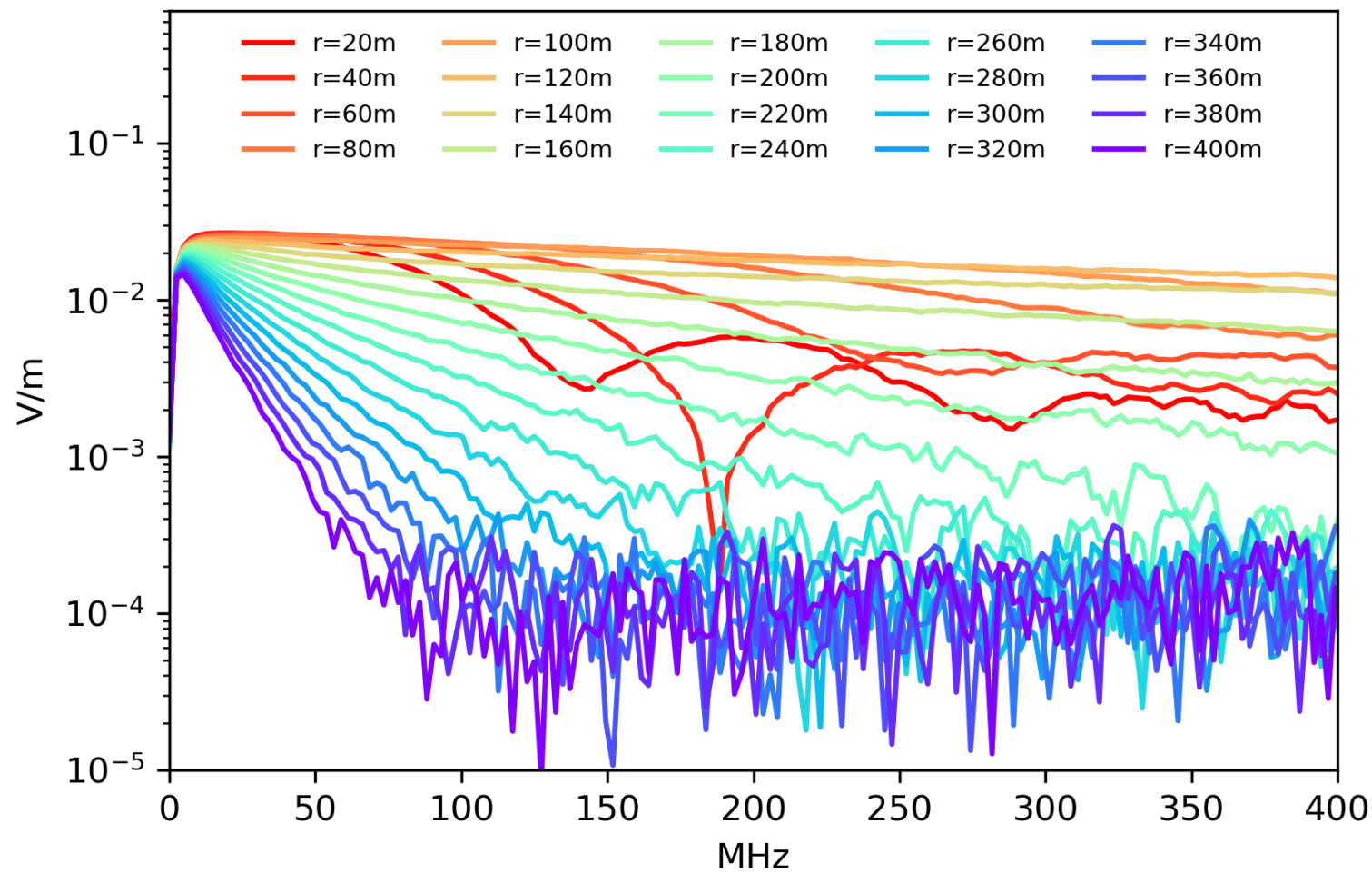
# Radiation Energy Reconstruction

Geomagnetic signal on vxvxB arm

$E \sim 10^{17} \text{ eV}$

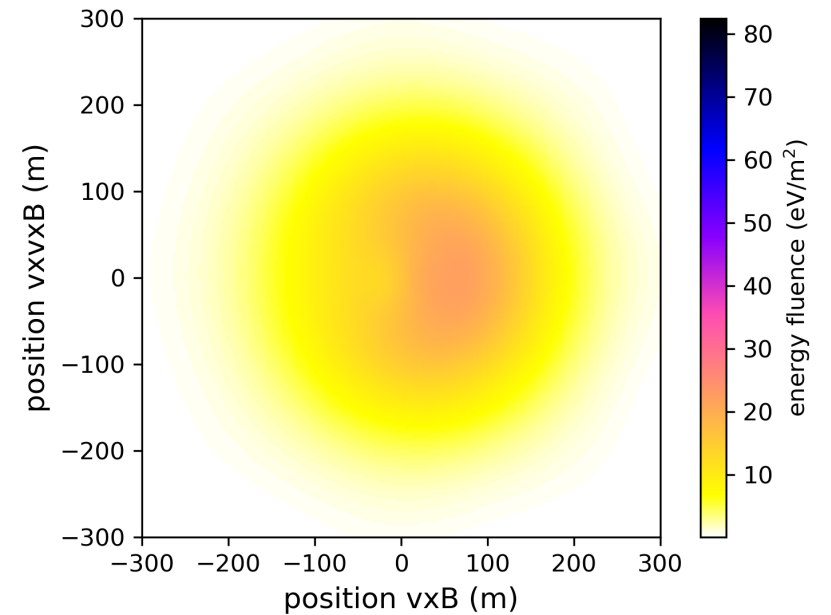
$X_{\text{max}} = 640 \text{ g/cm}^2$

zenith =  $33^\circ$

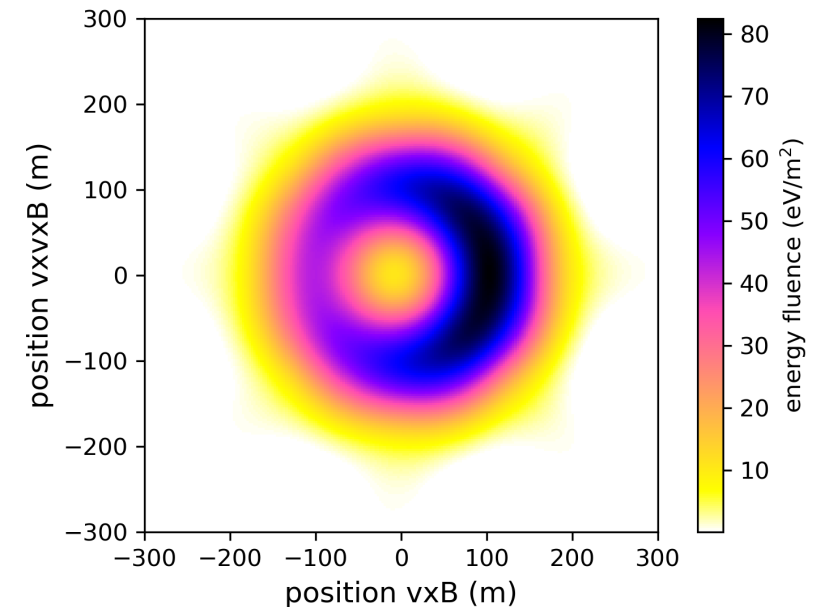


Energy reconstruction: work in progress

30-80 MHz



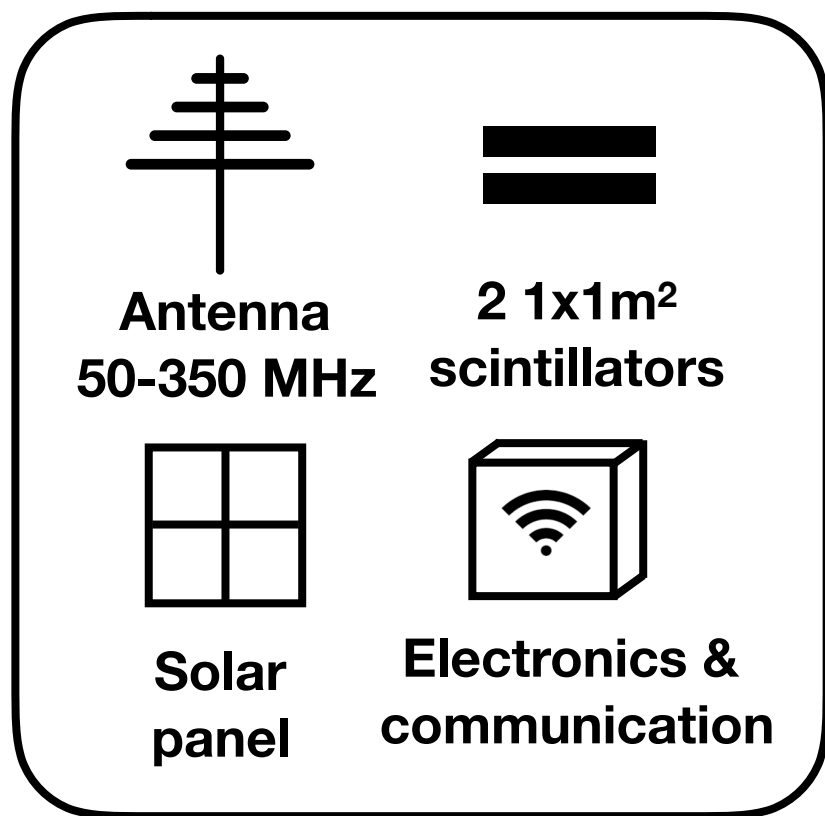
50-350 MHz





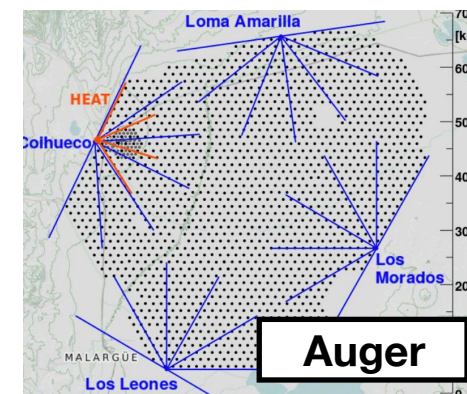
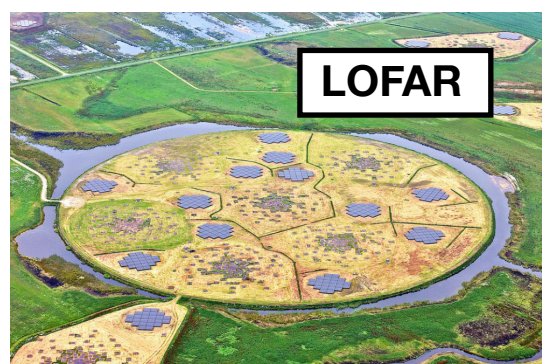


# Radiation Energy Reconstruction



## Timeline

- *Prototype design and assembly* 2020-2021
- *Deployment:* 2021-2022 @ **LOFAR**, 2022 @ **Auger**

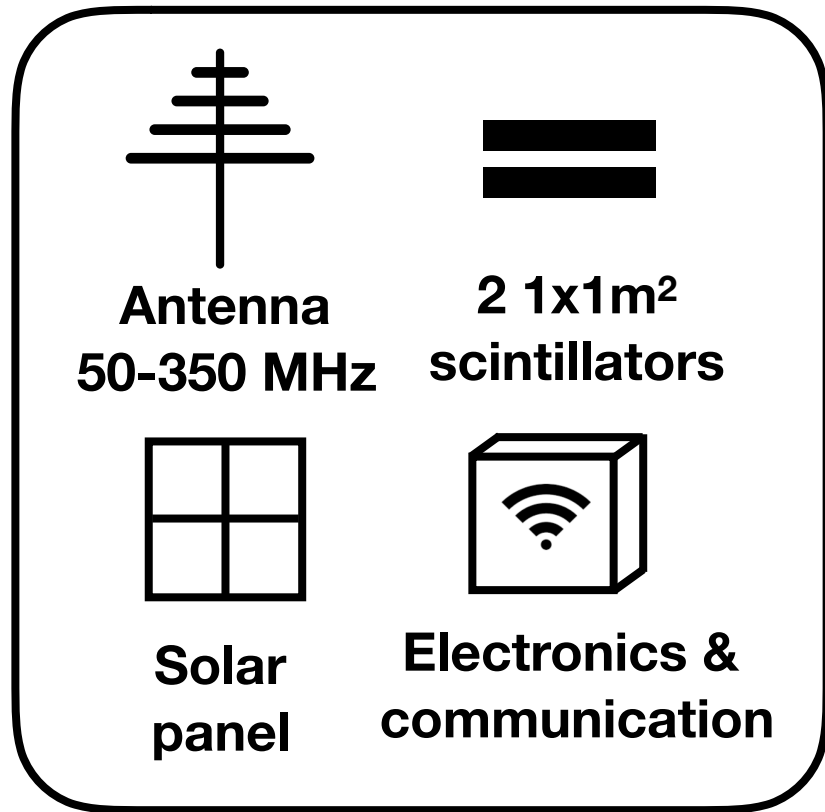


Collect ~ 300 events at each location

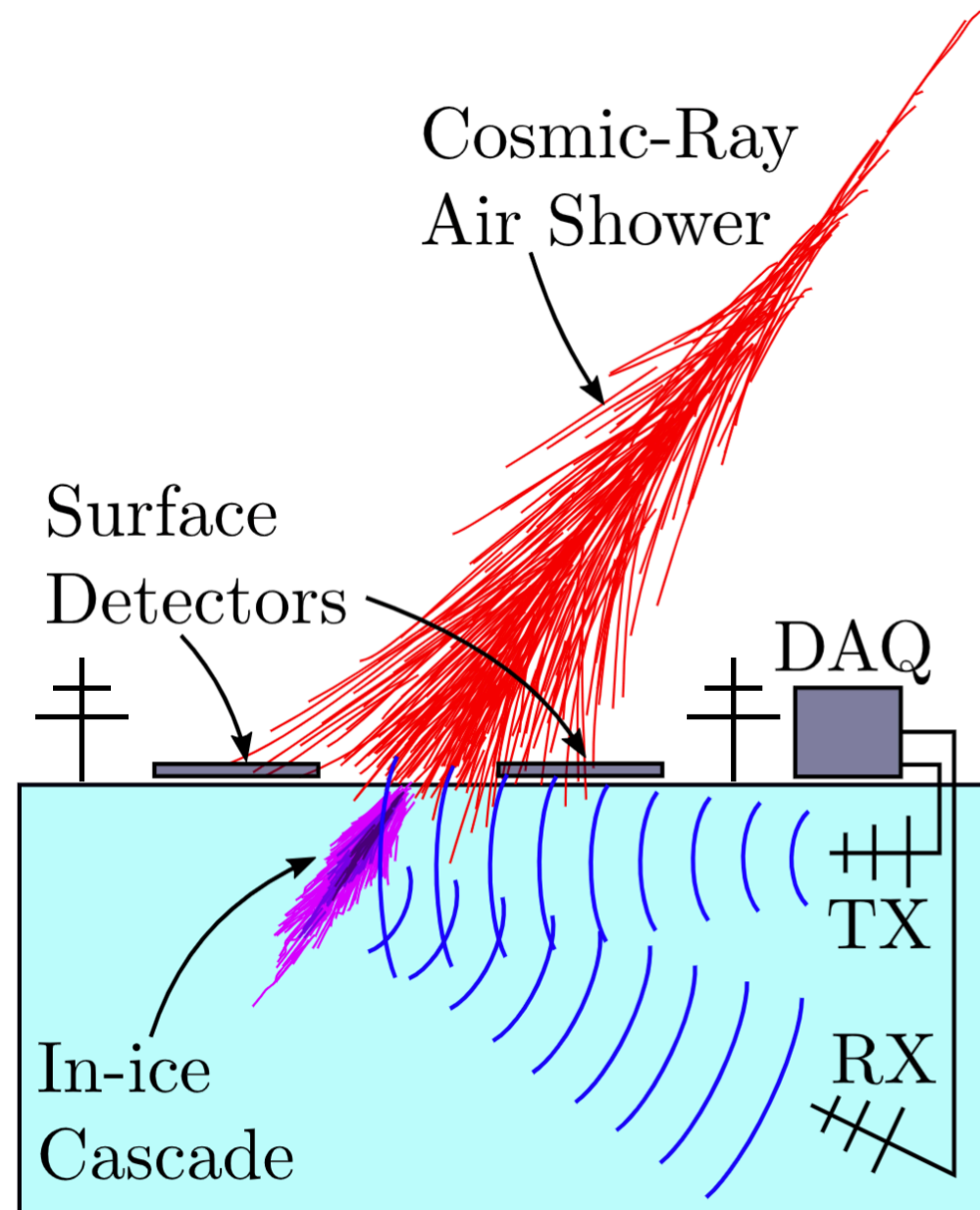
- *Longterm:* deploy at other experiments



# RET-CR Surface array



## Radar Echo Telescope



**ICRC2021**

1032  
1214  
1147

**RET-CR**

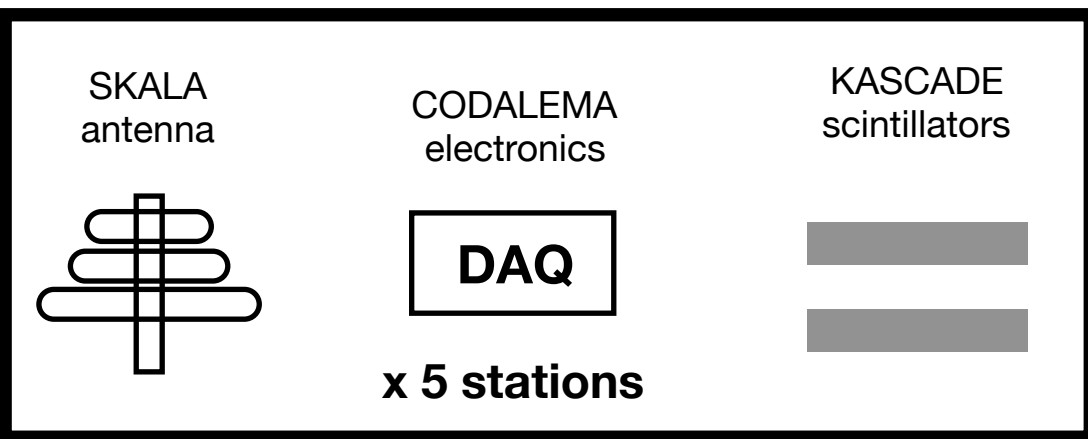
K. de Vries,  
S. Prohira  
et al.

ICRC: 1032  
1214  
1147

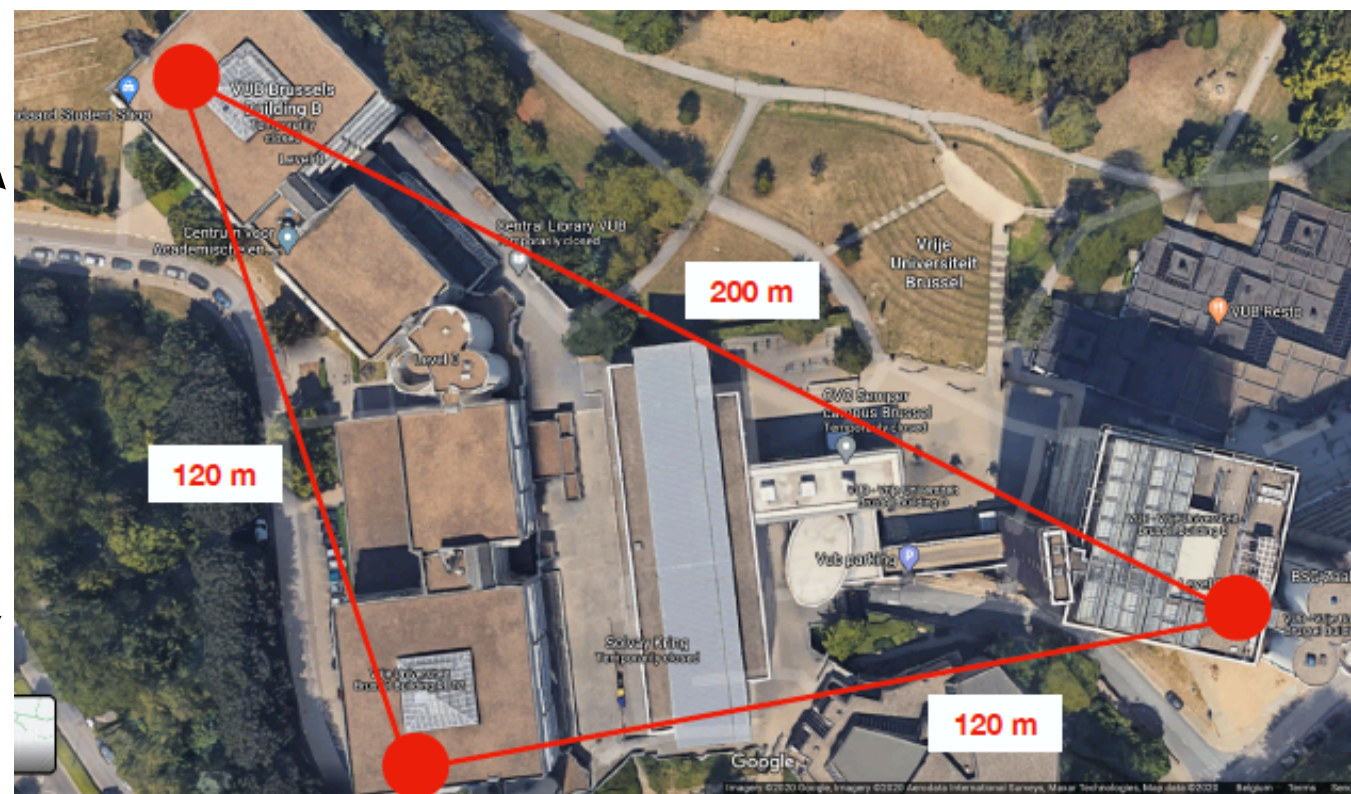


# VUB prototype

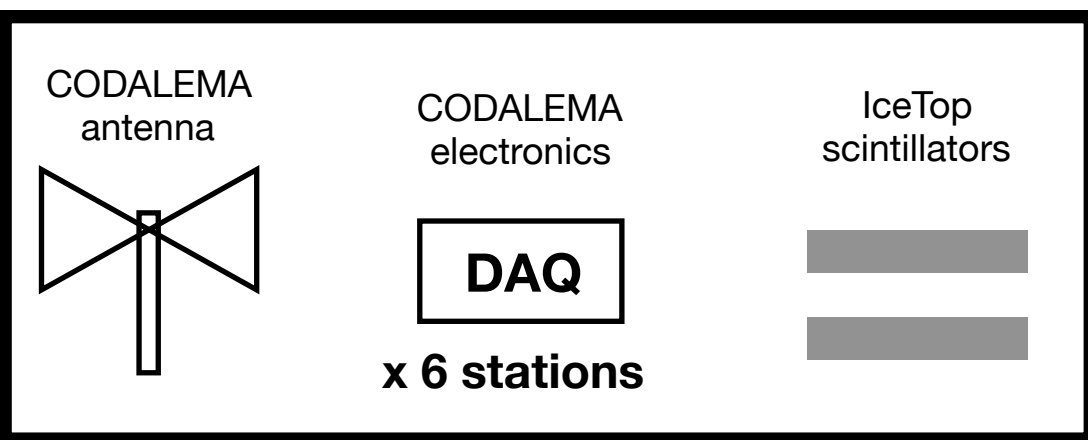
## Energy Cross Calibration array



## Prototype deployment at the VUB 2020-2021

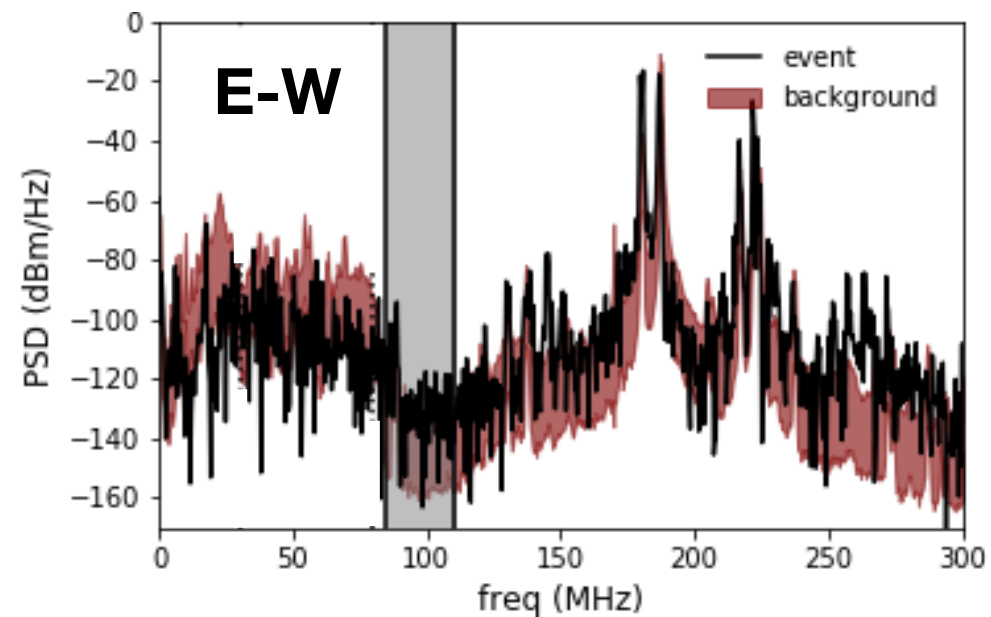
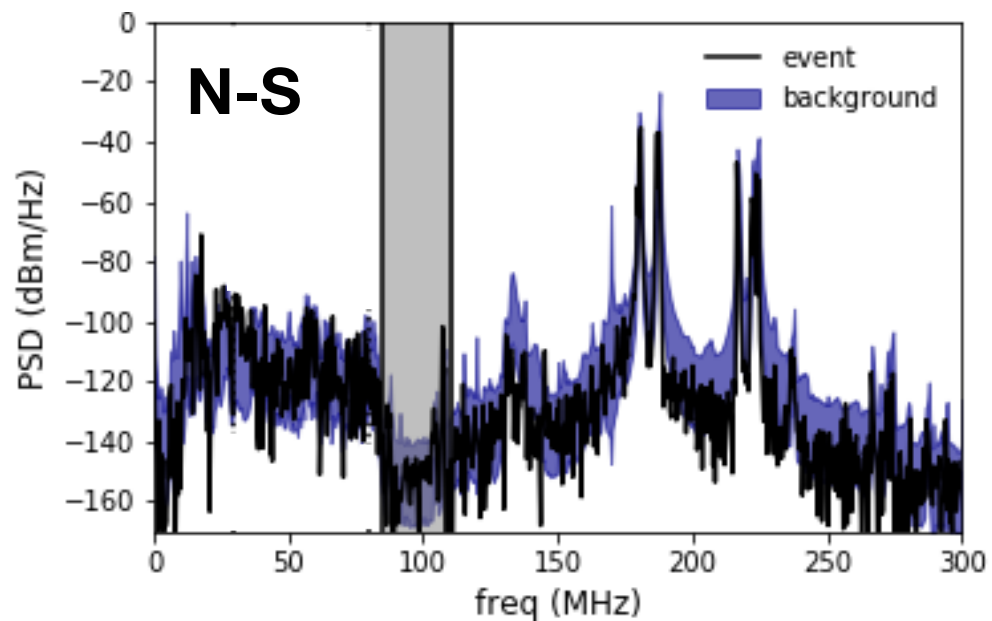


## RET-CR surface array





# VUB prototype



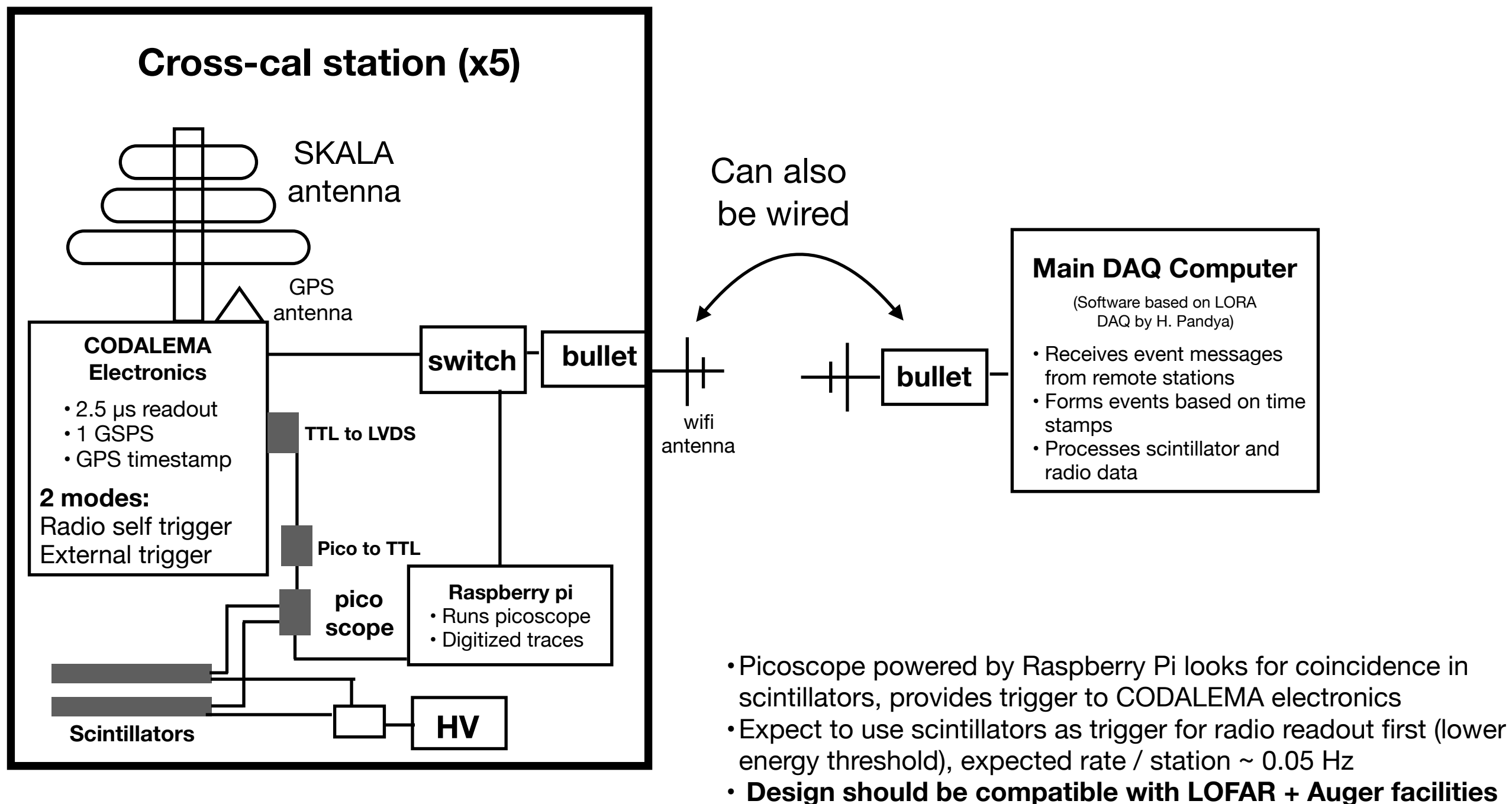
**First  
cosmic-ray  
data**



# Extra



# Cross-calibration array







# Radiation Energy Reconstruction

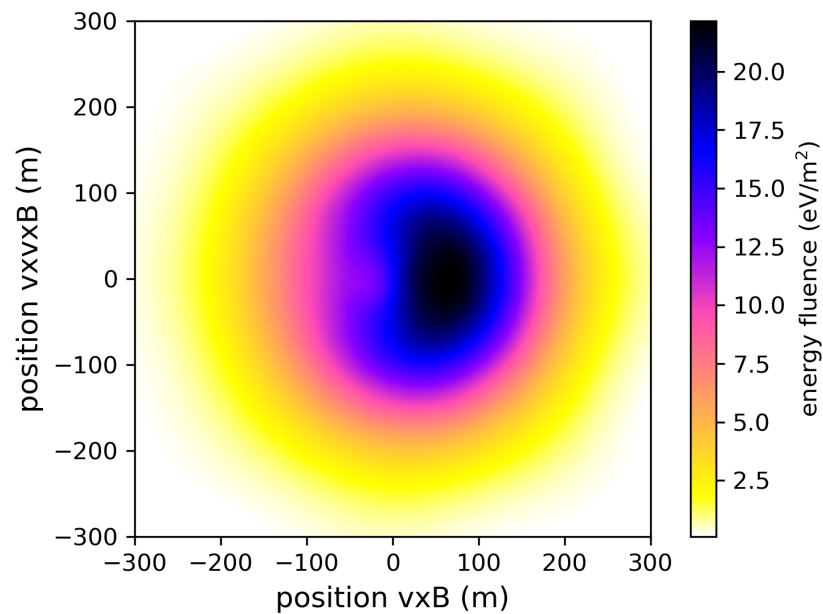
$$E = 3.5 \times 10^{17} \text{ eV}$$

$$X_{\text{max}} = 640 \frac{\text{g}}{\text{cm}^2}$$

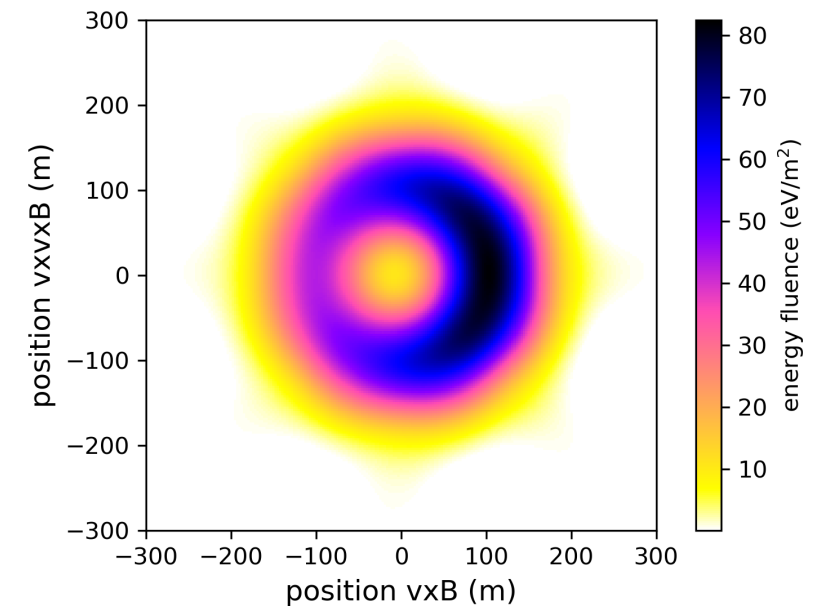
$$\theta = 33^\circ$$

$$D_{\text{max}} = 604 \frac{\text{g}}{\text{cm}^2}$$

### 30-80 MHz



### 50-350 MHz

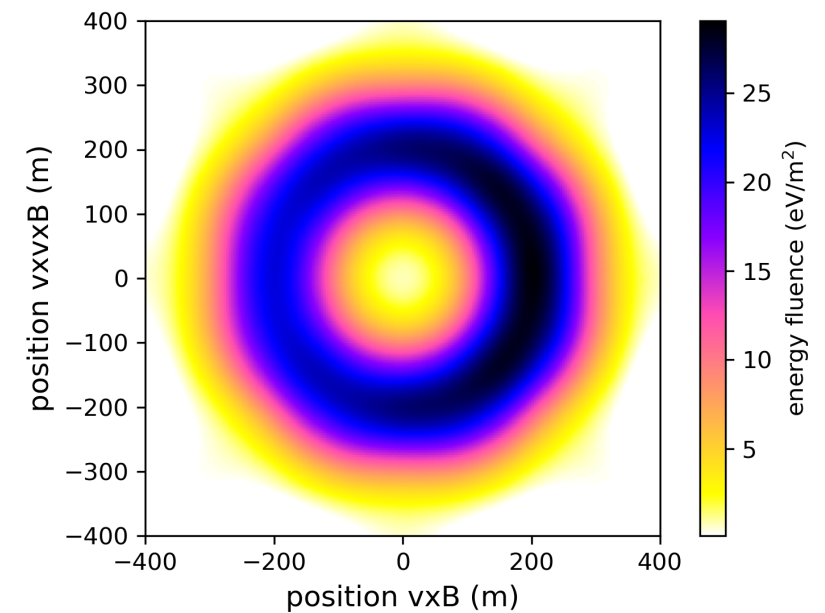
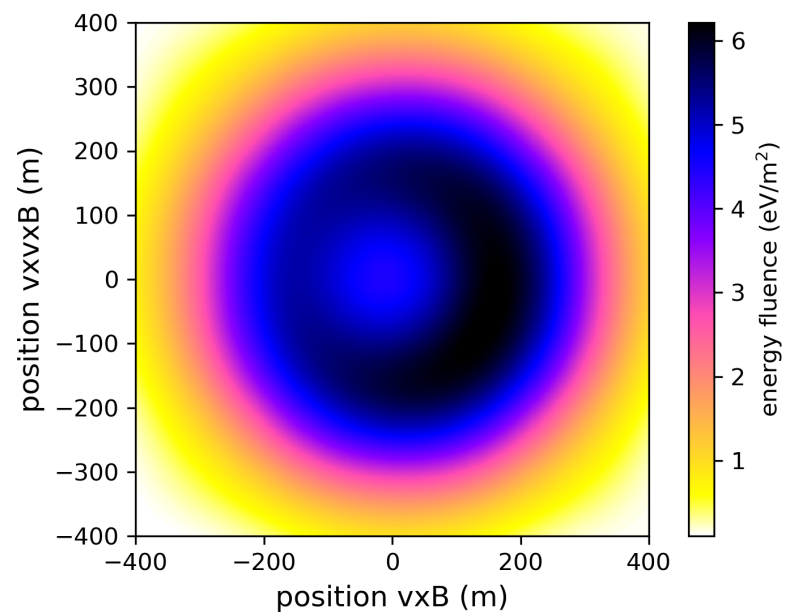


$$E = 2.1 \times 10^{17} \text{ eV}$$

$$X_{\text{max}} = 673 \frac{\text{g}}{\text{cm}^2}$$

$$\theta = 54^\circ$$

$$D_{\text{max}} = 1159 \frac{\text{g}}{\text{cm}^2}$$





# Radiation Energy Reconstruction

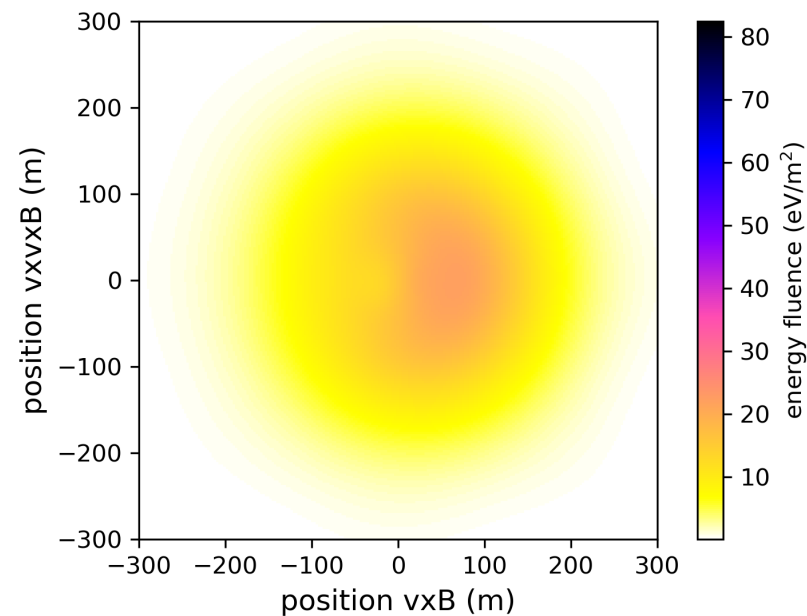
$$E = 3.5 \times 10^{17} \text{ eV}$$

$$X_{\text{max}} = 640 \frac{\text{g}}{\text{cm}^2}$$

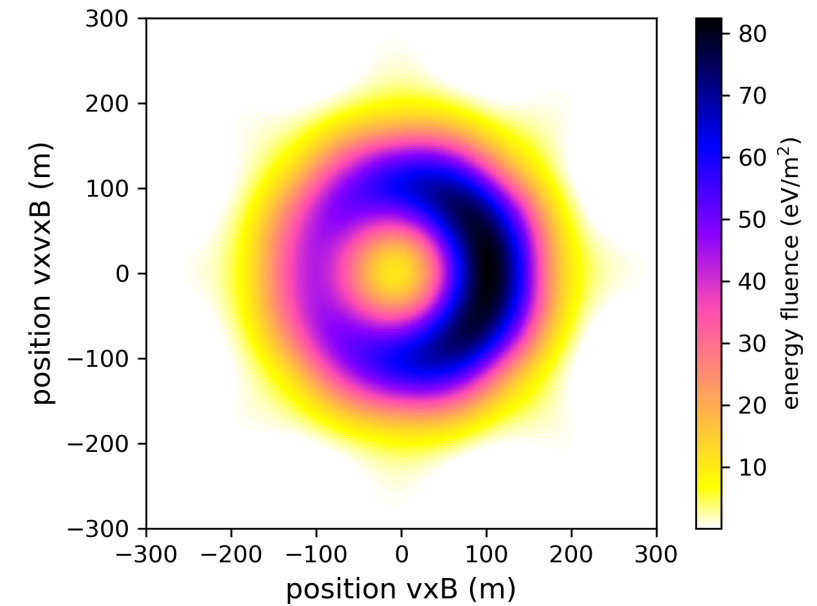
$$\theta = 33^\circ$$

$$D_{\text{max}} = 604 \frac{\text{g}}{\text{cm}^2}$$

### 30-80 MHz



### 50-350 MHz



$$E = 2.1 \times 10^{17} \text{ eV}$$

$$X_{\text{max}} = 673 \frac{\text{g}}{\text{cm}^2}$$

$$\theta = 54^\circ$$

$$D_{\text{max}} = 1159 \frac{\text{g}}{\text{cm}^2}$$

