

Upgrade of Honda atmospheric neutrino flux calculation with implementing recent hadron interaction measurement

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- tune the **Honda flux simulation** by using **accelerator hadron measurements**

Honda flux simulation

atmospheric neutrino : signal for physics (oscillation, etc...)

→ the **prediction of its flux** is necessary

Honda flux MC

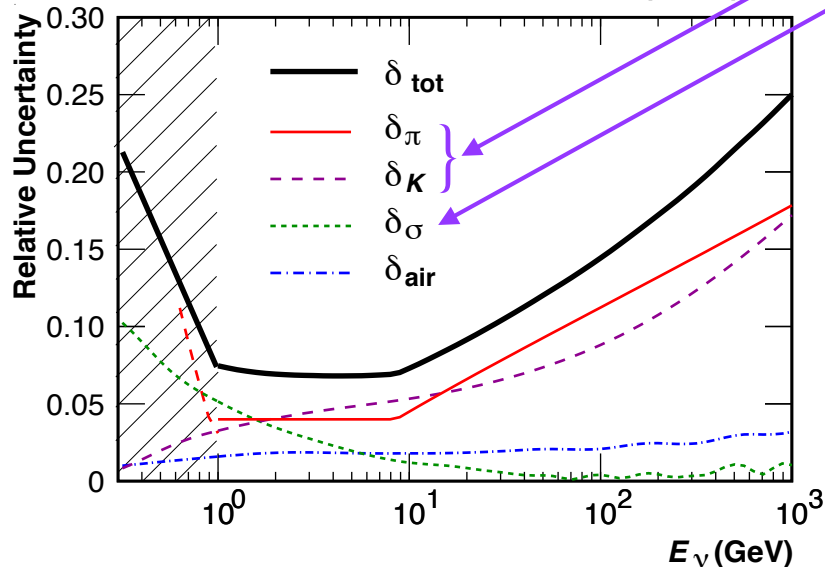
developed by M. Honda (U of Tokyo, ICRR)

[PRD 92, 023004 (2015) and references in it]

- full MC simulation for air shower
- provides \mathbf{v}_μ , $\bar{\mathbf{v}}_\mu$, \mathbf{v}_e , $\bar{\mathbf{v}}_e$ **flux** at any detector position
- **3D** simulation
 - air density model **NRLMSISE-00**
 - geomagnetic model **IGRF**
 - precise primary particle flux based on **AMS02** data
- has been widely used (e.g.: Super-Kamiokande analysis)
- FORTRAN code

uncertainty of atm. ν flux

uncertainty of Honda flux
(except primary flux err $\sim 5\%$)
[M. Honda et. al, PRD75, 043006(2007)]

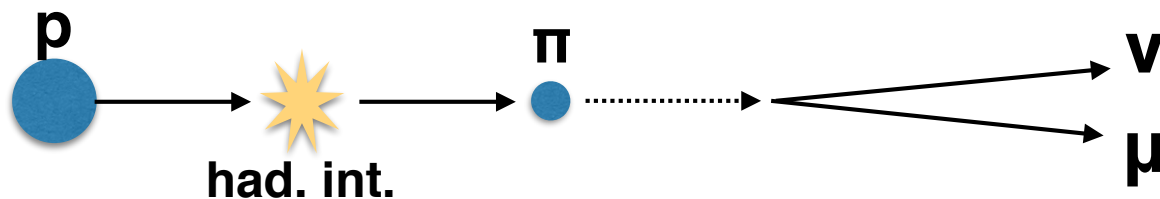


hadron production
hadronic cross-section

• *hadronic interactions in air shower*
→ **dominant!**

- Hadronic Model
 - **JAM** ($E < 31 \text{ GeV}$)
 - **DPMJET-III** (otherwise)

- tuned by using atm. μ data by Honda-san



limitation of tuning

- low E_ν ($< 1 \text{ GeV}$): E deposit of μ
- high E_ν ($> 10 \text{ GeV}$): K contribution

activity of Nagoya ISEE CR group

accelerator-data-driven tuning

K. Sato



H. Menjo



Y. Itow



- several beam experiments are conducted

HARP, BNL E910, NA61/SHINE ...

- present precise $\frac{d\sigma}{dpd\Omega}$ of hadron production
- mainly for long-baseline ν experiment

→ **incorporate these measurement into Honda flux**

Maybe the measurement data is insufficient but...

- can **reduce uncertainty** by combining the muon study
- can reveal **which phase space is important for atm. ν production**, and **feed back to the beam experiment**
- common treatment of sys. error between **T2K-SK**

tuning (weighting method)

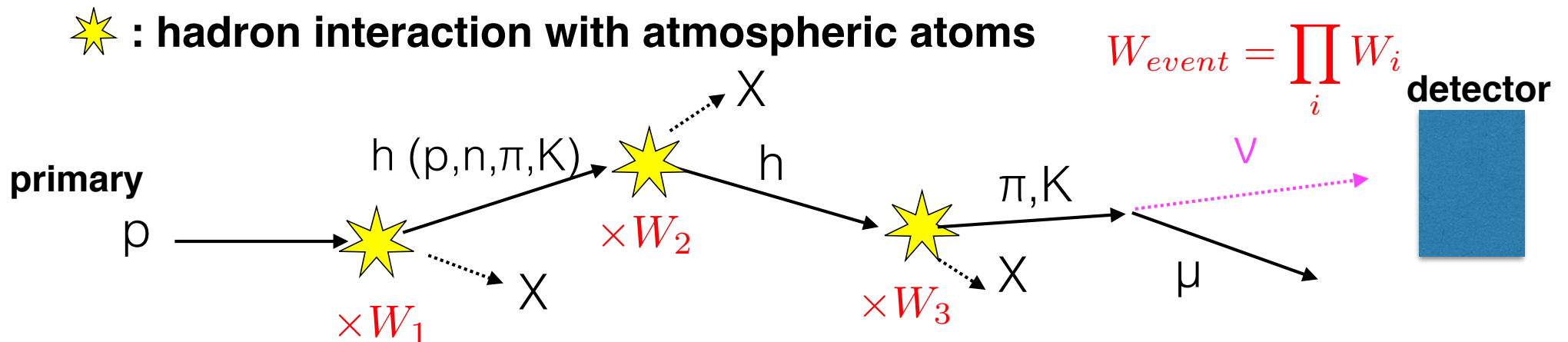
What we want to do:

- correct difference of differential cross-section between data and MC

→ apply the *weight*

$$W = \frac{\left(E \frac{d^3 \sigma}{dp^3} \right)_{data}}{\left(E \frac{d^3 \sigma}{dp^3} \right)_{MC}}$$

for each hadron interaction in Honda flux MC



accelerator data

- HARP $p+(Be,C,Al) \rightarrow (\pi^\pm,p)+ X$
PRC80, 035208 (2009), PRC 82, 045208 (2010)
PRC77, 055207 (2008)

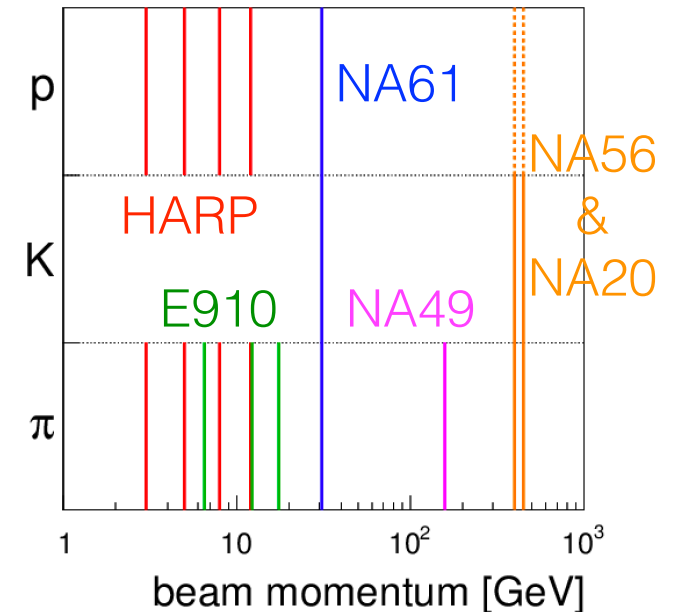
- BNL E910 $p+Be \rightarrow \pi^\pm + X$
PRC 77, 015209 (2008) and its Erratum

- NA61 $p+C \rightarrow (\pi^\pm,K^\pm,p) + X$
EPJ. C 76, 84 (2016)

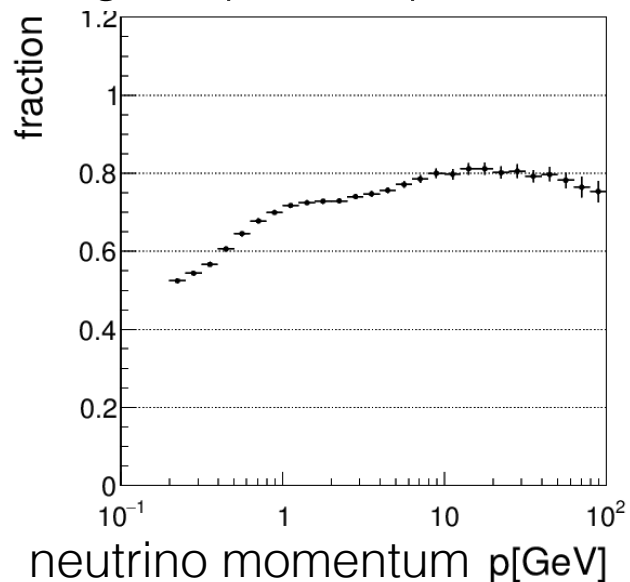
- NA49 $p+C \rightarrow \pi^\pm + X$
EPJ. C 49, 897 (2007)

- NA56, NA20 $p+Be \rightarrow (\pi^\pm,K^\pm,p)+ X$
from M. Bonesini et. al. EPJ C20, 13, (2001)

beam P and particle type



coverage of phase space related to ν_μ production



- These beam data cover
> 70% of phase space for >1GeV ν
production

parameterization

data : discrete beam P & finite binning → parameterization

fitting function

$$E \frac{d^3\sigma}{dp^3} = f_{BMPT} \times \left(\frac{A}{A_0} \right)^\alpha \times f_{pd/pp}$$

$E d^3\sigma/dp^3$ of p+p

for π, K : BMPT parameterization
for π, K : Bonesini et.al., Eur. Phys. J. C 20, 13 (2001)

$$f = A(1 + Bx_F + Cx_F^2) \times (1 - x_F)^{bp_T^d} \\ \times \left(1 + ap_T + (cp_T)^2 / 2 \right) \exp(-ap_T)$$

dependence of atomic mass
derived from HARP data

difference of p+p and p+A₀
 $= \exp\left(\sum_{i=0}^2 \sum_{j=0}^2 a_{ij} x_F^i p_T^j\right)$ for $\pi, K,$
 $= 1$ for p

parameterization

difficult to parameterize beam energy dependence

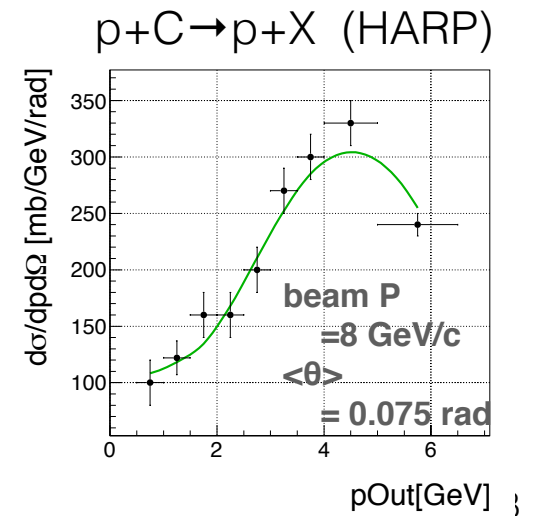
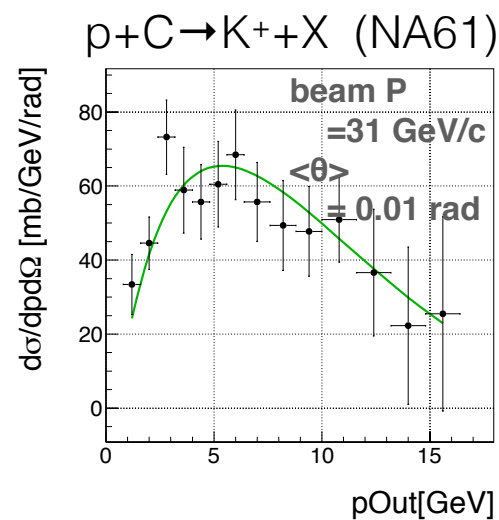
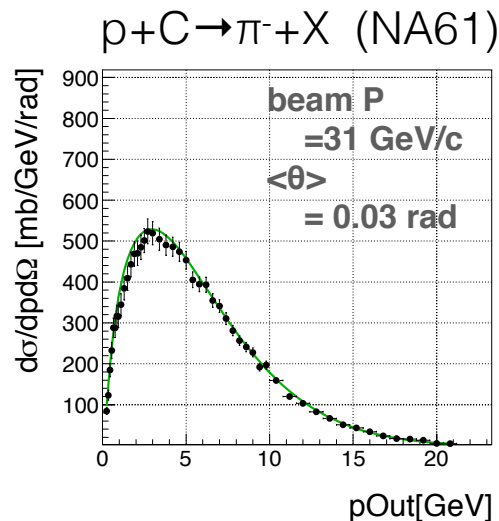
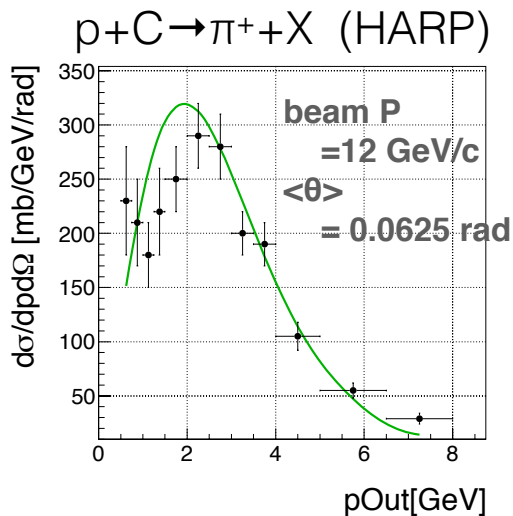
→ divide into small E sections. fitting for each section.

fitting reduced chi-square

p_{beam} 3 ↔ 5 ↔ 8 ↔ 12 ↔ 17.5 ↔ 31 ↔ 450 [GeV]

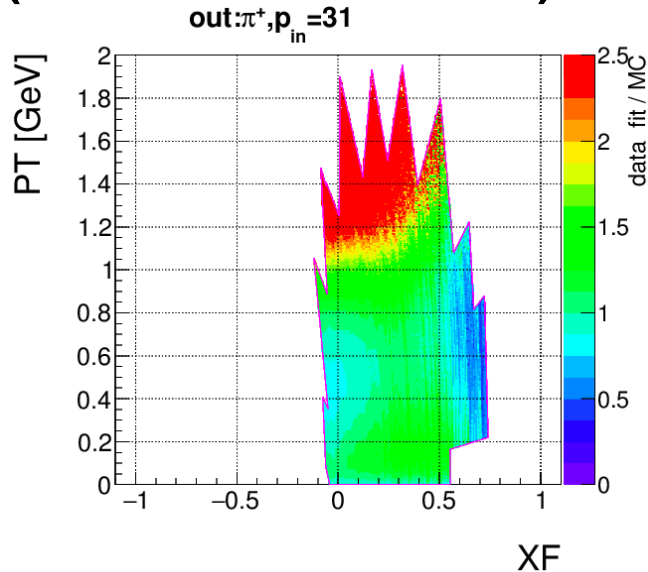
π^+	1.43	1.63	1.72	1.80	1.96	1.79
π^+	1.41	1.53	1.51	1.57	1.25	2.10
K^+			--			0.80
K^-			--			1.34
p	1.02	1.66	1.50		2.24	1.26

→ success to parameterize reduced $X^2 = 1 \sim 2$



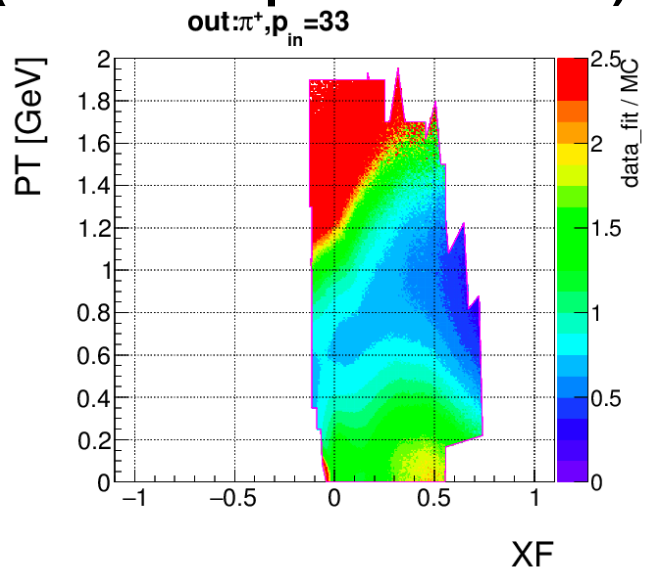
weight table

for p(31 GeV) + Air $\rightarrow \pi^+ + X$
(MC uses JAM model)

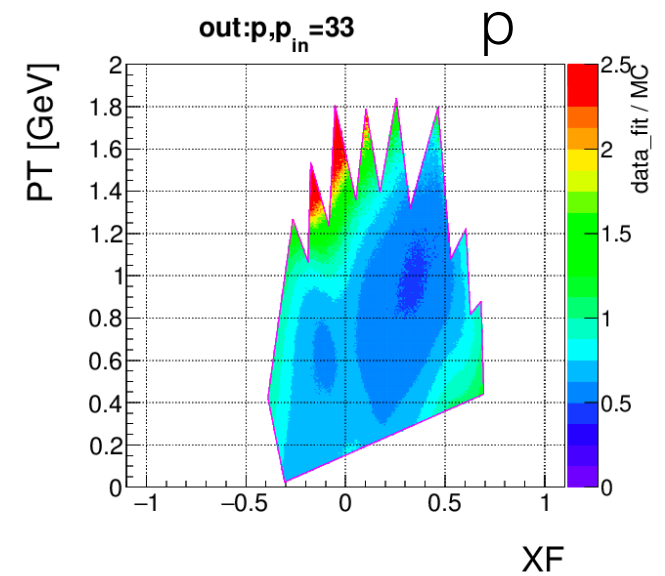
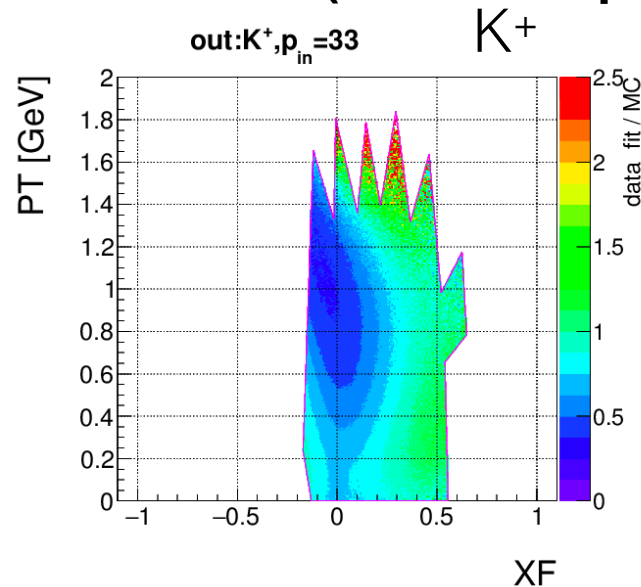


- make a *table* of weight $W = \frac{\left(E \frac{d^3\sigma}{dp^3}\right)_{data}}{\left(E \frac{d^3\sigma}{dp^3}\right)_{MC}}$
- prepare 35 tables in $p_{in} = 3--400$ GeV
- MC uses JAM ($E < 31$ GeV), dpmJet3 (> 31)
 - JAM is in better agreement with data

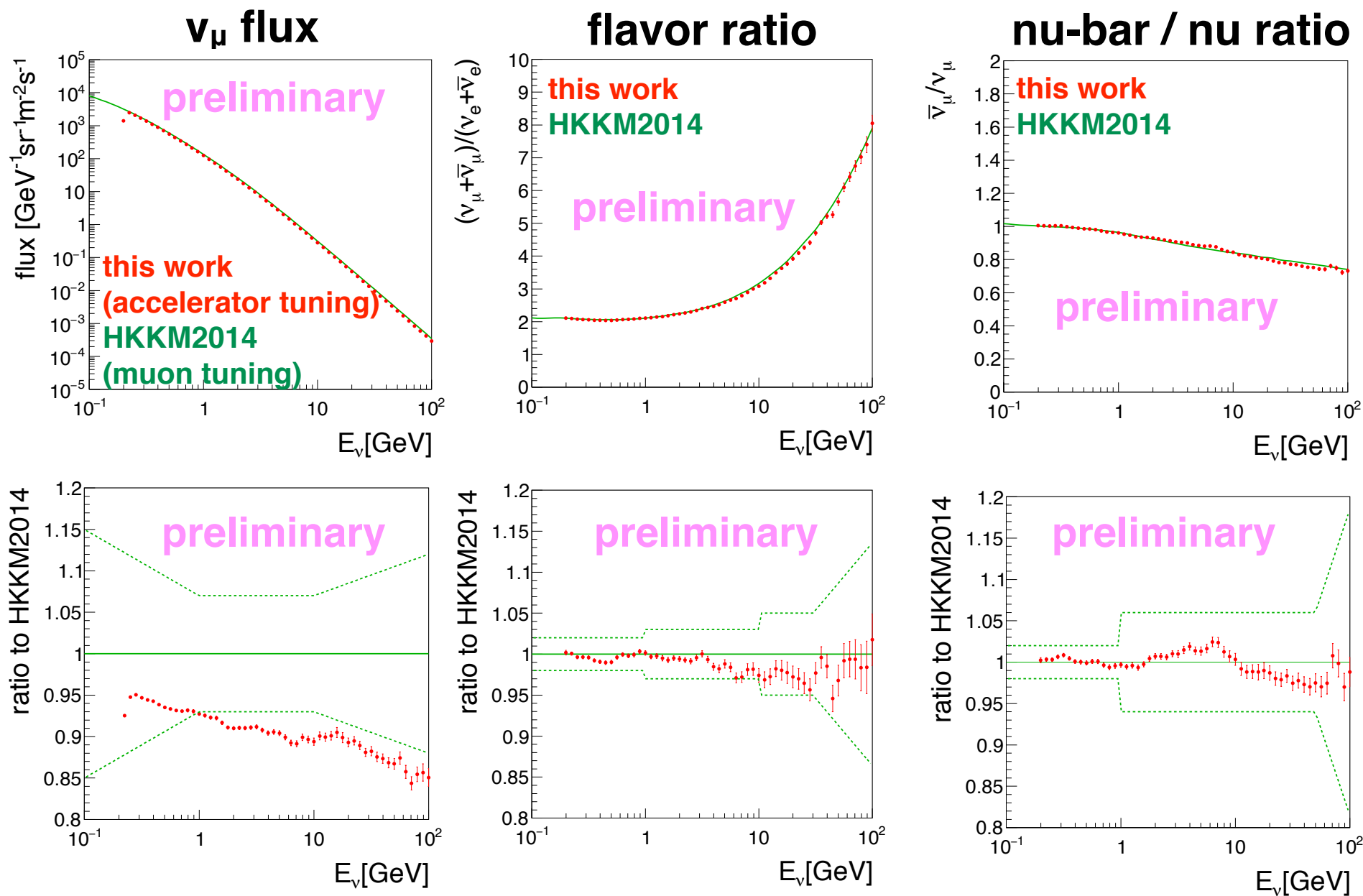
for p(33 GeV) + Air $\rightarrow \pi^+ + X$
(MC uses dpmJet3 model)



for p(33 GeV) + Air $\rightarrow (K^+, p) + X$
(MC uses dpmJet3 model)



result of weighting



with accelerator tuning : 5-10% smaller flux
small effects on flavor ratio, $\bar{\nu}_\mu/\nu_\mu$ ratio

→ **almost consistent**

Summary

Nagoya group activity

- upgrading **Honda flux MC**
 - preparing manuals
 - Fortran → C++ interface
 - **implementing accelerator-data-driven tuning**

- correct the difference of $d^3\sigma/dp^3$ between data and MC
 - data from NA61, NA49, HAPR, BNL-E910, NA56/SPY...
 - success to parameterize in 3--450 GeV/c beam P.
 - reduced $\chi^2 < \sim 2$

- preliminary result
 - **consistent** with the conventional flux
 - tendency to be ~5--10% smaller
- future plan
 - combined analysis of **accelerator tuning and μ tuning**
 - reduce systematic uncertainty