

Cosmic ray transport in the proximity of pulsars and the formation of gamma-ray halos

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Overview

- **HAWC detected extended gamma-ray halos around Geminga and Monogem** [HAWC collaboration, Science 358\(2017\)](#)

- × few degrees across the sky
- × Inverse Compton scattering halos
- × 20-200 TeV electrons and positrons

- **the extension of such halos has been interpreted in the assumption of pure isotropic diffusion, by the HAWC collaboration and other works**

- × the inferred diffusion coefficient is at least 100 times smaller than typical one
- × established consensus on suppressed diffusion around pulsars
- × such suppression is difficult to explain theoretically, plus poses problems for the location of the sources of multi-TeV electrons (observed up to ~ 20 TeV)

- **we revise this model, taking into account the transition between ballistic and diffusive regime in the CR propagation**

- × we show that, taking into account such effect, the gamma-ray halos of Geminga and Monogem can be explained with typical values of the diffusion coefficient

Ballistic-diffusive CR transport

- consider CR leptons released from a pulsar

- isotropic diffusion coefficient

$$D(E_{\text{GeV}}) = D_0 E_{\text{GeV}}^\delta$$

$$D_0 \sim 10^{28} \text{ cm}^2/\text{s}$$

$$\delta \sim 0.5$$

$$\lambda_c(E_{\text{GeV}}) = 0.3 D_{0,28} E_{\text{GeV}}^\delta \text{ pc}$$

mean free path

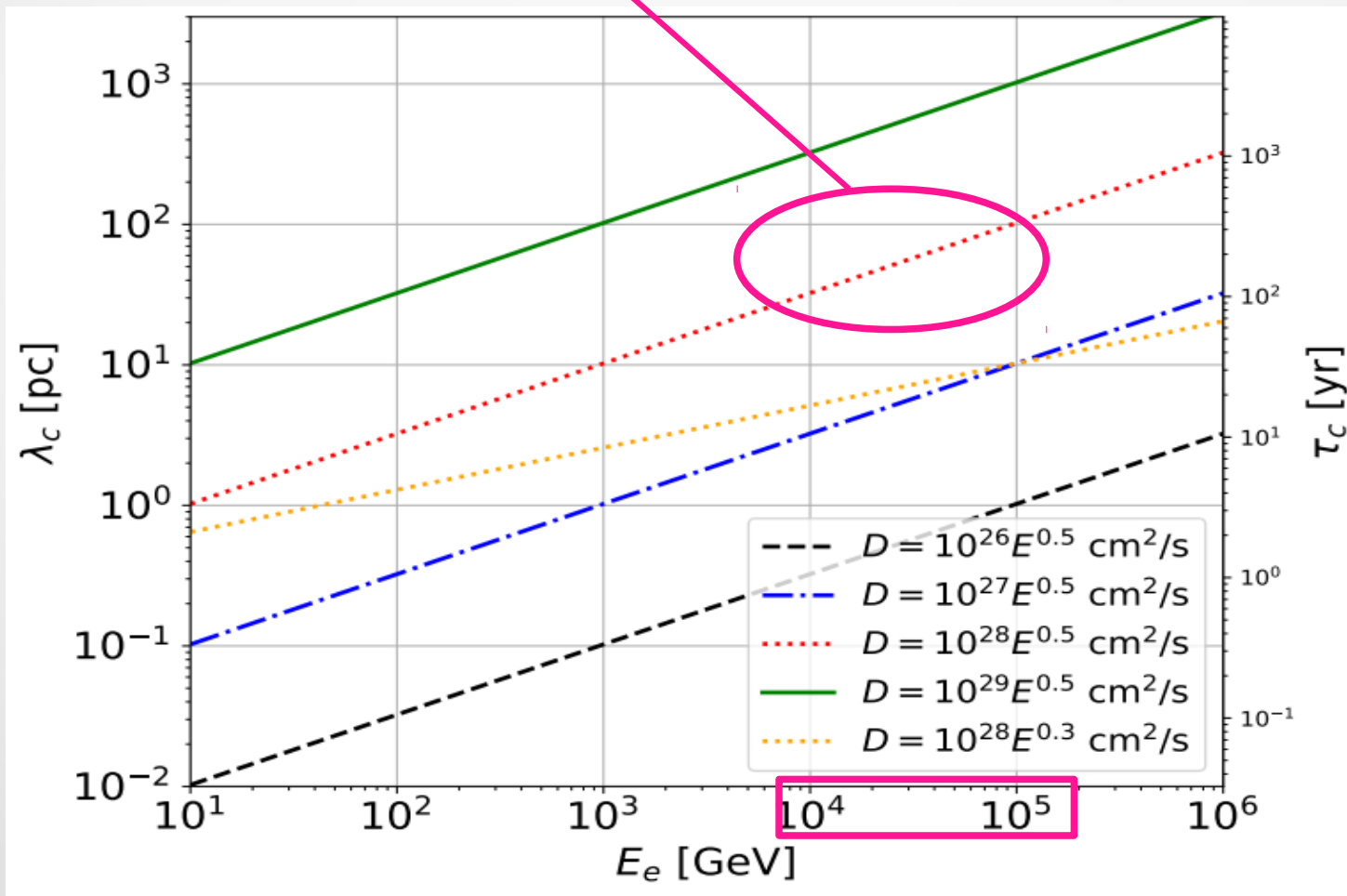
$$\tau_c(E_{\text{GeV}}) = 1.0 D_{0,28} E_{\text{GeV}}^\delta \text{ yr}$$

scattering time

- the mean free path and the scattering time are the spatial and time-scale for isotropization of the particle direction
- $\lambda_c(10 \text{ TeV}) \approx 10 \text{ pc}$

Ballistic-diffusive CR transport

few tens pc, comparable to pulsars halo extension



Ballistic-diffusive CR transport

Prosekin et al.(2015), Aloisio et al. (2005)

- the CR transport after injection from the source is characterized by three regimes
 - × ballistic for $t < \tau_c$
 - × diffusive for $t > \tau_c$
 - × a transition between the two (quasi-ballistic)
- if applied at times below τ_c the diffusion equations is plagued by the superluminal propagation problem
- in a continuous source, at every moment there are recently injected particles (ballistic) and particles already isotropized (diffusive)

Application to pulsars

- pulsar of age t_a turns on at $t=0$ and inject leptons with

$$L(t) = \eta L_0 \left(1 + \frac{t}{\tau_0} \right)^{-2}$$

τ_0 = spin – down timescale

η = efficiency

- particles injected within the last τ_c are treated in the ballistic regime f_{ball}
- particles injected earlier are treated in the diffusive regime f_{diff}
- $f_e = f_{ball} + f_{diff}$ total lepton density
- f_{ball} is found to dominate over f_{diff} below a distance $\sim \lambda_c$

Angular distribution

- Due to the relativistic nature of the ICS process, gamma-rays are emitted preferentially along the direction of the parent CR
- in the strictly ballistic regime the gamma-ray halo would appear as point like no matter the extension of the parent electron-positron halo
- in the diffusive regime the extension of the gamma-ray halo reflects that of the CR halo [Prosekin et al.\(2015\)](#)
- function $M(\mu)$ takes into account the angular distribution in the transition between ballistic and diffusion regime

$$f_e = f_{ball} + f_{diff}$$

$$F_e = f_e M(\mu)$$

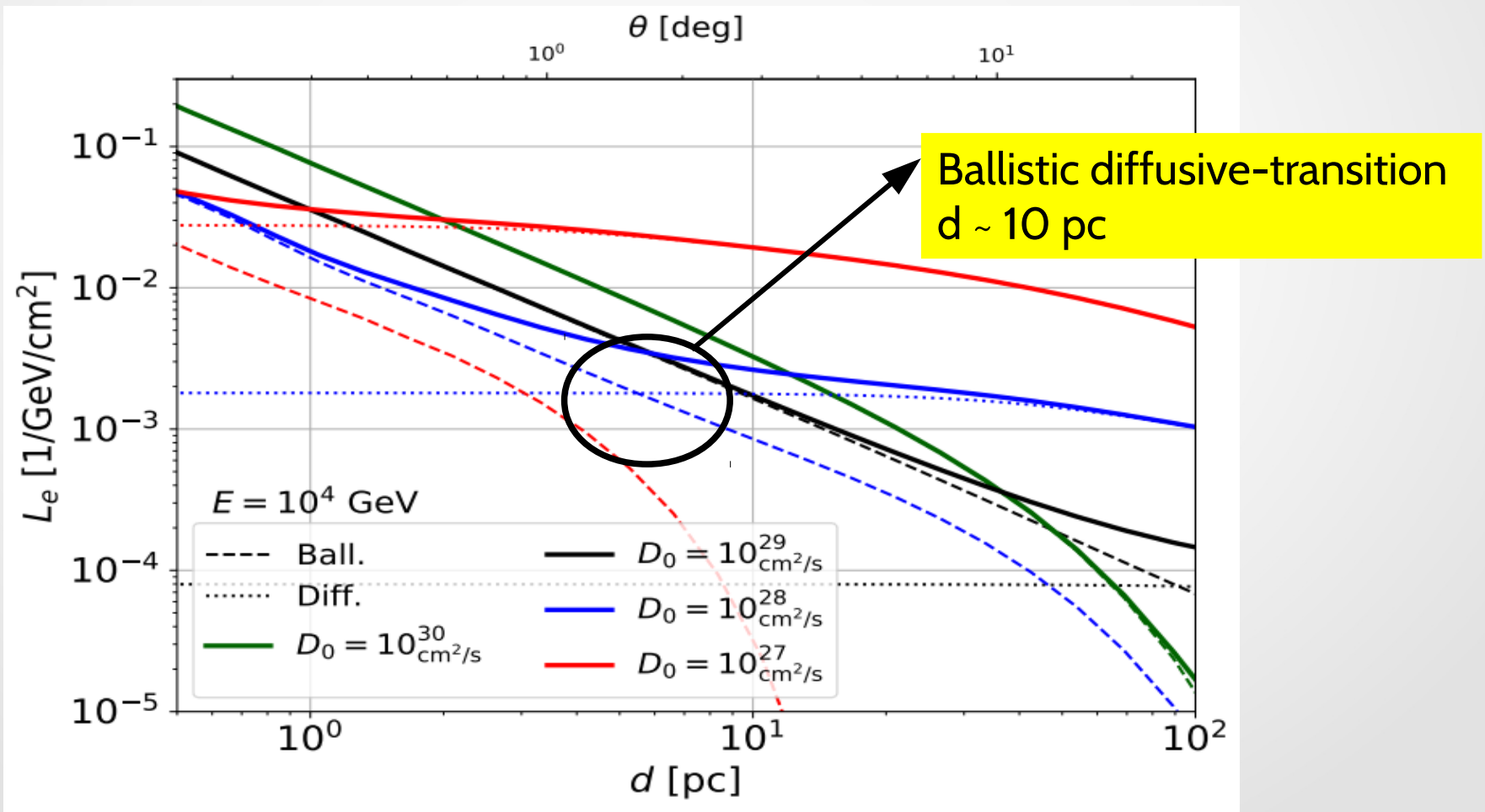
$$L_e(E, \theta) = \int_0^\infty ds F_e(E, s, \theta)$$

- integral along the line of sight
- gamma-ray morphology

Gamma-ray morphology

Lepton distribution integrated along the line of sight

10 TeV



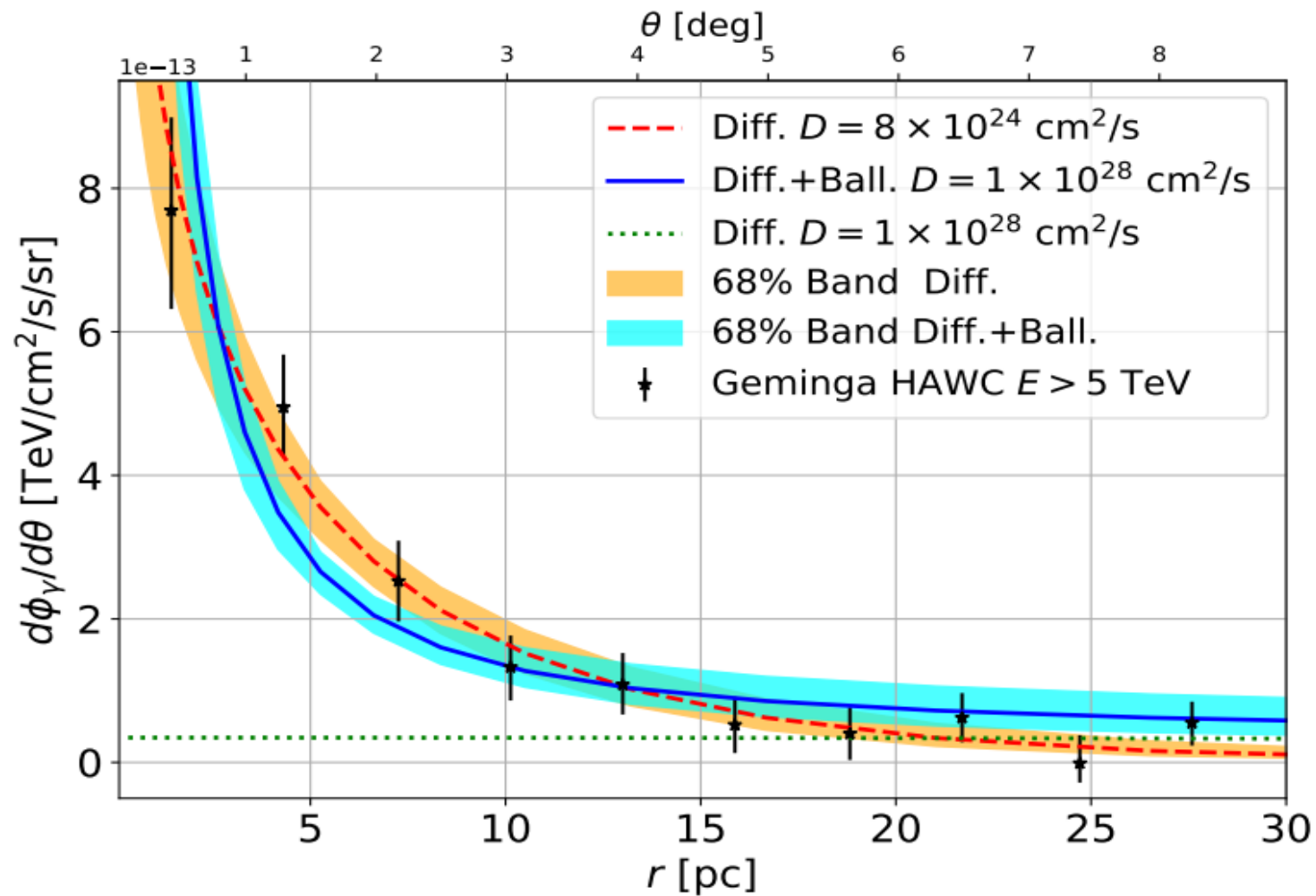
Gamma-ray morphology

- up to distances from the source $\sim \lambda_c(E)$ the electron distribution around the pulsar is dominated by the most recently injected particles, that move quasi-ballistically
 - × $L_e \propto 1/d$ (... a bit steeper)
- beyond $\sim \lambda_c(E)$ the CR density is dominated by particles that have been isotropized and propagate diffusively
 - L_e is rather flat
 - up to the diffusion-loss length $d \approx \sqrt{4 D(E) t_{\text{loss}}(E)}$
- the transition occurs at larger distances from the source at increasing particle and for larger values of the diffusion coefficient

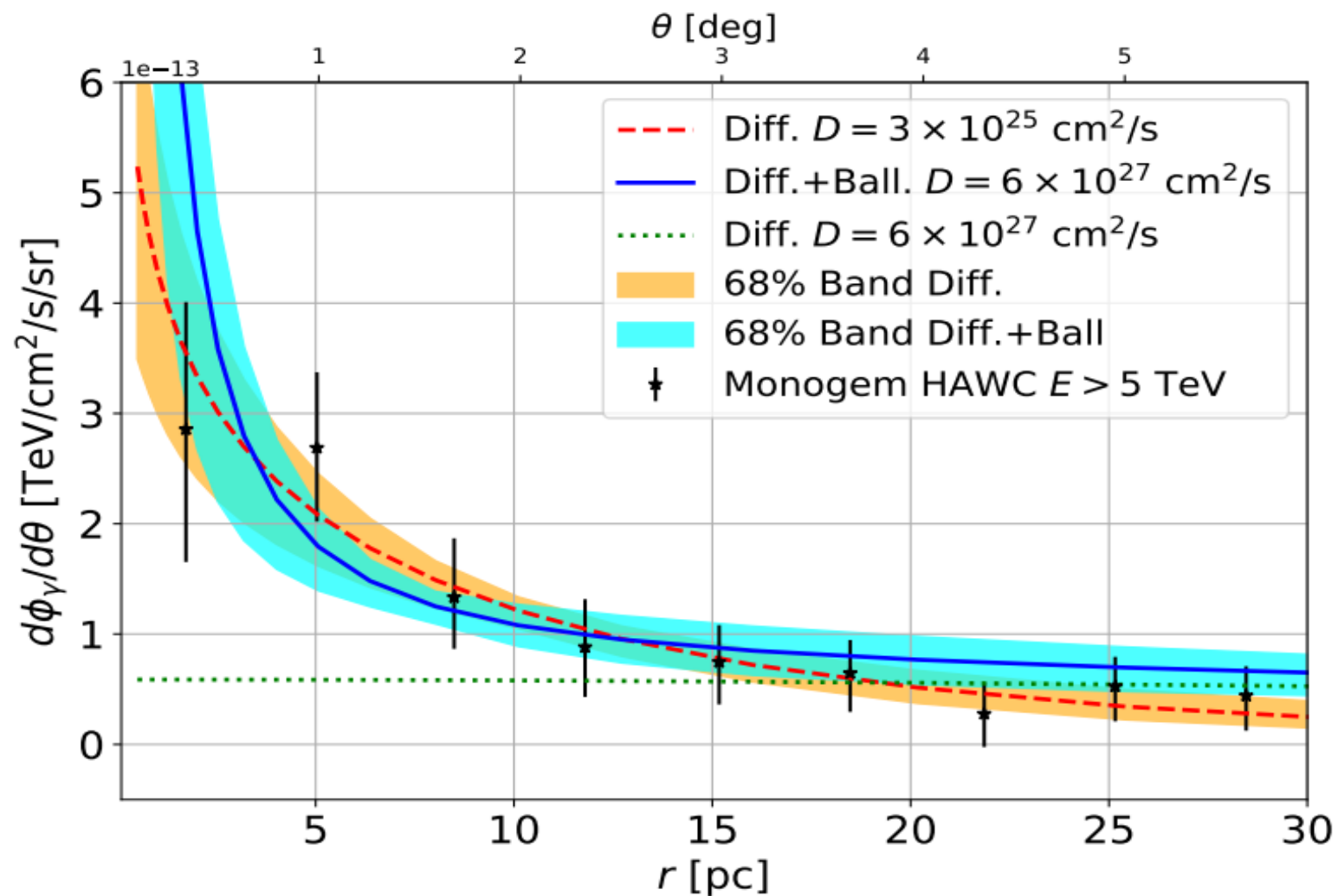
Gamma-ray morphology

- in the **low diffusion scenario** $D(1 \text{ GeV}) \sim 10^{25} \text{ cm}^2/\text{s}$
 - × the extension of Geminga and Monogem halos is connected to the diffusion-loss length
$$d \approx \sqrt{4 D(E) t_{\text{loss}}(E)}$$
 - × the transition takes place very close to the pulsar and the gamma ray morphology is not affected by such effect
- with a **typical diffusion coefficient** $D(1 \text{ GeV}) \sim 10^{28} \text{ cm}^2/\text{s}$
 - × the source extension is connected to the transition between ballistic and diffusive propagation

Fit to data



Fit to data



CR conversion efficiency

- the conversion efficiency of the spin-down luminosity to CR leptons is different in the low diffusion and typical diffusion scenario
 - × **Geminga:** 0.3-3% (low diffusion), ~55-65%
 - × **Monogem:** 1% (low diffusion), ~30%
- a high conversion efficiency is in agreement with the with the PWN paradigm, in which a major fraction of the spin-down luminosity is transferred to high energy electrons

Conclusions

- we investigate the CR propagation released from pulsars taking into account the ballistic-diffusion transition
- when such effect is taken into account, a satisfactory fit of the HAWC data for Geminga and Monogem is obtained without invoking a suppression of the diffusion coefficient with respect to the typical interstellar value
- contrary to the established consensus, a compact gamma-ray pulsar halo does not necessarily imply a small diffusion coefficient